Towards Large-Capacity and Cost-Effective Main Memories

Dmitry Knyaginin


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ABSTRACT

Large, multi-terabyte main memories per processor socket are instrumental to address the continuously growing performance demands of domains like high-performance computing, databases, and big data. It is an important objective to design large-capacity main memories in a way that maximizes their cost-effectiveness and at the same time minimizes performance losses caused by cost-effective tradeoffs. This thesis addresses a number of issues towards this objective.

First, parallel memory protocols, that are key to large main memories, have a limited number of pins. This implies that to address future capacities, the protocols would have to multiplex the pins to transfer wider addresses in a greater number of cycles, hurting performance. This thesis contributes with the concept of adaptive row addressing, comprising three techniques, as a general approach to minimize the performance losses of such cost-effective parallel memory protocols, and, in fact, make them as efficient as an idealized protocol with many enough pins to transfer each address in one cycle.

Second, emerging Storage-Class Memory (SCM) technologies can potentially revolutionize main memory design by enabling large-capacity and cost-effective hybrid main memories, that combine DRAM and SCM. However, they add multiple dimensions to the design space of main memories. Detailed exploration of such design spaces solely by means of simulation or prototyping is inefficient. This thesis contributes with Crystal, an analytic method for partitioning hybrid-memory area between DRAM and SCM at design time, and Rock, a framework for pruning design spaces of hybrid memories. Crystal and Rock help system architects to quickly and correctly identify the most promising design points for subsequent detailed evaluation.

Third, in hybrid main memories, DRAM is the limited resource, and co-running programs compete for it. Fair and at the same time high-performance management of such memories is an important and open issue. To avoid long operating-system overheads, this management has to be performed by hardware. This thesis contributes with ProFess: a Probabilistic hybrid main memory management Framework for high performance and fairness. ProFess includes two hardware-based mechanisms that cooperate to significantly improve fairness, performance, and energy-efficiency compared to the state-of-the-art.

Keywords: Large-Capacity Local Memory; Parallel Memory Protocols; Hybrid Main Memory; Design-Space Exploration; Hardware-Based Hybrid Memory Management; Cost-Effectiveness; Fairness; Performance; Energy Efficiency
Preface

Parts of the contributions presented in this thesis have previously been published in the following manuscripts:


The following manuscripts contain parts of the contributions presented in this thesis and have been submitted to international conferences:


The following manuscript has previously been accepted to a workshop, though is not included in this thesis:

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Gothenburg, April 2017
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<td>Three-Dimensional</td>
<td></td>
</tr>
<tr>
<td>ACM</td>
<td>Address-Cache Miss rate</td>
<td></td>
</tr>
<tr>
<td>ACT</td>
<td>Activate</td>
<td></td>
</tr>
<tr>
<td>APP</td>
<td>Adaptive row-access Priority Policy</td>
<td></td>
</tr>
<tr>
<td>BLISS</td>
<td>Blacklisting memory Scheduler</td>
<td></td>
</tr>
<tr>
<td>CA</td>
<td>Command/Address</td>
<td></td>
</tr>
<tr>
<td>CL</td>
<td>Column Latency</td>
<td></td>
</tr>
<tr>
<td>CPU</td>
<td>Central Processing Unit</td>
<td></td>
</tr>
<tr>
<td>CWL</td>
<td>Column Write Latency</td>
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</tr>
<tr>
<td>DDR</td>
<td>Double Data Rate</td>
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<tr>
<td>DIMM</td>
<td>Dual In-line Memory Module</td>
<td></td>
</tr>
<tr>
<td>DRA</td>
<td>Design-time Resource Allocation</td>
<td></td>
</tr>
<tr>
<td>DRAM</td>
<td>Dynamic Random Access Memory</td>
<td></td>
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<tr>
<td>DSE</td>
<td>Design-Space Exploration</td>
<td></td>
</tr>
<tr>
<td>FRFCFS</td>
<td>First-Ready, First-Come-First-Serve</td>
<td></td>
</tr>
<tr>
<td>HBM</td>
<td>High Bandwidth Memory</td>
<td></td>
</tr>
<tr>
<td>HDD</td>
<td>Hard Disk Drive</td>
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<tr>
<td>HMC</td>
<td>Hybrid Memory Cube</td>
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<tr>
<td>HU</td>
<td>High-Utility</td>
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</tr>
<tr>
<td>IPC</td>
<td>Instructions Per Cycle</td>
<td></td>
</tr>
<tr>
<td>LLC</td>
<td>Last-Level Cache</td>
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<tr>
<td>LPDDR</td>
<td>Low Power Double Data Rate</td>
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ACRONYMS

LRDIMM  Load Reduced Dual In-line Memory Module
LRU    Least Recently Used
LSP    Least-Significant Portion
LU     Low-Utility
MC     Memory Controller
MCA    Multi-Cycle Addressing
MDM    Migration Decision Mechanism
MEA    Majority Element Algorithm
MPKI   Misses Per Kilo Instruction
MRS    Mode Register Set
MSC    Memory Scheduling Championship
MSP    Most-Significant Portion
NVM    Non-Volatile Memory
OS     Operating System
PCM    Phase-Change Memory
PRE    Precharge
QAC    Quantized Access-Counter
RD     Column Read
RDIMM  Registered Dual In-line Memory Module
RDP    Run-time Data Placement
ROB    Re-Order Buffer
RRAM   Resistive Random Access Memory
SATA   Serial Advanced Technology Attachment
SB     Swap Buffer
SCA    Single-Cycle Addressing
SCM    Storage-Class Memory
SDR    Single Data Rate
SEM    Slowdown Estimation Mechanism
SSD    Solid-State Disk
<table>
<thead>
<tr>
<th>Abbreviation</th>
<th>Description</th>
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<tbody>
<tr>
<td><strong>ST</strong></td>
<td>Swap-group Table</td>
</tr>
<tr>
<td><strong>STC</strong></td>
<td>Swap-group Table Cache</td>
</tr>
<tr>
<td><strong>UA</strong></td>
<td>Utility-Agnostic</td>
</tr>
<tr>
<td><strong>UDIMM</strong></td>
<td>Unbuffered Dual In-line Memory Module</td>
</tr>
<tr>
<td><strong>USIMM</strong></td>
<td>Utah Simulated Memory Module</td>
</tr>
<tr>
<td><strong>WR</strong></td>
<td>Column Write</td>
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</tbody>
</table>
Introduction

The supply of cost-effective memory devices to computer manufacturers has been one of the main business drivers for the semiconductor industry since its birth in the 70s [1]. Large, multi-terabyte main memories per processor socket address demands of domains like high-performance computing, databases, and big data. In addition, such memories represent an attractive solution to significantly reduce costs and energy expenditure in multinode systems by reducing the total number of nodes (scale-in) and at the same time increasing the capacity of each node’s memory (scale-up) [2]. Thus, the design of large and cost-effective local (per socket) main memories is an important objective, and the thesis at hand tackles a number of issues towards it.

Dynamic Random Access Memory (DRAM) had been addressing continuously growing main memory demands by scaling to higher areal densities at about 4x / 3 years [3]. However, in the last decade DRAM scaling has slowed to 2x / 3 years [3], fueling interest in memory technologies that promise to scale better due to smaller cell size and/or Three-Dimensional (3D) cell stacking [4]. This has brought NAND Flash—the densest commercial memory technology, conventionally used for high-performance storage—closer to the processor [5–7], generated a massive body of work about Phase-Change Memory (PCM) [8] and Resistive Random Access Memory (RRAM) [9–13], and has lead
CHAPTER 1. INTRODUCTION

to the introduction of 3D Xpoint [14]. A new term, Storage-Class Memory (SCM), has been introduced to collectively refer to technologies that fit in the density, latency, and cost-per-byte gaps between DRAM and magnetic disk. In order to enjoy the best characteristics of both DRAM and SCM while hiding their drawbacks, the two technologies can be combined into hybrid main memory. As a result, such main memories can be more cost-effective than DRAM-only memories [5, 15, 16]. Orthogonal to die-density scaling, 3D die stacking further increases device densities. For instance, the fourth generation of parallel Double Data Rate (DDR) memory protocols, named DDR4 [17], has standardized 3D die stacking for DRAM and supports up to 512-GB memory modules. 3D die stacking employed in both DRAM and SCM devices is important for maximizing hybrid main memory capacity. Thus, this thesis considers 3D-stacked DRAM devices and 3D-stacked SCM devices as basic building blocks of large-capacity memories.

Large local memories are organized as multiple parallel channels populated with large-capacity modules. This organization is remaining key to large capacities, despite that each conventional channel offers relatively modest bandwidth. For instance, Intel Xeon E7-8893 v4 supports up to 3TB of DRAM on four channels with a maximum bandwidth of 25.6GB/s per channel [18, 19]. Emerging protocols like High Bandwidth Memory (HBM) [20] and Hybrid Memory Cube (HMC) [21] offer significantly higher bandwidths per channel. However, HBM is designed for tight integration with the host processor via a common interposer, that implies relatively small maximum capacity. At the same time, HMC is a point-to-point protocol, and to build large-capacity memory individual cubes have to be arranged into a “far memory” network [21], where each hop incurs a significant latency overhead [22], making HMC unattractive for large-capacity applications. Thus, this thesis considers the conventional parallel memory protocols.

Hybrid main memories replace some of DRAM with SCM. For instance, Intel Purley [23] will have six channels, each accommodating one DRAM and one 3D Xpoint module instead of two DRAM modules. In terms of topology hybrid memory can be organized as flat, where DRAM and SCM are directly accessible by the processor [24–29], or as hierarchical, where SCM is accessible only via DRAM [15, 16, 30]. The flat organization is more flexible than the hierarchical one by allowing the processor to bypass DRAM for accesses to data blocks that, due to specific access patterns, are more beneficial to be accessed from SCM. Regardless of topology, in terms of policy for promoting data from SCM to DRAM, hybrid memories can be organized as migrating, where data are moved upon promotion [16, 24, 26–30], or as replicating, where data are copied [15, 25]. When DRAM capacity is large (e.g., one DRAM module per channel like in Intel Purley [23]), it is beneficial to employ the migrating organization, such that the capacities of both DRAM and SCM contribute to the total capacity visible to the Operating System (OS). This makes flat, migrating hybrid memories particularly attractive.
1.1 Problem Statements

The thesis at hand tackles the multifaceted question of building large-capacity main memory per processor socket such that performance losses due to cost-effective tradeoffs are minimized. The thesis identifies three problems. First, parallel memory protocols like DDR4 [17], which are key to large main memories, have a limited number of pins that have to be used economically for addressing future capacities. Splitting wide row addresses into multiple parts causes additional address-transfer cycles, that increase the average access latency and consequently hurt performance, particularly in large DRAM-only memories. Thus, this thesis tackles the question of how to address large capacities using the available address pins economically with minimum performance losses.

Second, the large design space of main memories combining DRAM and SCM implies that design-space exploration via detailed simulation is slow, making it possible that the most promising design points are not timely identified, and so reducing the efficiency of system design. In general, the design space includes such parameters as DRAM and SCM densities, areas (e.g., the number of devices), access latencies, and the way DRAM and SCM are organized into hybrid memory, to name a few. Since it is highly inefficient to compare each design point using detailed simulation, it is important to prune the design-space using high-level models and thereby quickly identify the most promising design points for subsequent detailed evaluation. Thus, this thesis addresses the question of how to explore design tradeoffs quickly and correctly via design-space pruning.

Third, in large hybrid memories, naive DRAM allocation among co-running programs can significantly hurt system performance and fairness. In such memories, DRAM is a limited resource and co-running programs compete for it. If a program fails to obtain enough DRAM for its needs, it might experience an excessive slowdown. Thus, for fair execution, it is important to monitor the impact of DRAM allocation on individual program slowdowns and to dynamically adjust DRAM allocation such that the maximum slowdown among the programs is minimized. At the same time, for high performance, it is important to dynamically identify data blocks that are beneficial to be accessed from DRAM and to timely migrate them there. Such migration decisions should be driven by individual cost-benefit analysis for each pair of blocks in SCM and DRAM, as opposed to a heuristic that can produce naive decisions hurting performance. Thus, the thesis at hand tackles the problem of large hybrid memory management such that high fairness is achieved at the same time as high performance.
1.2 Contributions

This thesis addresses the above problems by making the following contributions. First, for cost-effective parallel memory protocols in large-capacity memories, the thesis contributes *adaptive row addressing* \[31\] as a general approach to close the performance and energy-efficiency gaps between protocols using multi-cycle row addressing and an idealistic protocol using single-cycle row addressing. Adaptive row addressing is presented in Chapter 2 and combines three techniques:

- **row-address caching** to reduce the number of address-transfer cycles by exploiting row-address locality \[32, 33\], where the thesis proposes 2-way row-address caches with a custom organization for high encoding efficiency;
- to alleviate the penalty of address-cache misses the thesis proposes **row-address prefetching**; and
- to make the memory-request scheduler aware of variable address-transfer latencies and thus to eliminate a negative impact of row-address caching on the request-service order, the thesis proposes an **adaptive row-access priority policy**.

Second, to facilitate complete and accurate design-space exploration for hybrid main memories by timely identifying the most promising design points for subsequent detailed evaluation, this thesis contributes two analytic methods, presented in Chapters 3 and 4:

- **Crystal** \[34\], a design-time resource partitioning method for quick memory-system area partitioning between DRAM and SCM through exhaustive search for given workloads and partitioning goals (e.g., minimize execution time, energy, and cost); and

- **Rock**, a framework that helps system architects to infer important trends for design-space pruning by mutually considering hybrid-memory design dimensions like the total memory-system area, memory-system area partitioning between DRAM and SCM, allocation of the DRAM and SCM capacities among co-running programs, and data placement within the allocated capacities.

Lastly, to address the fairness and performance issues in hardware-managed, flat, migrating hybrid memories the thesis contributes **ProFess**, a Probabilistic hybrid main memory management Framework for high performance and fairness, presented in Chapter 5. ProFess combines two mechanisms:

- a **Slowdown Estimation Mechanism (SEM)** to dynamically monitor individual program slowdowns in multiprogrammed workloads based on a new approach to proxy performance via the number of served memory requests and migrations in proposed *private* (dedicated, one per core) and *shared* regions of the hybrid memory; and
• a conceptually new, probabilistic Migration Decision Mechanism (MDM) to predict the number of accesses to each data block and thereby enable individual cost-benefit analysis for each pair of blocks in SCM and DRAM for driving migration decisions. Within ProFess, MDM decides which blocks to move to DRAM for high system performance, and SEM guides it towards high fairness.

1.3 Thesis Organization

The rest of the thesis is organized as follows. The next four chapters describe one contribution each from motivation to proposal to evaluation: Chapter 2 presents the concept of adaptive row addressing and the three techniques under its umbrella; Chapters 3 and 4 respectively present Crystal and Rock; and Chapter 5 presents ProFess and its two key mechanisms, SEM and MDM. Finally, Chapter 6 discusses future work and concludes the thesis.
Parallel DDR protocols with multi-drop buses have been de facto standard main memory protocols for about 15 years, and DDR4 [35] is the latest in the line. Although emerging point-to-point protocols like Hybrid Memory Cube (HMC) [21] offer significantly higher peak bandwidths, they fall short in terms of latency in large-capacity memories. For instance, HMC devices have to be connected into a “far memory” network to increase capacity, and each hop adds latency\(^1\). Parallel protocols with multi-drop buses do not have this issue; thus they will remain key to large-capacity and still low-latency main memories [37].

Future memory capacity growth implies wider addresses. However, the address bus currently implemented in DDR4 has reached the limit of the feasible number of pins for high-speed (high-data-rate) parallel protocols: it is the widest bus of the protocol, and

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\(^1\)Based on the state-of-the-art Xilinx SERDES [36], optimistic latency estimates for a 16-lane link with 15Gbps lanes are 15-20ns per hop, one way. Assuming 40-50ns internal DRAM latencies, such link latencies are inline with the read latencies of a single HMC measured by Gokhale et al. [22].
increasing its width would present a connectivity challenge leading to signal integrity issues, routing congestion, pad-limited designs, and increased manufacturing expense [38]. The burden of additional address pins would propagate through memory modules and channels down to the processor, requiring system-level changes. That is, widening the address bus would render parallel memory protocols slow and cost-ineffective.

So to meet large-capacity demands, parallel protocols should multiplex the available pins and transfer each address in multiple bus cycles\(^2\), implementing Multi-Cycle Addressing (MCA). An idealistic protocol labeled DDR\(^{id}\) would have the same speed but enough pins to transfer each address in a single bus cycle, implementing Single-Cycle Addressing (SCA). Compared to DDR\(^{id}\), MCA protocols can have significantly lower performance and energy efficiency, and so it is important to improve them.

This chapter contributes adaptive row addressing as a general approach to close the performance and energy-efficiency gaps between MCA and idealistic SCA protocols. It does so by combining three techniques. A first technique is row-address caching that exploits row-address locality [32, 33] to reduce the number of cycles per address transfer by caching the most-significant row-address bits. I propose 2-way row-address caches with a custom organization for high efficiency. To alleviate the performance penalty of address-cache misses, I propose a second technique: row-address prefetching that is effective yet simple to integrate with state-of-the-art memory schedulers. Further, a detailed analysis of memory-request scheduling reveals that row-address caching can negatively impact the request service order. This holds for state-of-the-art schedulers that reorder row accesses using the conventional first-ready policy [39, 40] (for instance, First-Ready, First-Come-First-Serve (FRFCFS) [39, 40] or the Blacklisting memory Scheduler (BLISS) [41], among many others). To eliminate the negative impact, I propose a third technique: an adaptive row-access priority policy that can simply replace the first-ready policy.

I study the effectiveness of the above techniques using a high-speed, cost-effective MCA protocol based on DDR4 in large-capacity, low-latency main memories. The read latency gap between the MCA protocol and DDR\(^{id}\) is 7.5% on average and up to 12.5%; the system-level performance and energy efficiency gaps are 5.5% on average and up to 6.5%. My evaluation shows that: i) the proposed 2-way row-address caches perform nearly as well as fully-associative ones; ii) the benefit of row-address prefetching exceeds the benefit of doubling the address-cache size; and iii) the adaptive row-access priority policy cooperates with row-address prefetching to achieve the best performance. Combined, the three techniques of adaptive row addressing robustly close the gap between the MCA protocol and DDR\(^{id}\).

\(^2\)Unless stated otherwise, the word “cycle” denotes an address-bus cycle throughout this chapter.
2.1 Background and Motivation

According to insights by JEDEC member companies, future systems will employ a point-to-point protocol for high bandwidth and a parallel protocol with multi-drop buses for large capacity and low latency [37]. Next, Section 2.1.1 provides relevant background information on large-capacity memories and DDR4, the latest parallel memory protocol. Section 2.1.2 motivates MCA, and Section 2.1.3 motivates adaptive row addressing.

2.1.1 DDR4 DRAM Memory System

Device Organization A DDR4 device is organized as up to eight 3D-stacked memory dies connected by through-silicon vias. The dies share the Command/Address (CA) bus and the data bus. A die contains four bank groups each comprising four banks, as shown in Figure 2.1 [42]. Each bank is organized as a memory array with up to 256K rows and 1K columns [35].
CHAPTER 2. COST-EFFECTIVE ADDRESSING

Device Operation  The precharge command (PRE) prepares the target bank for an activation and incurs a delay labeled \( t_{RP} \). The activate command (ACT) opens a row in a bank, i.e., senses the target row into the bank’s row buffer (also known as sense amplifiers). ACT incurs a delay labeled \( t_{RCD} \). Next, the target column is accessed in the row buffer by column read (RD) or write (WR) commands with respective delays \( CL \) and \( CWL \). The row buffer is accessed in bursts of eight data-bus half-cycles, and so each column access occupies the data bus for four cycles. Activations are destructive, thus the content of the row buffer has to be restored to the memory array. The restore starts automatically in the background and its latency is \( t_{RAS} \). Hence, the minimum delay between consecutive ACTs to the same bank is \( t_{RC} = t_{RAS} + t_{RP} \). The delay between consecutive ACTs to different banks in the same bank group is labeled \( t_{RRD,L} \), and that to different banks in different groups is labeled \( t_{RRD,S} \). Because of bank grouping, \( t_{RRD,L} > t_{RRD,S} \). Likewise, there are two delays between consecutive column accesses: \( t_{CCD,L} \) and \( t_{CCD,S} \), where \( t_{CCD,L} > t_{CCD,S} \) [35].

Device Address Pins  A typical DDR4 device used in large-capacity memories has 78 pins in total, half of which are power and ground and four are data pins [42]. Most of the remaining pins belong to the CA bus.

The address pins of the CA bus include three Chip-ID pins for addressing the 3D-stacked dies, two bank-group and two bank-address pins for addressing the banks, and 18 pins labeled \( A[17:0] \) for row addressing during ACT. Pins \( A[9:0] \) are multiplexed for column addressing within the open row during the column access commands (RD or WR).

The row address is significantly wider than the column address (18 vs. 10 bits), and in large-capacity memories this width gap has been growing. That is, the row-address width dictates the CA-bus width. As a result, some of the CA-bus pins are under-utilized: a detailed analysis reveals that pins \( A[17] \) and \( A[13] \) are functionally used only during ACT.

Channel Organization  A parallel memory channel is organized as one or more memory modules that share the CA bus and the data bus. A module is organized as a number of memory devices that share the CA bus, but each device connects to a private slice of the data bus. For instance, the Registered Dual In-line Memory Module (RDIMM) [43] in Figure 2.2 [44] holds 16 memory devices each with four data pins

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3Pins \( A[17] \) and \( A[13] \) are used during ACT and Mode Register Set (MRS), but during MRS they must be set to zero [35] and thus they are not functionally used (i.e., they can be internally hardwired to zero).
2.1. BACKGROUND AND MOTIVATION

Forming a 64-bit data bus (I exclude memory devices and respective additional data-bus pins used for error detection and correction, since it is outside the scope of the chapter).

Channel Operation Each die of a memory device operates in lockstep with the respective dies across the other devices of the module forming a rank. For instance, the 16 devices in Figure 2.2 with eight dies per 3D stack form eight ranks. The number of consecutive ACTs to the same rank is limited to four per sliding window $t_{F_{AW}}$. Consecutive column accesses to different ranks incur a switching delay labeled $t_{RTRS}$.

Electrical Constraints Unlike the DDR data bus, the CA bus is Single Data Rate (SDR) due to a high electrical load in large-capacity memories, as follows. Each memory device appears as a single electrical load regardless of the number of dies per 3D stack, since the bottom die isolates the loads of the other dies. Thus an Unbuffered Dual In-line Memory Module (UDIMM) [45] with 16 devices appears as 16 loads on the CA bus and as one load on each 4-bit slice of the 64-bit data bus. Populating the channel with a second UDIMM doubles the respective numbers of loads. A heavily loaded CA bus can lead to low data rates, since: 1) the maximum operating clock rate (frequency) for reliable transmission on a bus decreases as the number of loads on the bus grows, and 2) the clock signal is shared between the CA bus and the data bus. Thus in large-capacity, high-performance memories UDIMMs have been superseded by RDIMMs, that register the CA bus as shown in Figure 2.2. An RDIMM appears as a single load on the channel’s CA bus (the pre-register CA bus). However, the number of loads on the RDIMM’s CA bus (the post-register CA bus) is still large, totaling half the number of memory devices per module. Load Reduced DIMMs (LRDIMMs) register both the CA bus and the data bus [46]. Though, they do not reduce the number of loads on the post-register CA bus [47].
Thus, even if RDIMMs or LRDIMMs are employed, the CA bus has a large number of loads and has to be SDR in order to guarantee the peak data rates.

### 2.1.2 Multi-Cycle Addressing (MCA)

Future memory capacities are expected to grow. For instance, the International Technology Roadmap for Semiconductors predicts 3D stacks taller than eight dies [48]. In addition, memory die densities continuously increase [49].

Capacity growth implies wider addresses. However, widening the address bus beyond that of DDR4 would cause multiple issues manifesting themselves in lower speeds and higher costs [38]. Besides, widening the bus for row addressing would increase the number of already under-utilized pins. Thus to stay high-speed and cost-effective, parallel memory protocols have to address larger capacities by using the available pins economically. In addition, the CA bus has to be SDR in order to comply with the stringent electrical constraints, required to guarantee the peak data rates (making the CA bus DDR would reduce its maximum frequency and hence it would slow the data bus). This suggest MCA, where pins are multiplexed to transfer each address in multiple CA-bus cycles.

### 2.1.3 DDR4-Based Two-Cycle Row Addressing

To avoid costly disruptions of the well-established DDR4 ecosystem, I consider an MCA protocol that is based on DDR4 and has the same pin count and speed. To support future large capacities while using the available pins economically, I reassign the under-utilized $A_{[17]}$ and $A_{[13]}$ from row address to Chip ID thus enabling up to 32 dies per 3D stack. Row addresses are transferred over the remaining 16 pins ($A_{[16:14]}, A_{[12:0]}$) in two cycles\(^4\).

Although some address-transfer cycles can be overlapped with bank-busy cycles, the opportunity to do so is limited. Additional address-transfer cycles interfere with other commands on the CA bus, causing the MCA protocol to perform significantly worse than DDR\textsuperscript{id} (the idealistic protocol with enough pins for SCA). Figure 2.3 shows that two-cycle row addressing in 100 multi-program workloads (the experimental setup is described in Section 2.3) increases the read latency by about 7.5% on average and up to 12.5%. Figure 2.4 shows that two-cycle row addressing reduces the system-level performance by 4%

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\(^4\)An alternative optimization could reassign three pins—$A_{[17]}, A_{[13]}, A_{[11]}$—from row address to Chip ID and, e.g., bank address (should the number of banks increase in the future). This optimization affects only MRS and ACT [35]. The MRS opcodes would have to be sent in two cycles over pins $A_{[12]}, A_{[10:0]}$. However, MRS is used only during initialization. During normal operation, pins $A_{[16:14]}, A_{[12]}, A_{[10:0]}$ would transfer row addresses in two cycles. I evaluate an equivalent of this optimization as part of sensitivity analysis in Section 2.4.2.
2.2 Adaptive Row Addressing

I propose the concept of adaptive row addressing to close the efficiency gap between MCA and idealistic SCA protocols. Adaptive row addressing comprises three techniques described in the following sections: row-address caching (Section 2.2.1), row-address prefetching (Section 2.2.2), and an adaptive row-access priority policy (Section 2.2.3).

2.2.1 Row-Address Caching

The idea of address caching is to reduce the number of address-transfer cycles by exploiting address locality [32, 33]. The Most-Significant Portion (MSP) of each address can be cached on the memory-device side and later encoded by the Memory Controller (MC) with fewer bits, making it possible to transfer the entire address in fewer cycles.

I propose to employ one row-address cache per bank and to instantiate the address-cache update logic off the critical path on both the MC and the memory-device sides. Before issuing an ACT, the MC checks its respective cache for the MSP of the target row.
address. Upon a hit, it encodes the hit location and sends it to the target bank along with the Least-Significant Portion (LSP) of the row address, in one cycle. Upon a miss: 1) the MC encodes the miss and sends it with the LSP in one cycle, followed by the MSP in the second cycle; and 2) the MC updates its respective cache, and the memory dies of the target rank mirror the update in their own respective caches.

Row-address caches are most effective if consecutive memory accesses have the same MSPs. If MSPs are different, row-address caches can still be effective if the reuse distances [50] of the MSPs are short. In the following sections I discuss row-address locality, row-address cache organizations, and their implementation details.

**Row-Address Locality**

Row-address locality depends on a number of factors: 1) program row-access patterns, 2) virtual-to-physical address mapping, 3) physical-to-DRAM address mapping, and 4) interference among co-running programs. Figure 2.5 illustrates the virtual-to-physical and physical-to-DRAM address mappings in a system with a 48-bit virtual address space, 8-KB virtual pages (and 8-KB physical frames), four channels, 32 ranks per channel, and 64-B cache blocks. Figure 2.5 also shows how the row field (the 18-bit row address) is split into two portions by the 16 row-address pins, with bits 41-40 being the MSP.

Virtual-to-physical address mapping is a major factor affecting row-address locality with two extremes: 1) the OS maps virtual pages to sequential physical frames yielding high locality, and 2) the OS maps pages to random frames yielding low locality. In real systems, an intermediate amount of row-address locality can be expected.

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5The block field (bits 14-8) is 7-bit wide to address each 64-B cache block per aggregate 8-KB row buffer of 16 banks operating in lockstep, where each bank has a 512-B row buffer.
2.2. ADAPTIVE ROW ADDRESSING

Figure 2.6: Address-caching schemes R-1, F-31, D-31, and W-31

Row-Address Cache Organizations

Unlike in conventional caches, in such row-address caches tags are the same as data and the address space to be cached increases with the cache size, as follows. Since each cache location has to be encoded together with the LSP, doubling the address-cache size pushes out one bit from the LSP to the MSP thus doubling the number of possible MSP values. I estimate the efficiency of encoding as the ratio of the number of possible MSP values over the address-cache size (the lower the ratio, the higher the efficiency).

Figure 2.6 first shows the simplest address-caching scheme labeled R-1 that employs one MSP register per bank. R-1 uses one bit to encode a miss or a hit, and thus the MSP of the 18-bit row address is 3-bit wide and the ratio is $2^3/1 = 8$. A 3-entry cache would require two bits to encode a miss or a hit location, and so the MSP becomes 4-bit wide but the ratio improves to $2^4/3 = 5.33$.

Next, Figure 2.6 shows a scheme labeled F-31 that employs 31-way fully-associative caches. Bits 15-11 encode a miss or a hit way, thus the MSP is 7-bit wide (bits 22-16) and the ratio is $2^7/31 = 4.13$. The entire MSP has to be cached, and so the MSP-storage size is $31 \times 7 = 217$ bits per F-31 cache.
CHAPTER 2. COST-EFFECTIVE ADDRESSING

The third scheme in Figure 2.6 is labeled D-31 and employs 31-set direct-mapped caches. Upon a miss, the caches are indexed by bits 20-16, and since the number of sets is not a power of two, index 31 is wrapped to set 0. Since MSPs with different bits 20-16 (index 31 and index 0) can map to set 0, the entire MSP has to be cached. Thus, the MSP-storage size of D-31 is the same as that of F-31. Making the number of sets a power of two simplifies indexing but reduces the efficiency of encoding: like F-31, D-31 has the ratio of $2^7/31 = 4.13$, but a scheme with 32-set direct-mapped caches would have a much worse ratio of $2^8/32 = 8$.

The last scheme in Figure 2.6 is labeled W-31 and employs 31-entry, 2-way set-associative caches. The number of sets is 16 which simplifies indexing, and to achieve the same encoding efficiency as D-31 and F-31, I propose to disable the second way of the last set and use the all-ones combination to encode a miss. Thus upon a hit, bit 15 encodes the hit way and bits 14-11 the hit set, and in set 15 only the first way can be addressed. Upon a miss, bits 15-11 are set to one. W-31 requires a smaller MSP storage than F-31 and D-31, since MSPs with different bits 19-16 map to unique sets. That is, bits 19-16 come directly from the hit-set index (bits 14-11) and only three bits of the MSP (bits 22-20) have to be cached, reducing the MSP-storage size to $31 \times 3 = 93$ bits per W-31 cache. Thus the advantages of the proposed W-31 are simplicity, high encoding efficiency, small MSP storage, and a conflict-miss rate likely between those of F-31 and D-31.

Implementation Details

On the device side, I instantiate row-address caches right before the Control Unit’s Command/Address Register (recall Figure 2.1). Figure 2.7 shows an implementation sketch of W-31. For brevity, I rename pins $A[16:14], A[12:0]$ to $A_{\text{int}[15:0]}$.

Upon an address-cache miss, the row address is a concatenation of seven bits sent by the MC in the second address-transfer cycle ($A_{\text{int}[6:0]}$) and 11 LSP bits registered at the first address-transfer cycle (block 1M in Figure 2.7). Upon an address-cache hit, the row address is a concatenation of three cached MSP bits (block 1H in Figure 2.7) and 15 bits sent by the MC ($A_{\text{int}[14:0]}$).

The circuit operates transparently to the Control Unit (no changes to the Control Unit are needed). The row-address caches are tiny, and so decoding the hit location and reading out the MSP can be performed very fast, without a performance penalty on the SDR CA bus. The MSP-storage overhead is trivial and is dwarfed by the area of the banks.
Figure 2.7: Implementation sketch of address-caching scheme W-31
2.2.2 Row-Address Prefetching

The tiny size of row-address caches suggests that they might have high miss rates. In the following sections I discuss the miss rates, propose row-address prefetching to reduce them, and describe its implementation.

Address-Cache Miss Rates

I collect Least Recently Used (LRU) stack-distance histograms using Mattson’s algorithm [50] at the granularity of one cache block (64B) for single-program workloads and the system from Section 2.3 but with just one bank per rank. I consider MSP widths from 3 to 9 bits that yield, respectively, 1 to 7 bits to encode a miss or a hit location. Thus, the largest possible address-cache sizes are 1 to 127 entries.

To illustrate the miss rates, Figure 2.8 shows the miss curves of comm2 from the Memory Scheduling Championship (MSC) suite [52] for one of the banks (the miss curves for the other banks are very similar). The markers indicate the miss rates of the largest possible row-address caches for the respective MSP widths, i.e., the best miss rates. For instance, Figure 2.8a shows that when the virtual-to-physical mapping is sequential (the first extreme, yielding high locality) all of the MSP values can be cached, except when the MSP is 3-bit wide: then the best miss rate is 20%. Figure 2.8b shows that when the MSC frame numbers [52] are used, the best miss rate is about 50% for the 3-bit MSP (1-entry row-address cache) and about 5% for the 7-bit MSP (31-entry row-address cache). Figure 2.8c shows that when frames are allocated randomly (the second extreme, yielding low locality) the best miss rates increase dramatically. The MSC frame numbers [52] exhibit an intermediate amount of row-address locality that can be expected in real systems.

When the program is executed in a multi-program workload, the miss rates are likely to increase due to interference. Next I describe row-address prefetching, a technique to alleviate the penalty of address-cache misses.

Row-Address Prefetch Strategy

I propose row-address prefetching and implement it in the memory-request scheduler. I define a row-address prefetch as a command that transfers a request’s row-address MSP to the row-address cache of its target bank.

Schedulers maintain request queues, where the oldest request is the one that got enqueued first. The next command for each request depends on the status of its target bank and can be ACT, PRE, RD or WR. Memory timing constraints define whether a
2.2. ADAPTIVE ROW ADDRESSING

![Diagram](image)

(a) Sequential address mapping

(b) MSC frame numbers [52]

(c) Random address mapping

Figure 2.8: Address-cache miss curves of comm2 [52]. Markers show best miss rates for respective MSP widths
command can be issued at a specific CA-bus cycle. A row-address prefetch can be issued at an idle cycle, i.e., if no other command can be issued at that cycle.  

I propose the following prefetch strategy. The scheduler tracks banks that are eligible for prefetch, and initially all banks are flagged as eligible. A bank is flagged as ineligible if the oldest request to that bank has a one-cycle row address and its next command is ACT or PRE. A prefetch is permitted for a request if: 1) its target bank is flagged as eligible and 2) the request has a two-cycle row address and its next command is ACT or PRE. All permitted prefetches are prioritized first by command (requests whose next command is ACT get the high priority) and then by age (the oldest request gets the high priority). At an idle CA-bus cycle, the prefetch with the highest priority is issued. This way I prefetch for as many requests as possible and avoid prefetch interference per bank, i.e., address-cache interference of later prefetches with earlier ones. This strategy is an efficient tradeoff between the simplest strategy that prefetches for the oldest request (regardless of the target bank) and the finest-grain strategy that tracks address-cache sets eligible for prefetch (and so avoids prefetch interference per set).

Implementation Details

The protocol has to have a reserved command available. For instance, DDR4 has one reserved command [35] and MSPs up to 13 bits can be sent over pins $A_{12:0}$. The prefetch command is executed only by the address-cache control logic. An extension of the sketch in Figure 2.7 is straightforward: upon a prefetch command, update the row-address cache using $A_{\text{int}[6:0]}$. The storage overhead is one bit per bank to flag banks eligible for prefetch.

The proposed row-address prefetching is easy to integrate with state-of-the-art schedulers. For instance, BLISS [41] temporarily blacklists programs that recently issued four consecutive column accesses and prioritizes non-blacklisted programs. This simply adds one priority level to the proposed prefetch strategy: all permitted prefetches are first prioritized by program (requests of non-blacklisted programs get the high priority), then by command, and lastly by age.

---

6Idle cycles are expected since the CA bus is never utilized more than the data bus. Each request occupies the data bus for four cycles. Upon a row-buffer miss (PRE + ACT + RD/WR), a request with a two-cycle row address occupies the CA bus for four cycles. However, a request with a one-cycle row address occupies the CA bus for three cycles. Upon a row-buffer hit (RD/WR), each request occupies the CA bus for only one cycle. Hence, there is at least one idle CA-bus cycle per request with a one-cycle row address.
2.2. ADAPTIVE ROW ADDRESSING

2.2.3 Adaptive Row-Access Scheduling

Counter-intuitively, row-address caching and prefetching can increase the execution time compared to two-cycle row addressing in some cases\(^7\). I find that the problem is caused by the memory-request scheduler being agnostic to the variable number of cycles per row-address transfer. Next I present a detailed memory-request scheduling analysis, propose an adaptive row-access priority policy, and discuss its implementation details.

Analysis of Memory-Request Scheduling

Because of row-address caching, some ACTs get one-cycle row addresses (A1) while the other ACTs keep two-cycle row addresses (A2). Assuming that the address-cache control logic can register the row-address LSP while the target bank is busy, the MC can issue A2 one cycle earlier than A1. High-performance schedulers typically maintain read- and write-request queues and reorder requests according to a cascade of policies, where the last policy reorders row-access commands (ACT and PRE). FRFCFS [39, 40] and BLISS [41], among many other state-of-the-art schedulers, employ the conventional first-ready policy [39, 40] as the last in the cascade to prioritize the oldest row-access command that is ready to be issued. Since A2 can be issued one cycle earlier than A1, row-address caching can negatively impact the request service order produced by the first-ready policy, as illustrated in Figure 2.9. I assume RDIMMs and so A2 and A1 can be issued respectively three \((t_0 - 3)\) and two \((t_0 - 2)\) cycles before their target banks become ready \((t_0)\). Figure 2.9 shows that if the older ACT gets a one-cycle address, the younger ACT gets unfairly issued first, solely because it has a two-cycle address. This delays the older ACT, potentially slowing the execution. In a particularly bad case the

\(^7\)For instance, R-1 with row-address prefetching slows the execution of comm1 [52] by 2% in the system from Section 2.3 but with one bank per rank, which emphasizes the problem.
CHAPTER 2. COST-EFFECTIVE ADDRESSING

Table 2.1: Cases When Younger A2 Gets Issued Ahead of Older Row-Access Command

<table>
<thead>
<tr>
<th>Target Rank</th>
<th>Target Bank</th>
<th>Older Command</th>
<th>A1</th>
<th>PRE</th>
</tr>
</thead>
<tbody>
<tr>
<td>Same</td>
<td>Same</td>
<td>Case 1</td>
<td>Impossible</td>
<td></td>
</tr>
<tr>
<td>Same</td>
<td>Different</td>
<td>Case 2</td>
<td>Case 4</td>
<td></td>
</tr>
<tr>
<td>Different</td>
<td>Any</td>
<td>Case 3</td>
<td>Case 5</td>
<td></td>
</tr>
</tbody>
</table>

ACTs have the same target bank and the older ACT belongs to a load at the head of the Re-Order Buffer (ROB).

Note that the problem can slow the execution in both single- and multi-program cases, i.e., regardless if the ACTs belong to the same program/thread. The proposed row-address prefetch strategy is key to alleviate the penalty of address-cache misses. However, it prefetches for the oldest request, and thus increases the probability of the problem.

Table 2.1 lists the cases when a younger A2 gets unfairly issued ahead of an older row-access command. Figure 2.10 shows the respective schedules for each case, highlighting the minimum number of cycles that the service of the older read request gets delayed for, according to DDR4 DRAM timings [35, 42]. The width of one rectangle denotes one CA-bus cycle. The rectangles with dashed borders denote the cycles at which the older commands would get issued if there were no younger A2. For instance, in Case 1 the requests have the same target bank, and the delay totals \( t_{RAS} + t_{RP} = 28 + 10 = 38 \) cycles. The delay can be longer if the younger request is followed by other younger requests that hit in the row buffer. In Case 2 the requests have different target banks on the same channel, and the delay is at least \( t_{RRD_S} = 5 \) cycles (recall that \( t_{RRD_S} < t_{RRD_L} \)). Since in Cases 1 and 2 the ACTs are to the same rank, the service delays can be longer if \( t_{FAW} \) is not met. In Case 3 the requests are to banks of different ranks, and the delay is at least \( t_{CCD_S} + t_{RTRS} = 4 + 2 = 6 \) cycles (recall that \( t_{CCD_S} < t_{CCD_L} \)). Finally, Cases 4 and 5 are equivalent: the delay is one cycle, since the target banks are different and the PRE can be issued right after the ACT.

I also observe that row-address caching can positively impact the request service order. Figure 2.11 illustrates it relative to one-cycle row addressing (DDR\(^d\)). The younger A1 in Figure 2.11 is ready one cycle before the older A1 and thus gets issued first. However, if due to row-address caching the younger ACT remains A1 but the older ACT becomes A2, both are ready at the same cycle, and so the older ACT gets issued, potentially speeding the execution. Thus it is important to design a row-access priority policy that would eliminate the negative impact and retain the positive impact.
2.2. ADAPTIVE ROW ADDRESSING

Case 1 (same rank, same bank)  Data of older request gets delayed by tRAS + tRP

Case 2 (same rank, different banks)  Data of older request gets delayed by tRRD S

Case 3 (different ranks)  Data of older request gets delayed by tCCD S + tTRRS

Cases 4 and 5  Data of older request gets delayed by one cycle

Latencies (in CA-bus cycles): tRAS = 28, tRCD = 10, CL = 10, tRP = 10, tRRD S = 5, tCCD S = 4, tTRRS = 2

Figure 2.10: Minimum delays experienced by older read request when younger read request gets serviced first

Figure 2.11: Positive impact of row-address caching on request service order
Adaptive Row-Access Priority Policy

I propose an *Adaptive row-access Priority Policy (APP)* as follows. Since the service delays in Cases 1 to 3 are significant, I propose to postpone the younger A2 (that is, to not issue it at the current cycle) if there is an older A1 that will be ready at the next cycle. However, in Cases 4 and 5 there is a tradeoff. If I issue the A2, the service delay of the PRE is just one cycle. If I postpone the A2, its service delay would be two cycles. Thus, I propose to not postpone a younger A2 if there is an older PRE that will be ready at the next cycle.

To summarize, APP prioritizes an older A1 ready at the next cycle over a younger A2 ready at the current cycle, regardless whether the ACTs have the same target bank. I find that this single change to the first-ready policy eliminates the negative impact of row-address caching.

The address-cache miss rate can be reduced by prioritizing a younger A1 over an older A2 ready at the same cycle. However, this would eliminate the positive impact of row-address caching (Figure 2.11) and could slow the execution. Thus, there is no benefit to reduce the address-cache miss rate via scheduling beyond what APP already does.

Note that in the simplest case the MC could ignore the opportunity to issue A2 one cycle earlier than A1. This would avoid the negative impact of row-address caching at the cost of missing the opportunity to overlap the second address-transfer cycle of A2 with a bank-busy cycle. That is, it would diminish the benefit of adaptive row addressing. On the contrary, APP helps to exploit its full potential.

Implementation Details

The proposed APP can be used in state-of-the-art schedulers by simply replacing the first-ready policy. For instance, BLISS [41] prioritizes requests first by program (non-blacklisted programs get the high priority), then by column access, and finally by row access, using the first-ready policy for both column and row accesses. The implementation of APP in BLISS is straightforward: 1) prioritize an older A1 of a non-blacklisted program ready at the next cycle over a younger A2 ready at the current cycle, regardless if its program is blacklisted or not; and 2) prioritize an older A1 of a blacklisted program ready at the next cycle over a younger A2 of a blacklisted program ready at the current cycle.

2.3 Experimental Setup

I evaluate adaptive row addressing using a detailed memory system simulator USIMM [53], employed in recent memory-system research [54–57]. I extend USIMM with: 1) the
2.3. EXPERIMENTAL SETUP

Table 2.2: System Configuration

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Number of cores</td>
<td>32</td>
</tr>
<tr>
<td>Core:</td>
<td></td>
</tr>
<tr>
<td>Clock speed</td>
<td>3.2GHz</td>
</tr>
<tr>
<td>ROB size</td>
<td>160</td>
</tr>
<tr>
<td>Retire width</td>
<td>4</td>
</tr>
<tr>
<td>Fetch width</td>
<td>4</td>
</tr>
<tr>
<td>Pipeline depth</td>
<td>10</td>
</tr>
<tr>
<td>Cache block size</td>
<td>64B</td>
</tr>
<tr>
<td>LLC size, total</td>
<td>16MB</td>
</tr>
<tr>
<td>LLC size, per core</td>
<td>512KB</td>
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<tr>
<td>Memory bus clock speed</td>
<td>800MHz</td>
</tr>
<tr>
<td>Memory channels</td>
<td>4</td>
</tr>
<tr>
<td>Ranks per channel</td>
<td>2</td>
</tr>
<tr>
<td>Banks per rank</td>
<td>16</td>
</tr>
<tr>
<td>Rows per bank</td>
<td>256K</td>
</tr>
<tr>
<td>Cache blocks per row</td>
<td>128</td>
</tr>
<tr>
<td>Physical address width</td>
<td>38 bits</td>
</tr>
</tbody>
</table>

Table 2.3: DRAM Device Parameters

<table>
<thead>
<tr>
<th>Timing (800MHz cycles)</th>
<th>Power supply (V)</th>
</tr>
</thead>
<tbody>
<tr>
<td>$t_{RCD}$</td>
<td>10</td>
</tr>
<tr>
<td>$V_{DD}$</td>
<td>1.2</td>
</tr>
<tr>
<td>$t_{RP}$</td>
<td>10</td>
</tr>
<tr>
<td>$V_{PP}$</td>
<td>2.5</td>
</tr>
<tr>
<td>CL</td>
<td>10</td>
</tr>
<tr>
<td>$t_{RAS}$</td>
<td>28</td>
</tr>
<tr>
<td>Current (mA)</td>
<td></td>
</tr>
<tr>
<td>$t_{RC}$</td>
<td>38</td>
</tr>
<tr>
<td>$I_{D{D}0}$</td>
<td>58</td>
</tr>
<tr>
<td>$t_{RRD_{S}}$</td>
<td>5</td>
</tr>
<tr>
<td>$I_{P_{PO}}$</td>
<td>4</td>
</tr>
<tr>
<td>$t_{RRD_{L}}$</td>
<td>6</td>
</tr>
<tr>
<td>$I_{D{D}2P}$</td>
<td>30</td>
</tr>
<tr>
<td>CWL</td>
<td>9</td>
</tr>
<tr>
<td>$I_{D{D}2N}$</td>
<td>44</td>
</tr>
<tr>
<td>$t_{WR}$</td>
<td>12</td>
</tr>
<tr>
<td>$I_{D{D}3P}$</td>
<td>44</td>
</tr>
<tr>
<td>$t_{WTR_{S}}$</td>
<td>2</td>
</tr>
<tr>
<td>$I_{D{D}3N}$</td>
<td>61</td>
</tr>
<tr>
<td>$t_{WTR_{L}}$</td>
<td>6</td>
</tr>
<tr>
<td>$I_{P_{PSB}}$</td>
<td>3</td>
</tr>
<tr>
<td>$t_{RTP}$</td>
<td>6</td>
</tr>
<tr>
<td>$I_{D{D}4R}$</td>
<td>140</td>
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<tr>
<td>$t_{CCD_{S}}$</td>
<td>4</td>
</tr>
<tr>
<td>$I_{D{D}4W}$</td>
<td>144</td>
</tr>
<tr>
<td>$t_{CCD_{L}}$</td>
<td>5</td>
</tr>
<tr>
<td>$I_{D{D}5}$</td>
<td>190</td>
</tr>
<tr>
<td>$t_{RTRS}$</td>
<td>2</td>
</tr>
<tr>
<td>$I_{P_{PS}}$</td>
<td>22</td>
</tr>
<tr>
<td>$t_{REFI}$</td>
<td>6240</td>
</tr>
<tr>
<td>DQ pins</td>
<td>4</td>
</tr>
<tr>
<td>$t_{RFC}$</td>
<td>208</td>
</tr>
<tr>
<td>$t_{RFC}$</td>
<td>16</td>
</tr>
</tbody>
</table>

I estimate the CA-bus dynamic power as the termination power of CA transfers. I use the same termination power per CA pin as per data pin [58].

9This address extension is pessimistic for adaptive row addressing compared to the default address extension of USIMM, that inserts core-ID bits into the most-significant bits of the row field [53].

System Configuration  Table 2.2 shows key system parameters. I configure the system to have a similar number of cores and channels as Intel Xeon E7-8890 v3 [18], which has 36 threads (18 cores) and four channels. The baseline system has 32 cores and a 38-bit physical address space formed by four channels, two ranks per channel and 16 DDR4 DRAM dies per rank with parameters shown in Table 2.3 [42]. The Last-Level Cache (LLC) size is scaled down accordingly to the scaling of the program execution for 8 latency of CA transfers; 2) the latency of the RDIMM’s register [43]; 3) DDR4 timing constraints; 4) DDR4 power model that implements Micron’s DDR4 System Power Calculator [58] and in addition estimates the dynamic power of the CA bus; 5) the row:rank:bank:block:channel:block_offset physical-to-DRAM address mapping (baseline for the open-page row-buffer management policy) [51]; and 6) an address extension that separates the physical address spaces of different programs by adding unique, random bits right after the block field. For sensitivity analysis I extend USIMM with: 1) page coloring such that each program gets its own bank [59, 60] and 2) sequential and random virtual-to-physical address mappings.
CHAPTER 2. COST-EFFECTIVE ADDRESSING

Table 2.4: MSC Programs [52]

<table>
<thead>
<tr>
<th>PARSEC</th>
<th>MPKI</th>
<th>BioBench</th>
<th>MPKI</th>
<th>Intel Commercial</th>
<th>MPKI</th>
</tr>
</thead>
<tbody>
<tr>
<td>black</td>
<td>3.2</td>
<td>mummer</td>
<td>20.4</td>
<td>comm1</td>
<td>6.9</td>
</tr>
<tr>
<td>face</td>
<td>6.2</td>
<td>tigr</td>
<td>27.4</td>
<td>comm2</td>
<td>8.5</td>
</tr>
<tr>
<td>ferret</td>
<td>6.7</td>
<td></td>
<td></td>
<td>comm3</td>
<td>3.5</td>
</tr>
<tr>
<td>fluid</td>
<td>3.0</td>
<td>SPEC CPU2006</td>
<td></td>
<td>comm4</td>
<td>2.4</td>
</tr>
<tr>
<td>freq</td>
<td>3.0</td>
<td>leslie (leslie3d)</td>
<td>6.4</td>
<td>comm5</td>
<td>1.6</td>
</tr>
<tr>
<td>stream</td>
<td>3.7</td>
<td>libq (libquantum)</td>
<td>14.0</td>
<td></td>
<td></td>
</tr>
<tr>
<td>swapt</td>
<td>3.5</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Simulation [52]. The system uses 8-KB OS pages, the default USIMM virtual-to-physical address mapping (the MSC frame numbers [52]), and the pessimistic address extension described above. The MC employs one read-request queue and one write-request queue per channel, FRFCFS for each queue, and the default USIMM policy for write-request-queue draining. The write-request queue size, high and low watermarks are 96, 60 and 20, respectively.

Workloads Table 2.4 shows the single-threaded programs from the MSC suite [52], where MPKI denotes the number of read Misses in the LLC Per Kilo Instruction. Using the programs I generate 100 unique, random, 32-program workloads with a uniform distribution of the average MPKI per core from 5 to 25.

Scaling Method The program address spaces are limited to 32 bits [52, 53]. Thus a 32-program workload would exercise only $32 + 5 = 37$ address bits. Since the baseline system has a 38-bit physical address space, the most-significant bit of all row addresses would be fixed (e.g., zero). To make the evaluation pessimistic for adaptive row addressing, I inflate the workload address space using the following method: I insert $\Delta = w_{PA} - w_{WA}$ zero bits into the least-significant bits of the row field, where $w_{PA}$ is the physical address space width and $w_{WA}$ is the workload address space width. Thus, I insert one zero bit to scale the 37-bit workload address space up to 38 bits. Note that for random virtual-to-physical address mapping such scaling is not needed.

System-Level Metrics I assess weighted speedup [61], execution energy, and fairness [61]. Weighted speedup is given by $\sum_i \left( IPC_{i}^{MP} / IPC_{i}^{SP} \right)$ for all programs $i$ in the workload, where $IPC_{i}^{MP}$ denotes the Instructions Per Cycle (IPC) of program $i$ when it is executed in the workload, and $IPC_{i}^{SP}$ when it is executed alone. Since I consider performance loss compared to DDR$^{id}$, I express it as normalized weighted slowdown, i.e., as the weighted speedup of DDR$^{id}$ over that of two-cycle or adaptive row
addressing. Execution energy is estimated by the USIMM system energy model with my extensions described above. Fairness is estimated as the maximum slowdown across the programs in the workload, given by $\max_i \left( \frac{IPC_i^{SP}}{IPC_i^{MP}} \right)$.

**Non-System-Level Metrics** I consider the read-request latency and *Address-Cache Miss rate (ACM)*, estimated as the percentage of two-cycle row addresses among all row addresses transferred. Each metric is averaged across the channels.

### 2.4 Experimental Results

I evaluate two-cycle row addressing (A2) and adaptive row addressing with various address-caching schemes and schedulers built on FRFCFS and BLISS (APP adds suffix -A and row-address prefetching adds suffix -P). Performance, energy, and fairness results are normalized to those of DDR$^4$. Next, Section 2.4.1 presents the main evaluation and Section 2.4.2 the sensitivity analysis.

#### 2.4.1 Main Evaluation

**Benefit of APP**

Figure 2.12 presents the ACM and fairness of A2 and R-1 employing the four possible versions of FRFCFS: baseline, FRFCFS-A (with APP), FRFCFS-P (with row-address prefetching), and FRFCFS-AP (with both APP and prefetching). The box plots [62] summarize the results for each configuration across 100 workloads from Section 2.3.
Figure 2.12a shows that FRFCFS-A slightly reduces the ACM spread compared to FRFCFS. This is because APP prioritizes some of the one-cycle row addresses. FRFCFS-P further reduces the ACM spread and mean. However, the lowest ACM is achieved by FRFCFS-AP, that combines APP and row-address prefetching.

Figure 2.12b shows that the ACM improvements correlate well with fairness gains. FRFCFS-P reduces the ACM but increases the probability of the negative impact of row-address caching on the request service order. APP eliminates the negative impact, and so FRFCFS-AP achieves the best fairness for R-1. Recall also that APP eliminates the negative impact in both single- and multi-program workloads. Thus, APP is a key technique to exploit the full potential of adaptive row addressing via cooperation with row-address prefetching. For brevity, I further present results only with APP.

Performance of FRFCFS-A

FRFCFS-A employs APP but not row-address prefetching. Figure 2.13 presents normalized weighted slowdown of A2, R-1, and various schemes with row-address caches of three to 63 entries: direct-mapped \((D-3 \text{ to } D-63)\), 2-way \((W-3 \text{ to } W-63)\), and fully-associative \((F-3 \text{ to } F-63)\). The \(W-*\) and \(F-*\) caches are LRU-managed. Figure 2.13 shows that the performance gap between A2 and DDR\(^{id}\) (the \(1.00\) guide line) is about 5.5% on average and up to 6.5%. The gap is significant because: i) the opportunity to overlap address-transfer cycles with bank-busy cycles is limited, and ii) additional address-transfer cycles interfere with other commands on the CA bus.

Figure 2.13 shows that FRFCFS-A significantly improves performance: the row-address caches with 15 or more entries perform within 1% of DDR\(^{id}\). Counter-intuitively, for some workloads the MCA protocol performs even better than DDR\(^{id}\) (see the points below the \(1.00\) guide line). I find that FRFCFS-A significantly reduces the number of two-cycle row addresses and the positive impact of the remaining two-cycle addresses on the request service order outweighs the overhead of the extra address-transfer cycles.

Next, Figure 2.13 shows that the \(W-*\) row-address caches perform almost as well as the respective \(F-*\) caches. For instance, both W-31 and F-31 achieve performance within 0.5% of DDR\(^{id}\). Hence, there is no clear benefit from associativity above two.

Performance of FRFCFS-AP

FRFCFS-AP employs both APP and row-address prefetching. Figure 2.14 shows that the latter further improves performance. For instance, R-1 in Figure 2.14 outperforms D-3 in Figure 2.13. Likewise, D-15, W-15, and F-15 in Figure 2.14 respectively outperform D-63, W-31, and F-31 in Figure 2.13. Thus, FRFCFS-AP outperforms FRFCFS-A with two or more times larger row-address caches. In other words, the benefit of row-address
2.4. EXPERIMENTAL RESULTS

Prefetching exceeds the benefit of doubling the address-cache size. I consider 31-entry row-address caches as a reasonable design point. Although smaller caches also perform well, they lack robustness, as I discuss in Section 2.4.2.

Detailed Results for FRFCFS-A(P)

I find that the read-request latency of A2 is longer than that of DDR by 7.5% on average and up to 12.5% (Figure 2.3). FRFCFS-A and FRFCFS-AP improve the read-request latency in much the same way as they improve the system performance in Figures 2.13 and 2.14. For brevity, I omit the read-latency plots.

Figure 2.15 presents detailed results for A2 and D-31, W-31, F-31 using FRFCFS-A vs. D-15, W-15, F-15 using FRFCFS-AP. Figure 2.15a shows that row-address prefetching significantly reduces the ACM spread: the 15-entry row-address caches using FRFCFS-AP achieve a two times smaller ACM spread compared to the respective 31-entry caches using FRFCFS-A. Figures 2.15b, 2.15c and 2.15d show that thanks to the smaller ACM spread, the 15-entry caches outperform the respective 31-entry caches in terms of system-level performance, execution energy, and fairness. This emphasizes the benefit of row-address prefetching.
Figure 2.15c shows that F-31, W-15, and F-15 have lower system-level execution energies than DDR\textsuperscript{id} for half of the workloads (the medians rest on the 1.00 guide line). The energy-efficiency gain over DDR\textsuperscript{id} is due to: 1) the narrower CA bus and 2) the positive impact of row-address caching on the request service order.

The fairness results in Figure 2.15d are similar to the results in Figures 2.15b and 2.15c, though the spread is larger. Still, FRFCFS-AP closes the fairness gap between A2 and DDR\textsuperscript{id} from 5% on average to less than 1%.

Results for BLISS-A and BLISS-AP

I find that the normalized results for BLISS-A(P) are very similar to the respective results for FRFCFS-A(P), and so I omit them for brevity. Despite that BLISS truncates long sequences of row-buffer hits (to improve fairness) [41] and thus can cause more ACTs,
2.4. EXPERIMENTAL RESULTS

adaptive row addressing is still effective. Although BLISS is more fair than FRFCFS, it is vulnerable to the negative impact of row-address caching in single- and multi-program workloads. Thus, BLISS needs APP to eliminate the negative impact.

2.4.2 Sensitivity Analysis

OS Page Size

The most significant bits of the page offset field of the virtual address map to the block field of the DRAM address (Figure 2.5). Thus a larger OS page size could potentially reduce row-buffer miss rates. To separate the physical address spaces of the programs in the workload, I generate unique, random bits per page (Section 2.3). A larger OS page size means fewer pages and thus it could reduce the ACM as well. However, I observe that the results for 8-KB pages are very similar to those for 4-, 16-, and 32-KB pages. Thus, the OS page size is not a major factor in this evaluation.

Page Coloring

The OS can implement page coloring such that each core (program) gets its own bank [59, 60]. Such page coloring separates the physical address spaces of the programs by adding core-ID bits right after the block field of the DRAM address. This reduces bank-level interference among co-running programs, improving the efficiency of adaptive row addressing.

Figure 2.16 shows that under page coloring adaptive row addressing is very effective even without row-address prefetching: the ACM in Figure 2.16a is less than 2%, and the
performance, energy, and fairness of FRFCFS-A are very similar to those of FRFCFS-AP. Figure 2.16d shows that A2 attains better fairness than DDR$^{id}$ for some workloads (the bottom whisker crosses the 1.00 guide line). Though, the spread is large and for some workloads fairness is lower by almost 10%. On the contrary, adaptive row addressing significantly reduces the spread and attains nearly the same fairness as DDR$^{id}$ for all of the workloads except a few outliers.

**Random Virtual-to-Physical Address Mapping**

The default USIMM virtual-to-physical address mapping, employed so far, exhibits an intermediate amount of row-address locality expected in real systems. Figure 2.17 shows that random virtual-to-physical address mapping degrades the efficiency of adaptive row addressing across the metrics. Such randomization destroys locality, increasing both row-buffer miss rates and the ACM. Thus it can be considered the worst case for adaptive row addressing.

However, Figure 2.17a shows that row-address prefetching manages to reduce the ACM of W-31 from about 50% on average down to less than 20% on average. Thanks to that W-31 with FRFCFS-AP reduces the gap between A2 and DDR$^{id}$ to 1.5% on average, as Figures 2.17b to 2.17d show. I omit the results for row-address caches smaller than W-31 since they are less robust and perform poorly under random virtual-to-physical address mapping.

**Wider MSPs**

The encoding efficiency of a row-address cache of a fixed size decreases as the MSP width increases. Thus, wider MSPs make it more challenging for adaptive row addressing to close the gap between A2 and DDR$^{id}$. I assume that MSPs can be wider due to one or more of the following reasons: i) the continuous growth of memory die densities [49] can imply more rows per bank, requiring wider row addresses; ii) techniques like rank multiplication [63, 64] use row-address bits for addressing additional ranks; iii) should the rows become smaller in the future, wider row addresses will be required to address the same bank capacity; and iv) the alternative optimization from Section 2.1.3, that reassigns three row-address pins, would push one more bit out to the MSP. To stress adaptive row addressing, I assume a 16 times larger capacity and therefore 4-bit wider MSPs. I employ the scaling method from Section 2.3 to appropriately scale the 37-bit workload address space up to the 42-bit physical address space.

Figure 2.18 shows the results for W-31 using FRFCFS-A(P). The MSP is 11 bits, and the encoding efficiency of W-31 is 16 times worse than that of W-31 in Figure 2.6. Figure 2.18a shows that the ACM of W-31 without row-address prefetching is high, about
40% on average. However, W-31 with row-address prefetching achieves an average ACM of only 10%. This brings adaptive row addressing within 1% of DDR\textsuperscript{id} in terms of the average values of the system-level metrics (Figures 2.18b to 2.18d). Smaller row-address caches are less robust than W-31 and perform poorly under wide MSPs.

### 2.5 Related Work

**Multi-Part and Multi-Cycle Addressing** The third generation of Low Power Double Data Rate (LPDDR) memory protocols, LPDDR3 [65], has a 10-pin CA bus and transfers each row address in two parts in one cycle (the CA bus is DDR), which is practical in small memories, where the number of devices (loads) on the CA bus is...
small. Currently LPDDR3 is being replaced by LPDDR4 [66], that has a 6-pin CA bus and transfers each row address in four parts in four cycles (the CA bus is SDR to support higher speeds). The protocols are optimized for relatively small memories. On the contrary, this chapter considers future parallel protocols for large memories and proposes adaptive row addressing to boost their efficiency.

**Large-Capacity Memory Modules** LRDIMMs can offer larger module capacities than RDIMMs operating at the same speed. LRDIMMs implement rank multiplication, that uses row-address bits to address additional ranks [63, 64]. Thus, rank multiplication assumes that some of the row-address bits are unused, i.e., that the memory-device capacity is smaller than the maximum capacity defined by the respective standard. Main memories that employ future LRDIMMs designed for MCA protocols would benefit from the proposed adaptive row addressing.

**Address Caching** The idea of address compression for off-chip transmission [32, 33] has been generalized to reduce total off-chip traffic [67], and multiple later works apply it to on-chip transmission. Unlike prior work, this chapter: 1) removes the address-cache update logic from the critical path of the MC, i.e., it mirrors the update logic on the memory-device side, so that the MC does not need to send explicit address-cache update commands upon a miss; 2) proposes address-caching schemes with \((2^n-1)\)-entry, 2-way caches where one way of one set is disabled for high encoding efficiency; and 3) studies row-address caching for large-capacity off-chip memories in contemporary multicore systems with state-of-the-art memory-request schedulers.

**Prefetching** Although prefetching is well-studied in other contexts, to the best of my knowledge this is the first proposal of *row-address* prefetching for off-chip memories.

**Memory Scheduling** There exists a massive body of work about memory-request scheduling, and the first-ready policy [39, 40] is commonly used to reorder row accesses. However, prior work assumes a fixed number of cycles per row-address transfer. On the contrary, this chapter tackles a variable number of cycles per row-address transfer and proposes an adaptive row-access priority policy. The proposed policy eliminates the negative impact of row-address caching in both single- and multi-program workloads and retains its positive impact.
2.6 Summary

Cost-effective yet high-speed parallel memory protocols with multi-cycle addressing are key to large-capacity and still low-latency main memories. This chapter proposes the concept of adaptive row addressing as a general approach to close the efficiency gap between such protocols and an idealistic protocol of the same speed but with enough pins for single-cycle addressing. Adaptive row addressing comprises three techniques: 1) row-address caching, 2) row-address prefetching, and 3) an adaptive row-access priority policy. This chapter shows that adaptive row addressing robustly closes the said efficiency gap by boosting system-level performance, energy efficiency, and fairness of protocols with multi-cycle addressing up to the level of the idealistic protocol and in some cases slightly above it.

Thus, this chapter has tackled the question of how to address large capacities using the available address pins economically with minimum performance losses. This brings us to the next design issue on the path to high cost-effectiveness of large-capacity main memories tackled by this thesis: replacing some of DRAM with SCM has the promise to further improve cost-effectiveness but creates a vast design space of hybrid main memories to explore. Detailed evaluation of each design point is inefficient, which leads to the second problem stated by this thesis: how to explore design tradeoffs of hybrid main memories quickly and correctly via design-space pruning. The next chapter presents Crystal, a method to specifically address the question of finding the best memory area partitioning between DRAM and SCM given a fixed main memory area, i.e., to partition a fixed number of memory modules between DRAM and SCM. Then, Chapter 4 presents Rock, a generalized framework for hybrid main memory design-space pruning.
Partitioning of Hybrid Memory Area

Non-Volatile Memory (NVM) technologies\(^1\) introduce a new dimension to the system design space. They typically fit in the access latency, dynamic energy, and bit density gaps between the conventional main memory technology, DRAM, and backing store technologies, collectively called *disk* here. NVM like PCM [8] and NAND Flash can be less expensive per bit and at the same time denser than DRAM. Thus, the potential benefits of combining DRAM with such technologies into *hybrid* main memory instead of building DRAM-only memory are: 1) a lower cost for memory of the same capacity; and 2) a larger capacity for memory of the same area\(^2\). A larger capacity can help reduce the number of disk accesses and consequently reduce system-level execution time and energy.

Finding the best amounts of DRAM and NVM is an important design-time resource partitioning problem. Its best solution depends on many factors, including the workload,\(^3\)

\(^1\)This chapter uses the terms NVM and SCM interchangeably.

\(^2\)This chapter expresses main memory area in the number of devices, assuming that one DRAM device and one NVM device have equal areas (as motivated in Section 3.2.2). For instance, if the baseline system has two channels, two Dual In-line Memory Modules (DIMMs) per channel and 16 DRAM devices per DIMM, its total area is 64 devices. An *equal-area* hybrid system would have 64 devices, too, some of which would be DRAM and some NVM.
properties of memory technologies and disk, and characteristics of non-main-memory subsystems, such as the Central Processing Unit (CPU). Speedups and energy savings compared to a DRAM-only baseline can vary widely. Thus, main memory area partitioning\(^3\) is a fundamental problem for hybrid systems with a multi-dimensional design space.

Hybrid memory area partitioning has been studied via simulation [15, 30, 68] and prototyping [69]. Simulation typically has a large implementation overhead and consumes significant computational resources (hours for high-performance multicore systems with contemporary workloads). Prototyping [69] has a substantial implementation overhead, too, and restricts exploration to the host configuration (e.g., the total main memory capacity). Thus, these approaches alone complicate extensive design space search and impede finding the best partitioning. I frame partitioning as an optimization problem where the minimum of a target metric is sought, the trend of that metric is of more interest than its absolute values, and the precision of detailed simulation or prototyping is unnecessary.

I propose a design-time resource partitioning method, Crystal, that employs first-order, system-level models for execution time and energy. The models are analytic and thus require no lengthy simulations. They describe the basic behavior of the memory hierarchy and represent execution details indirectly by assumed parameters. Each program in a multi-program workload is represented by a profile that is created once and reused throughout design-space exploration. The models yield target metric estimates accurate enough for optimization. Crystal thus enables quick evaluation of all partitioning options and finds the global optimum among potentially multiple local minima. I validate the results of Crystal via sensitivity analysis, showing that the first-order nature of the models does not restrict the applicability of Crystal.

In this chapter I make the following contributions and observations. First, I propose Crystal, a design-time resource partitioning method for hybrid main memory. It helps system architects to quickly identify the most promising design points for detailed evaluation via simulation or prototyping. For instance, Crystal shows how for a practical partitioning goal and specific workloads, hybrid configurations employing an NVM with the speed and energy consumption of NAND Flash can offer above 7x higher performance and energy efficiency than equal-area hybrid configurations employing a much faster and more energy-efficient NVM technology like PCM.

Second, I observe that simple models and coarse parameter estimates are sufficient for design-time partitioning. For a given workload and NVM technology, the best partitioning is robust to variations of system component characteristics. This makes Crystal applicable early in the design process, when accurate numbers might be not yet available.

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3 This chapter uses the terms “area partitioning” and “resource partitioning” interchangeably.
3.1. BACKGROUND

Third, I observe that for the current state of technologies, execution time can be used for partitioning even if the actual target metric is execution energy: Both metrics follow the same trend, and minimizing execution time minimizes execution energy. This further speeds partitioning, since the model for execution time is simpler than that for energy.

The rest of the chapter is organized as follows. Section 3.1 provides the necessary background information and Section 3.2 presents Crystal. Section 3.3 describes workloads, memory technologies, and hybrid systems used for the demonstration of Crystal, selected results of which are presented in Section 3.4. Finally, Section 3.5 discusses related work and Section 3.6 summarizes the chapter.

3.1 Background

3.1.1 Memory Technologies

Conventional high-performance memory systems below the LLC comprise DRAM main memory traditionally backed by magnetic Hard Disk Drives (HDDs). The random access latency and dynamic energy gaps between DRAM and HDD are about five orders of magnitude. Bridging or reducing these gaps remains a major design challenge.

DRAM is a volatile technology since the cell state degrades over time, requiring for data integrity periodic refresh [51] of all rows. DRAM stores one bit per cell. NVM technologies like PCM [8] and NAND Flash achieve higher bit densities by scaling better than DRAM and/or by storing multiple bits per cell, enabled by their respective device physics. NAND Flash further increases its bit density by organizing cells into strings.

NVM array reads and writes are typically slower and expend more energy than those of DRAM. NVM cells require no refresh, but writes damage them more than DRAM cells. Write endurance (the maximum number of writes per cell) is about $10^{16}$ for DRAM, $10^8$ for PCM, and $10^3$-$10^5$ for NAND Flash. This chapter disregards that NAND Flash has a lower write endurance than PCM, because NVM with similar bit densities and access characteristics but a much higher write endurance (e.g., RRAM [9]) may gain maturity in the future.

NVM technologies have enabled fast disks such as Solid-State Disk (SSD) built from NAND Flash. The random access latencies and dynamic energies of SSD are about two orders of magnitude lower than those of HDD. Note that this chapter does not consider 3D Xpoint [14] as a distinct memory technology since for hybrid main memory it can be roughly approximated by PCM, and for disk NAND Flash is likely to remain the preferred technology [70].
3.1.2 Benefits of Hybrid Main Memory

NAND Flash is about 10x less expensive per bit than DRAM, and PCM might become so in the future. Both NAND Flash and PCM are denser than DRAM. Thus, the benefits of combining DRAM with such technologies into hybrid main memory are: 1) a lower cost than DRAM-only memory of the same capacity; or 2) a larger capacity than DRAM-only memory of the same area.

The best amounts of DRAM and NVM depend on many factors, one of which is the workload. Data accessed by the workload during a given execution interval constitute that interval’s *working set*. A workload is labeled *in-memory* if it does not access disk in the steady state (after system warmup), i.e., if its working set fits entirely into main memory. Otherwise, the workload is labeled *not-in-memory*. In terms of performance and energy efficiency, increasing main memory capacity benefits not-in-memory workloads as long as there are data with *reuse distance* (LRU stack distance [50]) greater than or equal to the baseline capacity and less than the increased capacity. Given more memory, such workloads access disk less, which reduces system-level execution time and energy. Thus, such workloads can benefit from hybrid main memory that offers a larger capacity than equal-area DRAM-only memory.

3.1.3 Allocation of Main Memory Capacity

A workload may comprise multiple concurrently executing programs. Main memory capacity can be distributed among the programs using different policies, e.g., according to their *utility* of it. Like Qureshi and Patt [71], I define the utility of memory capacity quantitatively: For instance, programs $A$ and $B$ have been allocated 1MB each, and there is another 1MB slice to allocate. Program $A$ has 10M misses at capacity 1MB and 1M misses at capacity 2MB, and program $B$ has 10M and 9M misses at these capacities, respectively. The difference in the number of misses between the two capacities is greater for program $A$, thus it has a higher utility of the 1MB slice and would win it according to a *High-Utility* (HU) policy. Program $B$ would win the slice according to a *Low-Utility* (LU) policy.

I distribute main memory capacity at design time and label the procedure *Design-time Resource Allocation* (DRA). There are multiple ways of implementing DRA. For a given multi-program workload and a DRA policy, the final capacity distribution depends on the *initial allocation* (i.e., how much memory each program gets by default) and the *granularity of DRA* (i.e., the slice size $\Delta c$ awarded to a program at each iteration of DRA). DRA allocates the capacities of DRAM and NVM defined by design-time resource partitioning, which is the topic of this chapter and is addressed in the next section.
3.2 Crystal

The design space of hybrid main memory systems is multi-dimensional and vast. Prototyping or simulating each design point in detail is inefficient, thereby impeding finding the best hybrid memory partitioning early in the design process.

This chapter proposes Crystal, a method that frames design-time hybrid memory partitioning as an optimization problem and employs first-order, analytic models to quickly estimate system-level execution time and energy. To find a minimum of a target metric, the trend of that metric is more important than its absolute values, making higher precision of detailed evaluation unnecessary. The target-metric trends can be validated via sensitivity analysis, where model parameter variation covers the inaccuracy of the first-order models. This way, if a target-metric minimum is insensitive to model parameter variation, then the best partitioning is insensitive to the inaccuracy of the first-order models. The rest of this section details Crystal.

3.2.1 Complexity of Equal-Area Partitioning

A target metric might have several minima as a function of DRAM and NVM partition capacities when the total memory area is fixed. For instance, consider the execution time of a workload whose miss curve decreases from 0 to 1GB, stays flat up to 2GB forming a plateau, and then decreases again. Increasing capacity from 1GB to 2GB increases execution time, since DRAM is replaced with a slower NVM but the number of disk accesses does not change. There is one local minimum at 1GB and one more above 2GB. A miss curve might have multiple flat plateaus, each creating a local minimum. All of the minima must be identified in order to find the global optimum.

3.2.2 Assumptions

For ease of demonstration, this chapter makes several assumptions about the systems modeled. Figure 3.1 shows logical memory organizations. First, unlike conventional main memory of Figure 3.1a, hybrid main memory consists of two partitions, $M1$ and $M2$, organized hierarchically ($M2$ is only accessible via $M1$), as in Figure 3.1b\textsuperscript{4}. To maximize the capacity, the memory is migrating (data are moved upon promotion).

\textsuperscript{4}To simplify the models, this chapter considers only hierarchical hybrid memories. As has been mentioned in the beginning of this thesis, flat hybrid memories can be more attractive due to higher flexibility. However, the hierarchical organization is pessimistic for hybrid memory, allowing design-time resource partitioning to provision for the worst case. I consider flat hybrid memories in Chapter 4.
CHAPTER 3. HYBRID MEMORY AREA PARTITIONING

(a) System with baseline (one-level) main memory

(b) System with hierarchical (two-level) main memory

Figure 3.1: Logical memory hierarchy organizations

Figure 3.2: System modeled
**3.2. CRYSTAL**

**Table 3.1: Program Profile Format**

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>Miss($C$)</td>
<td>The miss curve below the LLC (the number of main memory capacity misses as a function of its capacity $C$)</td>
</tr>
<tr>
<td>fWr</td>
<td>The fraction of writes below the LLC</td>
</tr>
<tr>
<td>$T_{CPU}$</td>
<td>The time spent on computation and all cache accesses</td>
</tr>
</tbody>
</table>

Figure 3.2 details the systems. The number of cores, memory channels, and the DIMM organization can be different. Note that the arrows connecting the DIMMs in Figure 3.2 represent parallel memory channels and do not imply a specific logical organization of the main memory.

Programs are represented by *profiles* that comprise program characteristics shown in Table 3.1. The profiles are recorded in the steady state (after system warmup). The miss curve, Miss($C$), represents the reuse distances of the program’s data assuming that main memory is fully-associative\(^5\) and employs the LRU replacement policy.

The workload is multi-programmed comprising one single-threaded program per core, where the OS can be one of the programs. The program with the longest $T_{CPU}$ is labeled $p_\alpha$. The programs start at the same time and run concurrently, so the workload’s $T_{CPU}$ is set to that of $p_\alpha$. Program data are managed at the granularity of an OS page. A program can be not-in-memory w.r.t. the capacity slice statically allocated to it after DRA. If a requested page of such a program is not in main memory, it is paged in from disk. In the hybrid system, data are paged in to M2, and if the requested page is not in M1 but is in M2, it is migrated (moved) to M1. Each insertion (a page-in from disk or a migration from M2 to M1) causes a respective eviction (a page-out to disk or a migration from M1 to M2), since the miss curve represents steady-state behavior. Only dirty pages of not-in-memory programs are paged out to disk.

For simplicity of device capacity comparison, I assume that DRAM and NVM devices have the same area in $\mu m^2$. The higher bit density of an NVM device is represented by a greater number of rows compared to a DRAM device. In addition, I assume equal peripheral circuits, thus the static power (excluding refresh, which belongs to *maintenance* power) is the same for DRAM and NVM devices. Since the devices have equal areas, equal-area main memories have the same number of devices, regardless of type.

Lastly, I introduce several *assumed* model parameters to indirectly represent implementation-dependent details: 1) *Row-buffer hit rate* to loosely represent details that reduce

\(^5\) Although the OS can page-in from disk into a free main-memory frame without restrictions, possible address mappings between M1 and M2 can be restricted [26–28]. Models accounting for such restrictions could be considered in the future work.
the average main-memory access latency and dynamic energy (e.g., access reordering and bank- and channel-level parallelism); 2) Buffer disk writes to model an ideal write buffer in the I/O controller by overlapping each program’s disk-write time with its $T_{CPU}$ and main-memory access time; 3) Write-coalesce rate to model write coalescing in main memory, such that only a fraction of all writes to M1 propagate to disk; 4) Disk-cache hit rate to model prefetching to the disk cache (that affects solely disk reads since only they are likely to hit in the cache [51]); and 5) Overlap $T_{CPU}$ and $T_{mem}$ to overlap the workload’s $T_{CPU}$ with main-memory and disk access times of all the workload’s programs except $p_α$. This overlap intents to represent an idealized case with a significantly shorter execution time.

### 3.2.3 Models and Method

The execution time and dynamic energy of a single-threaded program in the system of Figure 3.1b are respectively given by

$$T_{hyb} = T_{CPU} + N_{M1} \cdot ((1 - fWr) \cdot t_{M1 \rightarrow Rd} + fWr \cdot t_{M1 \rightarrow Wr}) + N_{M2} \cdot (t_{M2 \rightarrow M1} + t_{M1 \rightarrow M2}) + N_{D} \cdot (t_{D \rightarrow M2} + (1 - wcr) \cdot fWr \cdot t_{M2 \rightarrow D})$$

(3.1)

and

$$E_{hyb}^{dyn} = N_{M1} \cdot ((1 - fWr) \cdot e_{M1 \rightarrow Rd} + fWr \cdot e_{M1 \rightarrow Wr}) + N_{M2} \cdot (e_{M2 \rightarrow M1} + e_{M1 \rightarrow M2}) + N_{D} \cdot (e_{D \rightarrow M2} + (1 - wcr) \cdot fWr \cdot e_{M2 \rightarrow D}),$$

(3.2)

where the parameters and variables are described in Table 3.2. For each program in the workload, the number of accesses to M1 ($N_{M1}$) is obtained from the program’s miss curve at capacity 0. The latencies and dynamic energies per M1 read and write are calculated simplistically according to the assumed Row-buffer hit rate ($rbhr$). For instance, $t_{M1 \rightarrow Rd} = rbhr \cdot t_{M1 \rightarrow RdH} + (1 - rbhr) \cdot t_{M1 \rightarrow RdM}$, where $t_{M1 \rightarrow RdH}$ and $t_{M1 \rightarrow RdM}$ are the latencies of serving one read hitting and missing in the row buffer, respectively. By varying the row-buffer hit rate I vary the actual latencies and dynamic energies per M1 access. The latencies and dynamic energies per disk read are calculated according to the assumed Disk-cache hit rate in a similar way, and I omit separate equations for brevity. Partition M2 is accessed only at a page granularity, thus its row-buffer hit rate is constant, and a separate parameter is unnecessary.

All the access, migration, and paging latencies and dynamic energies include those of data transfers. For instance, the latency of a page migration from M1 to M2 ($t_{M1 \rightarrow M2}$)
Table 3.2: Parameters and Variables in (3.1) to (3.8)

<table>
<thead>
<tr>
<th>Parameter/Variable</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>( Miss(C) )</td>
<td>( fW_r )</td>
</tr>
<tr>
<td>( A_{(M1,M2)} )</td>
<td>Areas of M1 and M2, respectively</td>
</tr>
<tr>
<td>( c_{(M1,M2)} )</td>
<td>Capacities of M1 and M2, respectively, allocated to program</td>
</tr>
<tr>
<td>( N_{(M1,M2,D)} )</td>
<td>Numbers of accesses to M1, M2, and disk (D), respectively, given by ( N_{M1} = Miss(0), N_{M2} = Miss(cM1), ) and ( N_{D} = Miss(cM1 + cM2) )</td>
</tr>
<tr>
<td>( { t, e }_{M1,acc} )</td>
<td>Latency and dynamic energy, respectively, per M1 access (acc), where access can be read (( Rd )) or write (( W_r )), and size of access is one cache line</td>
</tr>
<tr>
<td>( { t, e }_{X \rightarrow Y} )</td>
<td>Latency and dynamic energy, respectively, of reading one OS page from memory part ( X ), transferring, and writing it to memory part ( Y )</td>
</tr>
<tr>
<td>( t_{D {Rd,Wr}} )</td>
<td>Latencies of reading (( Rd )) and writing (( W_r )), respectively, one OS page from/to disk</td>
</tr>
<tr>
<td>( wcr )</td>
<td>Assumed Write-coalesce rate</td>
</tr>
<tr>
<td>( P_{non-mem} )</td>
<td>System power excluding main memory and disk</td>
</tr>
<tr>
<td>( P_{(M1,M2,D)}^{\text{static}} )</td>
<td>Static power of M1, M2, and disk (D), respectively. For M1 and M2, it depends on their areas and technologies</td>
</tr>
<tr>
<td>( P_{(M1,M2)}^{\text{maint}} )</td>
<td>Maintenance power of M1 and M2, respectively. Depends on areas and technologies of M1 and M2</td>
</tr>
<tr>
<td>( n )</td>
<td>Number of programs in the multi-program workload</td>
</tr>
</tbody>
</table>

includes the latencies of reading and transferring the page from M1 to the MC and the latencies of transferring and writing it from the MC to M2. The latency of a page-in from disk to M2 \( (t_{D \rightarrow M2}) \) includes the latency of transferring one page from disk to the I/O controller and then from the MC to M2. Equations (3.1) and (3.2) represent the basic behavior of the memory hierarchy. Respective equations for the baseline system of Figure 3.1a are derived by simply excluding M2, and I omit them for brevity.

In order to estimate system-level execution time and energy, I first distribute the M1 and M2 capacities among the workload’s programs (using a DRA policy of choice) and then apply (3.3) to (3.8). Table 3.2 describes the parameters and variables in the equations. For each program, I calculate execution time, buffering disk writes if the respective parameter is enabled:

\[
T' = \begin{cases} 
T & \text{if } Buffer \text{ disk writes } = \text{No}, \\
T_{BDW} & \text{otherwise}, 
\end{cases} \quad (3.3)
\]

\[
T_{BDW} = \begin{cases} 
T_{DRd}^{\text{total}} + T_{DWr}^{\text{total}} & \text{if } T_{DWr}^{\text{total}} \geq T - T_{DRd}^{\text{total}} - T_{DWr}^{\text{total}}, \\
T - T_{DWr}^{\text{total}} & \text{otherwise}, 
\end{cases}
\]
where \( T_{DR} = N_D \cdot t_{DR} \), \( T_{WR} = N_D \cdot (1 - \text{wer}) \cdot f_{WR} \cdot t_{WR} \), and \( T \) is given by (3.1) for the hybrid system and by the respective equation for the baseline system. Next, I sum the execution times of the programs overlapping their \( T_{CPU} \) to obtain the execution time of the entire workload:

\[
T_{sys} = \max_{0 \leq i < n} T_{CPU_i} + \sum_{0 \leq i < n} T_i' - T_{CPU_i},
\]

(3.4)

where \( T' \) is defined by (3.3). Next, the workload’s \( T_{CPU} \) and \( T_{mem} \) are overlapped if the respective parameter is enabled:

\[
T_{sys}' = \begin{cases} 
T_{sys} & \text{if } \text{Overlap } T_{CPU} \text{ and } T_{mem} = \text{No}, \\
T_{OCM} & \text{otherwise,}
\end{cases}
\]

(3.5)

where \( \alpha \) is such that \( T_{CPU_{\alpha}} = \max_{0 \leq i < n} T_{CPU_i} \), \( T' \) is defined by (3.3), and \( T_{sys} \) by (3.4). Then, I calculate system-level static and maintenance energies respectively by

\[
E_{sys \ stat} = T_{sys}' \left( P_{non\ mem} + P_{M1}(A_{M1}) + P_{M2}(A_{M2}) + P_D \right)
\]

(3.6)

and

\[
E_{sys \ maint} = T_{sys}' \left( P_{M1}(A_{M1}) + P_{M2}(A_{M2}) \right),
\]

(3.7)

where \( T_{sys}' \) is given by (3.5). The maintenance power of M1 or M2 can be, e.g., the refresh power of DRAM, or nothing in case of NVM. The area of M2 \( (A_{M2}) \) is zero in the baseline system. Finally, system-level execution energy is calculated by

\[
E_{sys \ total} = E_{sys \ stat} + E_{sys \ maint} + \sum_{0 \leq i < n} E_{dyn_i},
\]

(3.8)

where \( E_{sys \ stat} \) is given by (3.6), \( E_{sys \ maint} \) by (3.7), and \( E_{dyn_i} \) denotes the dynamic energy of each program in the workload given by (3.2) for the hybrid system and by the respective equation for the baseline system.

Crystal uses the models for estimating the execution time and energy of all equal-area hybrid configurations at a given partitioning granularity (the area by which DRAM can be replaced with NVM). Then Crystal identifies the configuration that matches the partitioning goal best. Besides minimizing execution time or energy, the goal can include additional criteria such as system cost and lifetime. The search time complexity is linear as a function of the number of possible hybrid configurations.
3.3 Experimental Methodology

**Profiling Method** I generate memory-access traces by simulating a CPU with a cache hierarchy using gem5 [72]. The CPU is x86-64, in-order, running at 1GHz. The cache line size is 64B; the L1 caches are split, 4-way, 64-KB, and LRU-managed; the L2 cache (the LLC) is unified, 8-way, 1-MB, and LRU-managed. This way, I assume that programs execute one per core, and each program gets 1MB of the LLC. In order to obtain a program’s miss curve, I process its memory access trace using Mattson’s stack algorithm [50] at the 4-KB page granularity. To represent the steady-state behavior, I exclude cold (compulsory) misses. In general, other profiling approaches are possible; e.g., memory-access traces can be generated by an execution-driven cache model. Program profiling is performed once, offline, and the profiles are reused throughout design-space exploration.

**Programs** I use SPEC CPU2006 programs with reference inputs [73] and NPB 3.3 programs with large problem sizes (Class C) [74]. Each program is single-threaded and profiled during its major simulation point [75] of 2B instructions after warming the system for 500M instructions. Although a single simulation point does not accurately represent the entire program, I find it sufficient for the demonstration purposes of this chapter. Among all programs considered, for this chapter I choose those with diverse behavior and working sets larger than 150MB, shown in Table 3.3. I use program names as profile names; e.g., mcf denotes 429.mcf with the reference input during its major 2B-instruction execution interval.

Figure 3.3 shows the miss curves of the programs, where for ease of reading markers are located only at the multiples of 0.1GB (instead of 4KB). Figure 3.3 shows that the miss curve of each program, except sjeng, has a distinct plateau representing the bulk of the working set. Unlike the other programs, mcf has two plateaus, where the first one is about 0.1GB. Decreasing fragments of the miss curves illustrate that program pages have gradually increasing reuse distances, and flat fragments illustrate that program pages have equal reuse distances. For instance, lbm’s plateau is flat, and thus the pages of the

### Table 3.3: Selected Single-Threaded Programs

<table>
<thead>
<tr>
<th>Profile name</th>
<th>CG</th>
<th>lbm</th>
<th>mcf</th>
<th>sjeng</th>
<th>soplex</th>
</tr>
</thead>
<tbody>
<tr>
<td>Working set size (MB)</td>
<td>419</td>
<td>403</td>
<td>1674</td>
<td>172</td>
<td>251</td>
</tr>
<tr>
<td>Fraction of writes (%)</td>
<td>0.4</td>
<td>42.9</td>
<td>20.2</td>
<td>44.1</td>
<td>16.5</td>
</tr>
<tr>
<td>$T_{CPU}$ (s)</td>
<td>8.4</td>
<td>4.4</td>
<td>6.6</td>
<td>3.4</td>
<td>4.6</td>
</tr>
</tbody>
</table>
bulk of its working set have the same reuse distance equal to approximately the size of the working set. On the contrary, sjeng’s miss curve decreases monotonically, and so the pages of its working set have different, gradually increasing reuse distances.

Workloads I vary the system workload according to

$$W_i = p_{large} \times (n - i) + p_{small} \times i \quad \text{for} \quad 0 \leq i \leq n,$$

(3.9)

where $n$ denotes the number of cores; $p_{large}$ denotes one of CG, lbm, or mcf; $p_{small}$ denotes sjeng or soplex; and $i$ denotes the number of cores that execute the $p_{small}$ program. For instance, for a system with eight cores and the mcf/sjeng program set, workload $W_0 (i = 0)$ comprises eight instances of mcf, giving it the largest working set and a behavior defined by mcf; $W_1 (i = 1)$ comprises seven instances of mcf and one instance of sjeng; and $W_8 (i = 8)$ comprises eight instances of sjeng, giving it the smallest working set and a behavior defined by sjeng. The programs are assigned one per core, as described in Section 3.2.2.

System Configuration Table 3.4 summarizes the system configuration. The cache line size defines the size of accesses to M1. The OS page size defines the granularity of the program miss curves and the size of accesses to M2 and disk. There are four DIMM slots in total organized in two fully-populated channels (two DIMMs per channel), like in

<table>
<thead>
<tr>
<th>Table 3.4: System Configuration</th>
</tr>
</thead>
<tbody>
<tr>
<td>Number of cores</td>
</tr>
<tr>
<td>Memory devices per DIMM</td>
</tr>
<tr>
<td>Cache line size</td>
</tr>
<tr>
<td>Total number of DIMMs</td>
</tr>
<tr>
<td>OS page size</td>
</tr>
<tr>
<td>Partitioning granularity</td>
</tr>
</tbody>
</table>
### Table 3.5: Default Parameter Values

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>DRAM revision</td>
<td>G [76]</td>
</tr>
<tr>
<td>Non-memory power</td>
<td>50W</td>
</tr>
<tr>
<td>Row-buffer hit rate</td>
<td>0%</td>
</tr>
<tr>
<td>Buffer disk writes</td>
<td>No</td>
</tr>
<tr>
<td>Disk-cache hit rate</td>
<td>0%</td>
</tr>
<tr>
<td>Write-coalesce rate</td>
<td>0%</td>
</tr>
<tr>
<td>Overlap $T_{\text{CPU}}$ and $T_{\text{mem}}$</td>
<td>No</td>
</tr>
</tbody>
</table>

### Table 3.6: Characteristics of DRAM Revisions F and G

<table>
<thead>
<tr>
<th></th>
<th>Revision F</th>
<th>Revision G</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>RB miss</td>
<td>RB hit</td>
</tr>
<tr>
<td>Latency (ns)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>64-B Read</td>
<td>35.00</td>
<td>18.75</td>
</tr>
<tr>
<td>64-B Write</td>
<td>61.25</td>
<td>18.75</td>
</tr>
<tr>
<td>Dynamic energy (nJ)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>64-B Read</td>
<td>40.49</td>
<td>11.24</td>
</tr>
<tr>
<td>64-B Write</td>
<td>43.65</td>
<td>14.41</td>
</tr>
<tr>
<td>Power (mW)</td>
<td>Static</td>
<td>840</td>
</tr>
<tr>
<td>Refresh</td>
<td>32</td>
<td>21</td>
</tr>
</tbody>
</table>

Figure 3.2. Each DIMM has two ranks and eight memory devices per rank (for simplicity, no extra memory device for error detection and correction), and the organization is the same for DRAM and NVM. I employ 128-MB DRAM devices [76], and so the capacity of a DRAM DIMM is 2GB, yielding 8GB of DRAM-only main memory capacity. To make some workloads not-in-memory w.r.t. the DRAM-only capacity, I scale it down four times (to 2GB) by scaling the datasheet DRAM device capacity down to 32MB. I assume that DRAM and NVM can be on the same channel and for demonstration purposes choose the partitioning granularity of one DIMM. Table 3.5 shows the default model parameters, where non-memory power is the system power excluding main memory and disk, and DRAM revision is explained below.

**Memory Technologies** DRAM and NVM DIMMs implement the 12.8GB/s DDR3 interface. I derive the timing, power, and energy models for DRAM and NAND Flash from Micron’s datasheets [76, 77] and Power Calculator [78, 79]. I use the original datasheet numbers despite scaling the device capacities. I model both the latency and power overheads of DRAM refresh and the erase-before-write overhead of NAND Flash.

The default DRAM revision is G [76], and for sensitivity analysis in Section 3.4.2 I also model revision F [76], that has the same timing characteristics as revision G but at least 1.5x worse electrical ones. Table 3.6 summarizes my estimates of selected numbers.

---

6 In real-world systems the partitioning granularity would be larger, e.g., one DIMM per channel.
Table 3.7: Selected Memory-Technology Characteristics

<table>
<thead>
<tr>
<th>Bit density</th>
<th>DRAM</th>
<th>PCM</th>
<th>NAND Flash</th>
<th>SSD</th>
<th>HDD</th>
</tr>
</thead>
<tbody>
<tr>
<td>1x</td>
<td>350ns</td>
<td>1.13x</td>
<td>72x</td>
<td>157x</td>
<td>19386x</td>
</tr>
<tr>
<td>4x</td>
<td>376ns</td>
<td>1.53x</td>
<td>693x</td>
<td>146x</td>
<td>8492x</td>
</tr>
<tr>
<td>16x</td>
<td>408nJ</td>
<td>1.02x</td>
<td>7x</td>
<td>65x</td>
<td>19976x</td>
</tr>
<tr>
<td>4-KB Read</td>
<td>630nJ</td>
<td>1.14x</td>
<td>42x</td>
<td>89x</td>
<td>9136x</td>
</tr>
<tr>
<td>4-KB Write</td>
<td>0.54W</td>
<td>1x</td>
<td>1x</td>
<td>0.03W</td>
<td>3.00W</td>
</tr>
</tbody>
</table>

DRAM, PCM, and NAND Flash numbers are per rank of eight devices. Access latencies exclude respective controller latencies. Ratios (x) normalized to respective numbers of DRAM revision G.

For the two DRAM revisions. The latencies in Table 3.6 include the memory-device access latency but exclude the respective MC latency, which is assumed 20ns and is added to each access.

Table 3.7 shows selected characteristics of DRAM, PCM, NAND Flash, SSD, and HDD. The latencies in Table 3.7 include the respective storage-medium access latencies but exclude the respective controller latencies. The MC and the I/O controller latencies are assumed 20ns and 20\(\mu\)s and are added to each main memory and disk access, respectively.

PCM and NAND Flash are assumed 4x and 16x denser than DRAM, respectively. I take the PCM array read and write latencies and energies from the literature [80] and implement PCM partial writes [80]. I scale down the NAND Flash row capacity [77] to match that of DRAM [76], and scale my NAND Flash dynamic energy estimates accordingly. The 4-KB read and write numbers in Table 3.7 illustrate how the large access size mitigates the row access overhead. For instance, the array read and write latencies of PCM are 4.4x and 12x longer than those of DRAM [80], but the 4-KB read and write latencies of a PCM rank, shown in Table 3.7, are only 1.13x and 1.53x longer than those of a DRAM rank. I assume that the static power of NVM is the same as that of DRAM, as per Section 3.2.2. Recall that static power does not include refresh, which belongs to maintenance power.

The disk numbers in Table 3.7 come from product measurements [81, 82]. I aggregate the smallest measured values across all the products, except that I set the random access latency of SSD to 50\(\mu\)s and its cache-hit latency to 30\(\mu\)s. The cache-hit latency of HDD is set to 150\(\mu\)s. Both SSD and HDD employ the 768MB/s Serial Advanced Technology Attachment (SATA) interface. The SSD static power is measured after ten minutes of the system being idle [82], thus it is relatively small (e.g., smaller than that of a single NAND Flash rank), but such inaccuracy can be tolerated, as I show in Section 3.4.2. The latency
DRA Policies This chapter considers the LU and HU DRA policies. Both policies start with the initial allocation of 32MB of DRAM to each program. The remaining capacity is distributed iteratively at a $\Delta c$ granularity of 1MB. The process stops if: 1) the entire memory capacity has been distributed among the programs, or 2) all programs have become in-memory w.r.t. the capacity allocated to them. At each iteration, only not-in-memory programs participate in allocation, and the LU and HU policies award one $\Delta c$ to each program that has the lowest and the highest utility of it, respectively. If two or more programs have the same utility of $\Delta c$, each of them gets one $\Delta c$, as long as there is unallocated capacity. The policies first distribute the capacity of M1 and then that of M2. Note that the DRA policies can be employed in DRAM-only systems, too.

Hybrid Organizations For comprehensive demonstration I consider eight hybrid systems, or hybrids for short, shown in Table 3.8. The baselines for the hybrids are DRAM-only systems with respective disk types and DRA policies.

### 3.4 Experimental Results

This section demonstrates Crystal by applying it to the hybrids from Table 3.8 and the workloads from six program sets (mcf/sjeng, mcf/soplex, lbm/sjeng, lbm/soplex, CG/sjeng, and CG/soplex). Section 3.4.1 first shows the applicability of Crystal by presenting selected experimental results sufficient to illustrate key observations. Then, Section 3.4.2 presents the validation of the partitioning results produced by Crystal.
3.4.1 Applicability of Crystal

I set the goal to partition main memory area between DRAM and NVM such that system-level execution time and energy are within 20% of their respective global minima and the area of the NVM partition is minimized. Due to the first-order nature of the models I regard speedups and energy savings below 1.5-2x as noise and dismiss them. Minimizing the area of the NVM partition keeps system cost and lifetime closest to those of the baseline, as motivated below. Replacing a DRAM DIMM with an NVM DIMM does not reduce main memory cost, since for one NVM DIMM to cost less than one DRAM DIMM, NVM must cost less per bit for at least as many times as it is denser than DRAM (which does not hold even for NAND Flash, which is 16x denser but only 10x less expensive per bit than DRAM). Since NVM such as PCM and NAND Flash suffer from lower write endurance than DRAM, the less NVM is employed, the better it is for system lifetime.

Figures 3.4 to 3.7 show selected partitioning results and the respective speedups and energy savings. Figures 3.4 to 3.7 have the same format, where the horizontal axis shows workloads W0-W8 composed from different program sets according to (3.9). The bottom vertical axis shows the best partitioning (i.e., partitioning that meets the above goal) as the ratio of the NVM area over the total main memory area. The normalized NVM area ranges from 0 to 75%, since main memory comprises four DIMMs in total, where one DIMM is always DRAM to implement a hybrid with two partitions. That is, the partitioning options are one to three NVM DIMMs plus the DRAM-only baseline. The best partitioning found for execution time as the target metric is shown by bars, and that for execution energy is
Figure 3.4 shows partitioning results for the hybrids with HDD and workloads from the mcf/soplex set. For workloads W0-W1 and W3-W4 the hybrids employing NAND Flash (II-L and II-H) offer significant improvements (17-19x) vs. the respective DRAM-only baselines, but the hybrids employing PCM (I-L and I-H) do not. This is so because hybrids II-L and II-H provide enough main memory capacity to fit the entire working sets of these workloads, and the benefit of eliminating HDD accesses is greater than the overhead of accessing the NAND Flash partition. At the same time, the density of PCM is 4x lower than that of NAND Flash, which makes the capacities of hybrids I-L and I-H too small to eliminate HDD accesses even when the area of the PCM partition is maximized to 75%. As a result, for these workloads the overhead of accessing the PCM partition is greater than the benefit of reducing the number of HDD accesses, and so the normalized best PCM area is 0%.

For W2 in Figure 3.4 hybrid II-L offers no improvements, despite that it can provide enough main memory capacity to fit the entire working set of the workload. This is so because the LU DRA policy, employed by the hybrid, does not allocate enough DRAM to the mcf instances to fit their first plateaus (Figure 3.3). Instead, soplex wins the DRAM capacity, since it has a lower utility of it. This results in a great number of migrations between the DRAM and NAND Flash partitions initiated by the instances of mcf. The execution-time and energy overhead of these migrations exceeds the benefit of eliminating HDD accesses. On the contrary, hybrid II-H attains significant improvements (7x) for this workload thanks to the HU DRA policy, that allocates enough DRAM to the mcf instances to fit their first plateaus. Note that hybrids II-L and II-H offer equal improvements for workloads W0-W1 and W3-W4, because the LU and HU DRA policies result in equal capacity distributions.

For W5-W7 in Figure 3.4 hybrids I-L and I-H attain great improvements (10-34x), because the benefit of eliminating HDD accesses is greater than the overhead of accessing the PCM partition for these workloads. For W5, the hybrids offer greater improvements than hybrids II-L and II-H, since PCM is faster and more energy efficient than NAND Flash. For W6-W7 hybrids II-L and II-H are worse than their respective DRAM-only baselines, because the overhead of accessing the NAND Flash partition is greater than the benefit of eliminating HDD accesses. For W8 all four hybrids make no sense, since the workload is in-memory w.r.t. the baseline DRAM-only capacity.

Figure 3.5 shows results for the hybrids with HDD and workloads from the lbm/sjeng program set. The results can be explained similarly to those in Figure 3.4. For W0-W5 the hybrids attain great improvements (above 14x), because they provide enough main memory capacity to fit the entire working sets of the workloads, and the benefit of...
CHAPTER 3. HYBRID MEMORY AREA PARTITIONING

Figure 3.5: Results for hybrids with HDD and lbm/sjeng workloads

Figure 3.6: Results for hybrids III-L and III-H and lbm/sjeng workloads

eliminating HDD accesses is greater than the overhead of accessing the NVM partition. Hybrids I-L and I-H offer greater improvements for these workloads than hybrids II-L and II-H, since PCM is faster and more energy efficient than NAND Flash. For W6-W8 all four hybrids are worse than their respective baselines, since these workloads are in-memory w.r.t. the baseline DRAM-only capacity.

As for the systems with SSD backing store, I find that for the workloads containing mcf, hybrids with PCM (III-L and III-H) provide either no benefit or not enough benefit for the partitioning goal set in the beginning of this section. At the same time, hybrids IV-L and IV-H are never better than their respective baselines for all workloads considered, because the access latencies and dynamic energies of NAND Flash are too close to those
3.4. EXPERIMENTAL RESULTS

Figure 3.7: Results for hybrids with HDD and CG/sjeng workloads

Figure 3.6 shows results for the hybrids with PCM, SSD, and workloads from the lbm/sjeng program set. The results resemble those for hybrids I-L and I-H in Figure 3.5: The improvements are significant for W0-W5 (4-8x) but smaller than those offered by hybrids I-L and I-H in Figure 3.5, since the access latency and dynamic energy gaps between DRAM and SSD are smaller than those between DRAM and HDD.

The results for workloads containing CG and respective workloads containing lbm are similar, because CG and lbm have similar miss curves (recall Figure 3.3). For instance, compare Figure 3.7 and Figure 3.5: The best partitionings are the same, although CG affects the improvements by having a much smaller fraction of writes and almost double $T_{CPU}$ compared to those of lbm (Table 3.3).

Intuitively, hybrid memory offers speedups and energy savings compared to equal-area DRAM-only memory if the benefit of reducing the number of disk accesses is greater than the overhead of migrations between the hybrid partitions. However, for specific workloads speedups and energy savings can be relatively small (e.g., below 1.5x) and can depend on DRA (e.g., the case of W2 in Figure 3.4). Crystal comes in handy in such situations and quickly identifies promising design points. For instance, Crystal shows how the density of NAND Flash enables hybrids that offer significant improvements for W0-W1 and W3-W4 in Figure 3.4, while the density of PCM is not high enough to offer any improvements for these workloads. The shorter access latencies and higher energy efficiency of PCM compared to NAND Flash bear no advantage is such cases.
Finally, I observe that for all the memory technologies, hybrids, and workloads considered in this chapter, hybrid configurations that satisfy the partitioning goal minimize execution time at the same time as they minimizing execution energy, and speedups are similar to energy savings for each given hybrid and workload. In other words, execution time and energy follow the same trend for the technologies. This is so because the NVM access latencies and dynamic energies are worse than those of DRAM but better than those of disk. Ultimately, partitioning can be done for execution time even if the actual target metric is energy, and this further simplifies the use of Crystal. In the next section I validate the best partitionings identified by Crystal.

### 3.4.2 Validation of Partitionings Produced by Crystal

I validate the best partitionings produced by Crystal via sensitivity analysis, showing that they are insensitive to the implementation-dependent details represented indirectly, as described in Section 3.2.2. I vary the model parameters in broad ranges covering a large space of execution scenarios. Figure 3.8 shows the parameter values and their combinations, 96 in total. In order to limit the number of combinations, Write-coalesce rate is set to Row-buffer hit rate, assuming that writes that hit in the row buffer of M1 are guaranteed to not propagate to disk.

Each of the eight hybrids in Table 3.8 is partitioned for W0-W8 from each of the six program sets (mcf/sjeng, mcf/soplex, lbm/sjeng, lbm/soplex, CG/sjeng, and CG/soplex) and each of the 96 parameter combinations. The results show that the best partitioning for each given hybrid and workload is stable for all 96 combinations and the corresponding speedups and energy savings vary understandably, as discussed below by the example of three selected hybrid/workload pairs.

Figures 3.9 to 3.11 show results for W4 from the lbm/sjeng set and hybrids II-L, I-L, and III-L, respectively. Figures 3.9 to 3.11 have the same format, as follows. The horizontal axis shows the parameter combinations from Figure 3.8. The vertical axis of the bottom graph shows the respective best partitionings as the NVM area normalized to the total main memory area. The vertical bars (of alternating shades for ease of reading) and the diamonds show the best partitionings found for execution time and energy as the target metric, respectively. The vertical axis of the top graph shows the respective improvements: speedups (by vertical bars) and energy savings (by diamonds). The horizontal bars of colors from Figure 3.8 spanning across multiple parameter combinations annotate the parameter combinations of interest.

The improvements in Figures 3.9 to 3.11 are rather insensitive to the variation of DRAM electrical characteristics represented by DRAM revisions F and G (Table 3.6). In addition, the results are rather insensitive to non-memory power, that I vary from
one-half to double the default value of 50W and observe insignificant changes in energy savings. This is why the inaccuracy of the SSD static power estimate in Section 3.3 is tolerable. The robustness of the best partitioning (25% NVM in Figures 3.9 to 3.11) to such parameter value variations indicates that Crystal can be applied early in the design process, when accurate estimates of system component characteristics may not yet be available.

The improvements offered by hybrid II-L in Figure 3.9 are most sensitive to row-buffer hit rate and disk-cache hit rate (see the parameter combinations below the light blue and pink horizontal bars, respectively). The improvements vary as follows. Disk is not accessed in the hybrid (the workload is in-memory w.r.t. its capacity), so disk-write buffering and disk-cache hits do not affect its execution time and energy. Migrations between the DRAM and NAND Flash partitions dwarf $T_{CPU}$ and DRAM accesses, thus the execution time and energy are insensitive to the overlap of $T_{CPU}$ and $T_{mem}$ and to DRAM row-buffer hits. At the same time, in the baseline system, disk accesses dwarf $T_{CPU}$ and DRAM accesses, so its execution time and energy are insensitive to the overlap of $T_{CPU}$ and $T_{mem}$, DRAM row-buffer hits, and disk-write buffering. However, the 99% row-buffer hit rate yields the 99% write-coalesce rate, that reduces the number of disk writes and thus reduces the baseline execution time and energy. Likewise, disk-cache hits reduce the metrics. Thus, the high row-buffer and disk-cache hit rates result in lower improvements: They reduce the execution time and energy of the baseline system but do not affect those of hybrid II-L.

The improvements attainable by hybrid I-L in Figure 3.10 are sensitive to row-buffer and disk-cache hit rates, too, plus to the overlap of $T_{CPU}$ and $T_{mem}$ (see the parameter combinations below the yellow bars). The sensitivity of the baseline execution time and energy is the same as above, since hybrids II-L and I-L share the same baseline. Like in hybrid II-L, disk is not accessed in hybrid I-L, and so disk-write buffering and disk-cache hits do not affect its execution time and energy. But unlike hybrid II-L, hybrid I-L employs PCM, that is much faster and more energy efficient than NAND Flash. As a result, migrations between the DRAM and PCM partitions do not dwarf $T_{CPU}$ and DRAM accesses, and so both the overlap of $T_{CPU}$ and $T_{mem}$, and DRAM row-buffer hits reduce the execution time and energy of hybrid I-L. Thus, the overlap of $T_{CPU}$ and $T_{mem}$ results in higher improvements: It reduces the execution time and energy of the hybrid, but does not affect those of the baseline system. The 99% row-buffer hit rate increases improvements, too: It reduces the execution time and energy of the hybrid relatively more compared to how the corresponding 99% write-coalesce rate reduces those of the baseline.

The improvements offered by hybrid III-L in Figure 3.11 are sensitive to the same parameters as described above for hybrid I-L, plus to disk-write buffering (see the
Figure 3.8: Color coding for parameter values and their combinations

Figure 3.9: Sensitivity results for hybrid II-L and W4 from lbm/sjeng program set
3.4 EXPERIMENTAL RESULTS

Figure 3.10: Sensitivity results for hybrid I-L and W4 from lbm/sjeng program set

Figure 3.11: Sensitivity results for hybrid III-L and W4 from lbm/sjeng program set
parameter combinations below the red bars). Unlike the baseline for hybrid I-L, the baseline for hybrid III-L employs SSD, which is much faster and more energy efficient than HDD. As a result, SSD accesses do not dwarf $T_{CPU}$ and DRAM accesses, and disk-write buffering reduces the execution time and energy of the baseline. On the contrary, the parameter does not affect those of hybrid III-L, because the workload is in-memory w.r.t. its capacity and disk is not accessed. Thus, disk-write buffering decreases improvements. However, the 99% row-buffer hit rate diminishes the effect of buffering, since the corresponding 99% write-coalesce rate significantly reduces the number of disk writes in the baseline.

The sensitivity analysis shows that the assumed model parameters do not affect the best partitioning even if varied in broad ranges (though, they do affect speedups and energy savings within understandable margins). Intuitively, each disk access and each migration between the DRAM and NVM partitions dwarf many execution details at higher levels in the system. The best NVM areas for each hybrid and workload are stable among all 96 parameter combinations. I find that this holds both at the partitioning granularity of one DIMM and at a hypothetical, two times finer granularity. Thus, the first-order nature of the models employed by Crystal does not restrict its applicability.

3.5 Related Work

The problem of hybrid main memory design has both design- and run-time aspects. Run-time memory management dynamically distributes available memory capacity among co-running programs and performs dynamic data placement. Here I address the underlying, fundamental problem: design-time main memory area partitioning.

Qureshi et al. [15] replace all DRAM devices with PCM and add a DRAM cache to create a hierarchical hybrid system. The DRAM cache constitutes an area overhead. Main memory is backed by HDD with a NAND Flash cache. Using a detailed simulator, the authors model candidate configurations for workloads that are not-in-memory w.r.t. their DRAM-only baseline. Crystal can be modified to partition such hybrid memory organizations and applied for evaluating more configurations with less computational effort.

Ekman and Stenstrom [30, 68] reduce main memory cost by replacing part of its fast DRAM with a less expensive, slower technology, and organizing hierarchical, migrating systems. They study in-memory workloads with a detailed simulator identifying the capacity of fast DRAM required for maintaining execution times similar to those of the baseline system. Such partitioning can be done with Crystal by setting the goal to: “for a fixed main memory capacity, minimize DRAM within a given degradation of execution time”.

3.6. SUMMARY

Ye et al. [69] consider in-memory workloads and NVM with a broad range of access characteristics. Like Ekman and Stenstrom [30, 68], they set a goal to find a hybrid configuration with acceptable performance degradation while partitioning capacity (i.e., when the total capacity is fixed). They prototype hybrid memory on a real, DRAM-only machine via virtualization. The total capacity is limited to that of the host machine, and Crystal avoids this constraint.

Jacob et al. [83] propose an analytic, first-order model for finding the number and capacities of levels in an \( n \)-level, replicating memory hierarchy for a given cost. Unlike Crystal, the authors assume equal bit densities of memory technologies, treat all accesses as reads, and roughly approximate program miss curves abstracting away plateaus, that are crucial for partitioning (recall the example in Section 3.2.1).

Yavits et al. [84] partition cache hierarchies of 3D chip multi-processors. They propose an analytic model for finding the optimal number and areas of cache levels for given area and power budgets. Unlike Crystal, the authors do not consider memory technologies with different bit densities and specialize their model to on-chip caches.

Choi et al. [85] partition hybrid memories that are flat (both the DRAM and NVM partitions can be accessed directly). They propose a model for finding the optimal placement of in-memory program data that minimizes execution energy, time, their product, or the number of writes to the NVM partition, and evaluate hybrid configurations of the same total capacity. The model neither includes disk nor considers main memory area. It employs integer linear programming and thus implies a limit on the working-set size for which the optimal data placement can be practically found. On the contrary, Crystal is holistic (models the entire system and is thus applicable for both in-memory and not-in-memory workloads) and practical (considers memory area and is applicable for workloads with realistic working-set sizes).

3.6 Summary

The right balance between DRAM and NVM is fundamental for hybrid main memory design, but detailed simulation or prototyping alone impede comprehensive design-space search required for finding it. I propose Crystal, an analytic approach to the design-time resource partitioning of hierarchical hybrid systems. Crystal is holistic and enables early partitioning, thus facilitating exhaustive design-space exploration. It employs system-level models providing first-order estimates of execution time and energy. The best partitionings identified by Crystal are validated via sensitivity analysis, showing that they are robust to the imprecision of the models.
Crystal quickly identifies the best amount and type of NVM given a partitioning goal and a workload, highlighting the most promising design points for subsequent detailed evaluation. For instance, Crystal shows how higher system-level performance and energy efficiency can be achieved by employing an NVM with the speed and energy consumption of NAND Flash instead of a faster and more energy efficient NVM like PCM.

However, Crystal explores only a subset of the design space. In the next chapter, I present a generalized framework named Rock. Unlike Crystal, Rock mutually considers total main memory area, its partitioning, capacity allocation among programs, and data placement within allocated capacities, among other design dimensions. This way, Rock allows system architects to obtain insights about the entire design space to prune it.
The problem sizes of contemporary workloads continuously grow and thereby drive the demand for larger and still fast main memory. System architects can address this demand by: 1) installing more memory modules and/or 2) using modules of larger capacities. SCM technologies like PCM promise significantly higher densities than DRAM and lower costs per bit. Thus, combining DRAM and SCM modules allows system architects to build hybrid main memories that are more cost-effective than DRAM-only memories [8].

Memory system performance in case of DRAM-only memory depends on many factors like: 1) the workload, 2) the total number of memory-module slots, 3) the type of DRAM modules, 4) DRAM capacity allocation among co-running programs, and 5) disk type, to name a few. In case of hybrid main memory, new factors are added, e.g.: 6) the number and type of SCM modules, 7) SCM capacity allocation, and 8) data placement within the DRAM and SCM capacities allocated per program. Thus, the design space of hybrid main memory systems is multi-dimensional.
The design point with the highest performance can be found via Design-Space Exploration (DSE). Complete and accurate DSE where each design point is evaluated only via prototyping [69, 86–90] and/or simulation [15, 24, 25, 30, 68, 91, 92] is problematic due to high implementation and/or computation efforts, respectively. Analytic modeling [34, 85] is much quicker than simulation, but is less accurate due to its first-order nature. Thus, it is most appropriate for inferring trends and validating them via sensitivity analysis. Crystal [34], presented in the previous chapter, employs analytic models to partition a fixed number of memory-module slots between DRAM and SCM. However, it explores only a subspace of the design space considered in this chapter, since: 1) it does not compare memory systems comprising different total numbers of memory modules, and 2) it employs a single policy for data placement, thus disregarding it as a design dimension.

This chapter proposes Rock, a generalized framework for pruning the design space of hybrid main memory systems. A novelty of Rock is that it recognizes and mutually considers such important design dimensions as: 1) total memory-system area, 2) memory-system area partitioning between DRAM and SCM, 3) allocation of the DRAM and SCM capacities among co-running programs, and 4) data placement within the allocated capacities. Design-space trends inferred during first-order DSE are validated via sensitivity analysis; trends that pass validation are used for design-space pruning.

The first contribution of this chapter is that it systematizes hybrid memory design dimensions by distinguishing area partitioning, resource allocation, and data placement. The second contribution is a framework that helps system architects to quickly infer important design-space trends by mutually considering the above dimensions, among the conventional ones. For instance, Rock makes it easy to reveal insensitivity to a specific design dimension in the context of the other dimensions, significantly simplifying the design space. This chapter demonstrates the power of Rock by applying it to two carefully selected example workloads and a scaled memory system with up to six DRAM and/or PCM modules backed by NAND Flash SSD. Using Rock I reduce the number of design points to just a few.

The rest of the chapter is organized as follows. Section 4.1 explains hybrid memory design dimensions, Section 4.2 presents Rock, Section 4.3 the experimental methodology, and Section 4.4 results. Finally, Section 4.5 discusses related work and Section 4.6 summarizes the chapter.
4.1 Hybrid Memory Design Dimensions

The design space of hybrid memory systems is multi-dimensional. Among the other dimensions like the type of DRAM and SCM, I propose to recognize: 1) resource partitioning, i.e., the decision of how much memory of each type to use; 2) resource allocation, i.e., the distribution of DRAM and SCM capacities among co-running programs; and 3) data placement, i.e., the decision of where within the allocated capacities to store each program’s data.

In this chapter, I assume that resource partitioning is performed at design-time, and thus it poses the question of how many DRAM and SCM modules to install, given that the total number of modules is fixed. I do not consider run-time resource partitioning enabled by the dynamic reconfiguration of SCM cells [93]. Resource allocation and data placement can be performed both at design- and run-time. I propose to systematize the design dimensions as shown in Figure 4.1, where the arrows show possible dependencies. For instance, design-time resource partitioning defines the capacities for either design- or run-time resource allocation. The proposed systematization facilitates directing DSE.

Resource allocation controls how much of the total DRAM and SCM capacities is available to each program. If a program is allocated enough capacity to hold its entire working set, it becomes in-memory and does not access disk in the steady state, which is a key to high performance. In general, resource allocation that results in the highest performance is an NP-complete problem even in conventional, one-level memories such as shared caches [71] or DRAM-only main memories [94]. One way to implement resource allocation is to drive allocation decisions by utility, where a program’s utility of a specific capacity slice is defined as the number of main memory capacity misses that can be eliminated by allocating the slice to the program.
In general, data placement that results in the highest performance is an NP-complete problem, too [24, 25, 85, 91, 92, 95]. Data placement can be imposed by the organization of hybrid memory partitions. For brevity, like in the previous chapter, I label the DRAM partition M1 and the SCM partition M2. The hierarchical organization of M1 and M2, like in Figure 3.1b of the previous chapter, imposes a basic data placement policy, where M2 can only be accessed via M1. Alternatively, the partitions can be organized as flat hybrid memory, shown in Figure 4.2, where the CPU can directly access both M1 and M2, allowing flexibility for sophisticated data placement policies.

Another possible dimension is the policy for promoting data (from M2 to M1): 

- **Migrating** hybrid memories move data upon promotion, while **replicating** memories copy.

Since this thesis strives to maximize main-memory capacity, I consider migrating hybrid memories throughout.

As already mentioned, the design point with the highest performance can be found using DSE. However, complete and accurate DSE solely via prototyping and/or simulation is problematic due to high costs, restrictions and/or inefficiencies. The next section presents **Rock**, a framework for pruning hybrid memory design spaces and thereby facilitating complete and accurate DSE.

## 4.2 Rock

Rock employs analytic models to quickly prune design spaces of hybrid main memory systems. Analytic models have limited accuracy but make it possible to quickly infer trends specific to a design space by comparing relative performance of its design points. Rock normalizes the performance of each design point to that of the reference one: the design point with the highest performance, i.e., the DRAM-only system with capacity large enough for the workload to be in-memory. Normalization removes effects common to the design points, equivalently making such common effects unnecessary to model. The inferred trends are then validated using systematic sensitivity analysis. For instance, two sets of parameters can be used per design point to represent corner-case scenarios: a scenario with low performance and a scenario with high performance. Other execution scenarios would yield performance falling in between the two corner cases. If a trend
holds in both cases, I conclude that it is insensitive to the inaccuracies of analytic modeling and thus it can be used for design-space pruning.

For instance, in a simplified example, I can vary the average access-latency gap between DRAM and PCM by assuming a low row-buffer hit rate in one corner case and a high row-buffer hit rate in the other corner case. Then, if I observe in both corner cases a trend that, e.g., replacing DRAM with PCM improves performance (due to reducing the number of disk accesses), I can conclude that the trend is insensitive to the variation of row-buffer hit rate. Therefore, I can use this trend to prune the design space.

A novelty of Rock is that it mutually considers resource partitioning, resource allocation, and data placement, among the other design dimensions. In this chapter Rock extends Crystal [34] by integrating its method for workload representation (offline profiling) and the baseline first-order performance model. In addition, Rock integrates approximations for different implementations of resource allocation and data placement. The rest of this section details Rock.

### 4.2.1 Workload Representation

Rock adopts Crystal’s [34] workload representation method, where each program is approximated by a profile (Table 3.1) comprising: 1) the miss curve showing the number of main-memory misses vs. capacity, and 2) the fraction of writes equal to the number of main-memory write requests over the total number of main-memory requests. I exclude from the profile the time spent on computation and cache accesses in order to emphasize the difference between main memory configurations. Such profiling is a one-time, offline effort (a profile is created once and reused throughout design-space pruning). I consider multiprogrammed workloads comprising one single-threaded program per core. A workload is represented by a set of respective program profiles.

### 4.2.2 Resource Allocation

I purpose to compare memory systems employing different DRA policies to reveal the sensitivity (or lack thereof) of the memory-system performance to resource allocation. I perform resource allocation at design-time (statically) using three distinct policies

<table>
<thead>
<tr>
<th>DRA Policy</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>LU</td>
<td>Low-Utility allocates capacity to programs with low utility of it</td>
</tr>
<tr>
<td>HU</td>
<td>High-Utility allocates capacity to programs with high utility of it</td>
</tr>
<tr>
<td>UA</td>
<td>Utility-Agnostic allocates capacity regardless of utility</td>
</tr>
</tbody>
</table>

Table 4.1: DRA Policies
shown in Table 4.1: the LU and HU policies introduced in the previous chapter and a Utility-Agnostic (UA) policy, that awards capacity to programs regardless of their utility of it. To further investigate the sensitivity of the memory-system performance to resource allocation, other polices can be integrated into the framework of Rock.

4.2.3 Data Placement

For simplicity of demonstration, I manage program data at the OS page granularity for both paging to/from disk and migrations between M1 and M2 (though other granularities can be considered). First-order performance estimates for the conventional system (Figure 3.1a) and the hierarchical hybrid system (Figure 3.1b) can be obtained using the model that captures the basic memory-system behavior, presented in Section 3.2.3 of the previous chapter. Like in the previous chapter, main memory is assumed fully-associative and implements the LRU replacement policy.

Like in the previous chapter, I consider the following steady-state behavior. If a requested page is not present in memory, it is paged-in from disk to main memory of the conventional system or to M2 of the hierarchical hybrid system. Each page-in causes a page-out, but only dirty pages are written back to disk. If a requested page is not present in M1 but is present in M2, it is moved from M2 to M1 (since the memory is migrating). Each migration from M2 to M1 causes a migration from M1 to M2. This behavior imposes a Run-time Data Placement (RDP) policy labeled basic. The total memory-access time of a single-threaded program running in a hybrid system that employs this RDP policy can thus be estimated by (3.1). In order to emphasize the difference among main memory configurations, I exclude from (3.1) the time spent on computation and all cache accesses ($T_{CPU}$) to obtain the following model:

$$\begin{align*}
T &= N_{M1} \cdot ((1 - f_{Wr}) \cdot t_{M1 Rd} + f_{Wr} \cdot t_{M1 Wr}) \\
&\quad + N_{M2} \cdot (t_{M2\rightarrow M1} + t_{M1\rightarrow M2}) \\
&\quad + N_{D} \cdot (t_{D\rightarrow M2} + (1 - wcr) \cdot f_{Wr} \cdot t_{M2\rightarrow D}),
\end{align*}$$

(4.1)

where the parameters and variables are described in Table 4.2 and computed the same way as in Section 3.2.3.

The equation for the total memory-access time of a single-threaded program in the system with one-level main memory (Figure 3.1a) can be obtained from (4.1) by excluding M2, and I omit it for brevity. I consider design points where the entire main memory can

---

1An important nuance of migrating hybrid memories where address mappings between M1 and M2 are restricted [26–28] is that resource allocation can be controlled by data placement. Integrating models for such systems into Rock can be a future-work direction.
be either DRAM or SCM, too, and so in the context of one-level main memory M1 can
denote either DRAM or SCM. For simplicity of modeling, I assume that DRAM and
SCM modules have the same organization.

Like in Crystal, the assumed model parameters can indirectly represent system-
behavior nuances as follows: 1) Row-buffer hit rate (rbhr) allows us to vary the latency
per M1 access and loosely represents execution details like access reordering and different
forms of parallelism (e.g., bank-level). Since in the hierarchical hybrid system M2 is
accessed only at the page granularity, a separate model parameter is unnecessary; 2) Write-
coalesce rate (wcr) allows us to vary the number of page writebacks to disk and represents
writes coalescing with other writes within a page before it is paged-out; and 3) Disk-cache
hit rate (dchr) allows us to vary the latency per disk read and represents prefetching to
the disk cache that typically benefits only reads [51].

Next, to model the flat hybrid system of Figure 4.2, I propose to augment (4.1) with
two hypothetical RDP policies. The first one is labeled “80%” and eliminates 80% of
migrations between M1 and M2, i.e., \( N_{M2}' \). The second RDP policy is labeled ideal and eliminates all migrations,
i.e., it represents the system of Figure 3.1a where main memory is built from DRAM but
has the aggregate capacity of M1 and M2. The two policies are simple yet effective for
obtaining important insights, as I will demonstrate in Section 4.4. Other RDP policies
can be integrated into the framework of Rock.

### 4.2.4 Final Calculations

The total memory-access times of all programs are summed to obtain the total memory-
access time of the workload. Next, I add the periodic maintenance overhead of DRAM
(refresh), except for SCM-only systems. I assume that refresh overlaps for all DRAM

---

**Table 4.2: Parameters and Variables in (4.1)**

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>( N_{M1}, N_{M2}, N_D )</td>
<td>The numbers of accesses to M1, M2, and disk, respectively</td>
</tr>
<tr>
<td>( fWr )</td>
<td>The program’s fraction of writes</td>
</tr>
<tr>
<td>( t_{M1 \rightarrow M1}, t_{M1 \rightarrow M2} )</td>
<td>Respective latencies of one page migration from M2 to M1 and from M1 to M2</td>
</tr>
<tr>
<td>( wcr )</td>
<td>An assumed write-coalesce rate, i.e., the fraction of all writes to main memory that do not propagate to disk</td>
</tr>
<tr>
<td>( t_{D \rightarrow M2}, t_{M2 \rightarrow D} )</td>
<td>Respective latencies of one page-in from disk to M2 and one page-out from M2 to disk</td>
</tr>
</tbody>
</table>
modules, and therefore calculate its overhead as the total memory-access time multiplied by the refresh latency and divided by the refresh period.

Finally, I estimate memory system performance by its throughput, given by the total number of main-memory requests multiplied by the request size (i.e., cache line size) and divided by the total memory-access time (i.e., main-memory plus disk access time). As I explain in the first paragraph of this section, for the estimates for each design point to be useful they have to be normalized to the reference design point (the DRAM-only system in which the workload is in-memory).

Note that in addition to the performance model, an analytic energy model like (3.2) and (3.6) to (3.8), employed by Crystal, can be straightforwardly integrated into the framework of Rock for pruning design spaces where the target metric is energy. An interesting question is to test whether the observation that for the current state of memory technologies energy follows the same trends as performance [34] holds for the larger design spaces considered by Rock.

### 4.3 Experimental Methodology

The purpose of the evaluation of Rock in this chapter is to demonstrate its power in terms of quick and accurate design-space pruning to select the most promising design points for detailed evaluation via prototyping and/or simulation.

**Programs and Workloads** Rock uses the same programs and the profiling method as Crystal (Section 3.3). I carefully choose two distinct example workloads labeled Work1 and Work2 (Table 4.3). Work1 comprises multiple instances of the same program (sjeng), and so it is insensitive (in terms of performance) to different implementations of resource allocation. In other words, the UA, LU, and HU DRA policies (Table 4.1) produce equal memory-capacity allocations for Work1. In addition, unlike the other programs, sjeng has a miss curve without plateaus, i.e., its miss curve decreases gradually (Figure 3.3). Thus, sjeng benefits from more capacity as long as it is not-in-memory. Work2 comprises different programs (CG, lbm, mcf, and soplex), and so its performance can be sensitive to different resource-allocation policies (due to different M1-capacity allocations per program). That is, Work2 creates a larger design space than Work1. In addition, the miss curves of its programs have plateaus and cliffs (steep drops). For instance, Figure 3.3 shows that mcf’s total number of misses is $\sim 2 \times 10^8$, that drops down to $\sim 10^7$ at 0.05GB and down to $\sim 10^5$ at 0.1GB. The next section illustrates the importance of such plateaus and cliffs for hybrid memory system performance. The aggregate working set size of Work1 is $16 \times 172 = 2752$MB and that of Work2 is $419 + 403 + 1674 + 251 = 2747$MB.
4.3. EXPERIMENTAL METHODOLOGY

Table 4.3: Selected Workloads

<table>
<thead>
<tr>
<th>Work</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>Work1</td>
<td>16 instances of sjeng</td>
</tr>
<tr>
<td>Work2</td>
<td>One each of CG, lbm, mcf, soplex</td>
</tr>
</tbody>
</table>

Table 4.4: System Configuration

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Details</th>
</tr>
</thead>
<tbody>
<tr>
<td>Number of cores</td>
<td>16 (Work1), 4 (Work2)</td>
</tr>
<tr>
<td>Cache line size</td>
<td>64B</td>
</tr>
<tr>
<td>OS page size</td>
<td>4KB</td>
</tr>
<tr>
<td>Max number of DIMMs</td>
<td>6</td>
</tr>
<tr>
<td>Partitioning granularity</td>
<td>1 DIMM</td>
</tr>
</tbody>
</table>

Resource Allocation I consider the UA, LU, and HU DRA policies (Table 4.1). The initial allocation is 32MB for each program, and $\Delta c$ is 1MB.

System Configuration I execute Work1 in a 16-core system and Work2 in a 4-core system (one program per core). Main memory is organized as channels populated with DIMMs. For demonstration purposes I scale down the memory size and choose one DIMM as the unit by which the memory size can be changed. I assume that DRAM and SCM can share the same channel and that the partitioning granularity, i.e., the unit by which DRAM can be replaced with SCM, is one DIMM.

The maximum number of DIMMs is chosen such that the workloads are in-memory w.r.t. the DRAM-only capacity. Each DIMM has two ranks and eight memory devices per rank (for simplicity, no extra memory device for error detection and correction), and the organization is the same for DRAM and SCM. I employ 1-Gb DRAM devices [76] and scale down their capacity four times, resulting in 512-MB DRAM DIMMs. Thus, to match the working set sizes of Work1 and Work2, I need six DRAM DIMMs (3072MB in total). The DRAM-only system of six DIMMs is therefore the reference design point, whose performance should ideally be matched by hybrid systems with fewer modules. Table 4.4 summarizes the system configuration.

Memory Technologies I consider systems employing DRAM, PCM, and NAND Flash SSD (though in general Rock is applicable to other technologies, too). PCM is assumed four times denser than DRAM [15]. DRAM and PCM DIMMs implement the 12.8GB/s DDR3 interface, and I model the access latencies of DRAM and PCM according

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2 In real-world, large systems the unit would be one DIMM per channel or one rank of memory devices per channel.
CHAPTER 4. HYBRID MEMORY DESIGN-SPACE PRUNING

Table 4.5: Memory-Technology Access Latencies

<table>
<thead>
<tr>
<th></th>
<th>64-B Read</th>
<th>64-B Write</th>
<th>4-KB Read</th>
<th>4-KB Write</th>
</tr>
</thead>
<tbody>
<tr>
<td>DRAM</td>
<td>35ns</td>
<td>61.25ns</td>
<td>350ns</td>
<td>376ns</td>
</tr>
<tr>
<td>PCM</td>
<td>2.26x</td>
<td>4.23x</td>
<td>1.13x</td>
<td>1.53x</td>
</tr>
<tr>
<td>SSD</td>
<td>Not used</td>
<td>Not used</td>
<td>157x</td>
<td>146x</td>
</tr>
</tbody>
</table>

Access latencies exclude respective controller latencies. Ratios (x) are normalized to respective DRAM latencies.

Table 4.6: Sets of Assumed Parameter Values for Sensitivity Analysis

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Set1</th>
<th>Set2</th>
</tr>
</thead>
<tbody>
<tr>
<td>Row-buffer hit rate (%)</td>
<td>0</td>
<td>99</td>
</tr>
<tr>
<td>Write-coalesce rate (%)</td>
<td>0</td>
<td>99</td>
</tr>
<tr>
<td>Disk-cache hit rate (%)</td>
<td>0</td>
<td>50</td>
</tr>
</tbody>
</table>

Sensitivity-Analysis Parameters

I perform sensitivity analysis by varying the assumed model parameters (Section 4.2.3) in broad ranges, shown in Table 4.6. For each design point, Set1 represents a corner case where the total memory-access time is the longest, and Set2 represents that where the total memory-access time is significantly shorter. Other execution scenarios would result in total memory-access times falling in between the two corner cases. Thus, if a design-space trend holds in both corner cases, I conclude that it is insensitive to the inaccuracies of first-order modeling. Note that real-world cases might require more than two sets for comprehensive sensitivity analysis to narrow down the ranges of parameter values for which the trends of interest hold.
4.4 Experimental Results

This section demonstrates that Rock can prune design spaces effectively. Sections 4.4.1 and 4.4.2 present results for the design spaces created by Work1 and Work2, respectively.

4.4.1 Work1 Design-Space Pruning

I consider only the UA DRA policy for Work1, since the workload is insensitive to different resource-allocation policies, as explained in Section 4.3. Figure 4.3 shows a 3D view of the design space for parameter values Set1 (Table 4.6) and has the following format. The X axis shows the total number of DIMMs, ranging from one to six. The Y axis shows the number of PCM DIMMs (out of the total number of DIMMs), ranging from zero to six. I use the \((X,Y)\) notation throughout this section to denote different memory configurations. For instance, \((2,0)\) denotes DRAM-only memory of two DIMMs, \((2,1)\) denotes hybrid memory of one DRAM and one PCM DIMMs, \((2,2)\) denotes PCM-only memory of two DIMMs, and \(\{(x,y) \mid x \in [2,3] \land y \in [1, x-1]\}\) denotes hybrid memories of two and three DIMMs \((2,1), (3,1),\) and \((3,2))\). The Z axis shows the memory-system throughput normalized to that of the \((6,0)\) system (the reference). The surface shows the normalized throughput of the systems employing the basic RDP policy. The ribs of the surface are projected onto the XZ plane as contour plots. For instance, the normalized throughput of the \(\{(x,x) \mid x \in [2,6]\}\) systems is about 0.38. The error bars with circles and the error bars with dashes show the normalized throughput of the systems employing the “80%” RDP policy and the ideal RDP policy, respectively. For instance, the throughput of the \((6,5)\) system is about 0.3 if it employs the “80%” RDP policy and 1.0 if it employs the ideal RDP policy.

Figure 4.4a shows the same design space but in a two-dimensional view (for the ease of quantitative analysis) and has the following format. The horizontal axis shows the total number of DIMMs. Each group of bars shows configurations of the same total number of DIMMs, where the left-most and the right-most bars correspond to the DRAM-only and the PCM-only configurations, respectively. The vertical axis shows throughput normalized to the \((6,0)\) system. Figure 4.4b has the same format as Figure 4.4a and shows results for parameter values Set2 (Table 4.6), used for sensitivity analysis. Next, I discuss how I infer trends by analyzing the resource-partitioning results first and then the data-placement results (recall the dependency between resource partitioning and data placement in Figure 4.1).
CHAPTER 4. HYBRID MEMORY DESIGN-SPACE PRUNING

Resource Partitioning

Figures 4.3 and 4.4a show that the throughput of the \{(x, 0) \mid x \in [1, 5]\} systems is very low, under 10% of the reference throughput (the (6, 0) system). Thus, I infer that the performance of the \{(x, 0) \mid x \in [1, 5]\} systems is disk-bound. This trend holds in Figure 4.4b, too, and so it is insensitive to the errors of analytic modeling and thus can be used for design-space pruning. That is, I can dismiss the \{(x, 0) \mid x \in [1, 5]\} systems, since they offer low performance due to disk accesses.

Intuitively, I can improve performance by replacing some DRAM with PCM and thus provisioning more capacity. I first analyze the resource-partitioning results for hybrid systems \{(x, y) \mid x \in [2, 6] \land y \in [1, x - 1]\} and then those for PCM-only systems \{(x, x) \mid x \in [1, 6]\}. In order to focus on resource partitioning, I first consider only the systems employing the basic RDP policy.

Figures 4.3 and 4.4a show that the \{(x, 1) \mid x \in [2, 5]\} systems outperform the respective \{(x, 0) \mid x \in [2, 5]\} systems. For instance, the normalized throughput of the (4, 1) system is about 0.3, but that of the (4, 0) system is under 0.025. Thus, in the \{(x, 1) \mid x \in [2, 5]\} systems the benefit of a larger capacity exceeds the overhead of migrations between M1 and M2. Therefore, I infer that performance can be improved by replacing one DIMM of the \{(x, 0) \mid x \in [2, 5]\} systems with PCM. This holds in Figure 4.4b, too, and so the trend can be used for pruning.
Next, Figures 4.3 and 4.4a show that the \{ (x, 1) \mid x \in [3, 6] \} systems outperform the \{ (x, y) \mid x \in [3, 6] \land y \in [2, x - 1] \} systems, where each system employs the basic RDP policy. For instance, the normalized throughput of the (3, 1) system is about 0.19, but that of the (3, 2) system is less than 0.1. Intuitively, replacing more DRAM with PCM does not add useful capacity for Work1, but it increases the overhead of migrations between M1 and M2. Thus, I infer that employing two or more (but not all) PCM DIMMs reduces performance, compared to that of the respective systems with just one PCM DIMM. This trend holds in Figure 4.4b, too, and thus I can use it for design-space pruning.

Finally, Figures 4.3 and 4.4a show that PCM-only systems \{ (x, x) \mid x \in [1, 5] \} outperform the respective DRAM-only systems \{ (x, 0) \mid x \in [1, 5] \}. Although the performance
of the \((1,1)\) system is still disk-bound, the \(\{(x,x) \mid x \in [2,5]\}\) systems attain a normalized throughput of about 0.38. On the contrary, even the \((5,0)\) system attains that of less than 0.1. This means that in the PCM-only systems the benefit of a larger capacity exceeds the penalty of accessing PCM directly. Thus, I infer that replacing all DIMMs of the \(\{(x,0) \mid x \in [2,5]\}\) systems with PCM can be an attractive option. This trend holds in Figure 4.4b, too. Moreover, thanks to the very high assumed row buffer hit rate in Set2, the \(\{(x,x) \mid x \in [2,6]\}\) systems in Figure 4.4b are competitive with the \((6,0)\) system. Though, the PCM write-endurance issue must be alleviated before PCM-only systems can be deployed [8]. Otherwise, the write traffic of Work1 (44.1% of all memory requests, according to Table 3.3) might wear out PCM faster than the desired system lifetime. Future SCM technologies with higher write endurance might become a feasible DRAM replacement option, and Rock can help to identify such opportunities.

**Data Placement**

The ideal RDP policy is used to identify hybrid memory configurations that are disk-bound: in such systems, the ideal RDP policy cannot match the throughput of the \((6,0)\) system. For instance, Figures 4.3 and 4.4a show that the normalized throughput of the \((2,1)\) system is less than 0.1 even if it employs the ideal RDP policy. Figure 4.4b supports this observation, and thus the \((2,1)\) system can be safely discarded.

Figures 4.3 and 4.4a show that the “80%” RDP policy significantly improves the performance of the \(\{(x,y) \mid x \in [3,6] \land y \in [1,x-1]\}\) systems compared to the basic RDP policy. However, in the systems with just one DRAM DIMM \(\{(x,y) \mid x \in [3,6] \land y = x-1\}\) the number of migrations between M1 and M2 is still large, bounding performance to about 0.3. This means that sophisticated RDP policies, approximated by the “80%” policy, have a high potential, but in systems with a large number of migrations they have to eliminate much more than 80% of migrations to be competitive with the reference \((6,0)\) system. This trend holds in Figure 4.4b, too.

**Summary**

The purpose of Rock is to help us infer and validate trends for pruning away unpromising design points. The analysis above leaves us with hybrid systems of three to five DIMMs in total, of which one is PCM (the \(\{(x,1) \mid x \in [3,5]\}\) systems), employing a sophisticated RDP policy. This way, I prune the design space in Figure 4.3 down to three design points (the above three hybrid systems) plus one (the \((6,0)\) reference system).

Note that the maximum total number of DIMMs is a restriction external to Rock in this evaluation. When the total capacity is large enough to make the workload in-memory, systems with the ideal RDP policy are equivalent to the \((6,0)\) system and thus could be
4.4. EXPERIMENTAL RESULTS

excluded from the design space even without Rock, by just estimating the workload’s aggregate working-set size. In addition, as long as the limited write endurance of PCM remains an issue, the PCM-only systems could be safely excluded for this workload.

4.4.2 Work2 Design-Space Pruning

Since Work2 might be sensitive to different implementations of resource allocation, I consider the UA, LU, and HU DRA policies (Table 4.1). Figures 4.5, 4.6, and 4.7 show three-dimensional views of the respective design subspaces for parameter values Set1 (Table 4.6). Figures 4.5, 4.6 and 4.7 have the same format as Figure 4.3 and show that Work2 is very distinct from Work1. One striking difference is that there are hybrid systems in Figures 4.5 and 4.6 (i.e., \((4, 1), (5, 1), (5, 2),\) and \((6, y) \mid y \in [1,3]\)) that attain nearly the same throughput as the reference \((6, 0)\) system, regardless of the RDP policy. I explain the reason and implications of this when discussing the sensitivity to data placement later in this section.

For brevity, to discuss only new insights (compared to those I have discussed for Work1), I restrict my further analysis to the subspace formed by systems of two to four DIMMs. Figures 4.8, 4.9, and 4.10 show the results for the \(\{(2, y) \mid y \in [0, 2]\}\), \(\{(3, y) \mid y \in [0, 3]\}\), and \(\{(4, y) \mid y \in [0, 4]\}\) systems, respectively. The format of the left (Set1) and right (Set2) parts of the figures is the same as that of Figure 4.4a, except that the horizontal axis now shows the DRA policy. To highlight new insights, I build the following discussion around performance sensitivity to resource allocation and data placement. In this chapter I consider design points with high sensitivity undesirable, and thus set a goal to prune them away.

Sensitivity to Resource Allocation

Figures 4.8a, 4.9a, and 4.10a show that the choice of DRA policy can significantly affect the performance of the DRAM-only systems \(\{(2, 0), (3, 0), (4, 0)\}\). For instance, in Figure 4.8a the normalized throughput of the \((2, 0)\) system is about 0.25 if it employs the UA or HU DRA policies, and less than 0.025 if it employs the LU policy. Thus, I infer that the DRAM-only systems are rather sensitive to DRA. This trend holds in Figures 4.8b, 4.9b, and 4.10b, too, which validates it, and so the trend can be used for design-space pruning. Note that in Figures 4.9a and 4.10a the HU DRA policy results in a lower performance of the DRAM-only systems than the UA and LU polices. This is a known issue [71] caused by the fact that the policy allocates one slice \(\Delta c\) at a time, without lookahead, and thus does not allocate capacity to programs with flat or nearly flat plateaus on the miss curve even when the plateaus are followed by cliffs, as long as there are programs with a higher utility of the capacity.
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| RDP policy: | 0 Basic | 0 "80%" | 1 Ideal |

**Figure 4.5:** Design subspace of Work2 with UA DRA policy and Set1 in 3D view

**Figure 4.6:** Design subspace of Work2 with LU DRA policy and Set1 in 3D view

**Figure 4.7:** Design subspace of Work2 with HU DRA policy and Set1 in 3D view
4.4. EXPERIMENTAL RESULTS

<table>
<thead>
<tr>
<th>Number of PCM DIMMs:</th>
<th>0</th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
</tr>
</thead>
<tbody>
<tr>
<td>RDP policy:</td>
<td>□</td>
<td>□</td>
<td>□</td>
<td>□</td>
<td>□</td>
</tr>
</tbody>
</table>

(a) Set1

(b) Set2 (sensitivity analysis)

Figure 4.8: Design subspace of Work2 with two DIMMs in total

(a) Set1

(b) Set2 (sensitivity analysis)

Figure 4.9: Design subspace of Work2 with three DIMMs in total

(a) Set1

(b) Set2 (sensitivity analysis)

Figure 4.10: Design subspace of Work2 with four DIMMs in total
CHAPTER 4. HYBRID MEMORY DESIGN-SPACE PRUNING

The sensitivity to DRA can be reduced by increasing main memory capacity, i.e., by replacing some DRAM in the (2, 0), (3, 0), and (4, 0) systems with PCM. In addition, in the context of hybrid systems the sensitivity to DRA can be further reduced by employing a sophisticated RDP policy (approximated by my “80%” RDP implementation). For instance, although the (2, 1) system in Figure 4.8a is still rather sensitive to DRA (the capacity is not large enough, and the normalized throughput with the HU DRA policy is just above 0.4 even with the ideal RDP policy), the (3, 1) and (3, 2) systems in Figure 4.9a and the \{(4, y) \mid y \in [1, 3]\} systems in Figure 4.10a are significantly less sensitive to DRA if they employ the “80%” RDP policy. Moreover, these systems are competitive with the reference (6, 0) system. This way, by replacing some DRAM with PCM and employing a sophisticated RDP policy in the systems of three and four DIMMs, I increase performance and at the same time reduce the sensitivity to DRA. This trend holds in Figures 4.8b, 4.9b, and 4.10b, too, and thus it can be used for design-space pruning.

Surprisingly, in Figure 4.10a the normalized throughput of the (4, 1) system with the basic RDP policy is very close to 1.0 regardless whether it employs the UA or the LU DRA policy, and is above 0.9 when it employs the HU DRA policy. Thus, the (4, 1) system is almost insensitive to DRA, even if it employs the basic RDP policy. This observation holds in Figure 4.10b, too.

Sensitivity to Data Placement

As I just observed in Figure 4.10a, the performance of the (4, 1) system employing the UA or LU DRA policies is insensitive to the choice of RDP policy. That is, even the basic RDP policy is competitive with the ideal one. This is so because both the UA and LU DRA policies can fit the first plateau of mcf and the entire working sets of CG, lbm, and soplex (Figure 3.3) into M1. Accesses to M2 are only due to the second plateau of mcf, and their number is dwarfed by the total number of accesses to M1 (recall the remark in Section 4.3 about the miss-curve cliffs). As a result, the time of all accesses to M2 is dwarfed by the time of all accesses to M1. The insensitivity of the (4, 1) systems to the choice of RDP policy holds in Figure 4.10b, too, and so I can use this observation for design-space pruning. The same explanation applies to the insensitivity to RDP of the (5, 1), (5, 2), and \{(6, y) \mid y \in [1, 3]\} systems in Figures 4.5 and 4.6. It is important to identify such insensitivities and to use basic policies instead of sophisticated ones, because it helps to dramatically simplify the system without significant performance losses.

Summary

The above analysis leaves us with the \{(x, y) \mid x \in [3, 5] \land y \in [1, x - 1]\} systems employing a sophisticated RDP policy, since they can be competitive with the (6, 0) system.
In particular, the (4, 1), (5, 1), and (5, 2) systems are very promising, because their performance is likely to be least sensitive to the implementation of both resource allocation and data placement. In addition, even basic policies, respectively approximated by the UA DRA policy and the basic RDP policy, could suffice. The (4, 1) system is the most promising one, since it achieves the above performance with the least number of DIMMs. This way, Rock successfully prunes the design space of Work2 down to two design points: the (4, 1) system and the (6, 0) system as the reference.

4.5 Related Work

Hybrid main memory systems are actively studied, but most of the prior work either performs detailed investigation via prototyping [69, 86–90] and simulation [15, 24, 25, 30, 68, 91, 92, 95] or employs analytic models to consider only subspaces of the larger design space analyzed in this chapter. In addition, the previously proposed models have limitations, as follows.

Crystal [34] focuses on resource partitioning and disregards data placement as a design dimension. It does not consider SCM-only systems and, furthermore, partitions only a fixed total number of memory modules. It normalizes performance and energy estimates to those of a DRAM-only baseline of the same number of memory modules (the “equal-area” system), regardless whether a workload is in-memory w.r.t. this baseline. As a result, Crystal [34] does not provide insights about performance and energy efficiency losses due to a smaller total number of memory modules (memory-system area). Rock is a generalization that explores a larger design space by mutually considering different memory-system areas, resource partitioning, resource allocation, and data placement, among the other dimensions. An important result is that Rock allows system architects to easily reveal insensitivity to one design dimension in the context of the other dimensions, and thus to significantly simplify the design space.

Choi et al. [85] focus on design-time resource partitioning and propose a model for the optimal static data placement, which is an NP-complete problem. The model can be considered in the framework of Rock.

Other analytic models, including those for memory systems built using conventional memory technologies, either focus on resource partitioning for cache hierarchies [84, 96] or have limitations like using approximate program miss curves that disregard information about plateaus and cliffs [83, 96]. Section 4.4.2 illustrates that detailed miss-curve information is very important for hybrid memory design. In addition, these models do not consider different implementations of resource allocation and data placement. Bolotin et al. [97] focus on the question whether to organize on-chip DRAM and off-chip
DRAM as hierarchical or flat memory but disregard miss curves completely. Thus, a major limitation of their model is that it cannot be used for resource partitioning.

4.6 Summary

Hybrid main memory is a promising way of addressing the demand for larger and still fast main memory driven by contemporary workloads. In general, the design spaces of hybrid memory systems are multi-dimensional and vast. Thus it is inefficient to prototype and/or simulate each design point in order to find the best-performing one. This chapter proposes Rock, a framework for quick and accurate pruning of such design spaces, that finds the most promising design points for subsequent detailed prototyping and/or simulation. The novelty of Rock is that it mutually considers total memory-system area, resource partitioning, resource allocation, and data placement, thus being a starting point for complete and accurate DSE. This chapter demonstrates the power of Rock by pruning two carefully chosen example design spaces down to just a few design points.

Thus, Chapter 3 and this chapter have tackled the question of how to explore hybrid-memory design tradeoffs quickly and correctly by pruning the respective design spaces. This brings us to the next design issue towards large-capacity and cost-effective main memories: run-time management—run-time resource allocation and run-time data placement (recall Figure 4.1)—of the DRAM and SCM partitions that maximizes both performance and fairness. DRAM is a limited resource in hybrid memories, and co-running programs compete for it. Run-time management that maximizes performance ignoring individual program slowdowns inevitably hurts fairness. In addition, run-time management that employs heuristics for deciding which blocks to migrate to DRAM is prone to making naive migration decisions that can hurt performance. This leads us to the third and final problem stated by this thesis: how to manage hybrid main memory such that high fairness is attained at the same time as high performance. The next chapter presents ProFess, a Probabilistic hybrid main memory management Framework for high performance and fairness.
Hardware-Based Management of Hybrid Memory

SCM technologies like 3D Xpoint [14] promise higher bit densities and lower costs per bit than DRAM. They enable large-capacity, cost-effective hybrid main memories with two partitions, $M1$ and $M2$, where $M1$ (DRAM) is faster but has less capacity than $M2$ (SCM). A lucrative way to build hybrid main memory is to use the flat topology and to place SCM close to the processor, next to DRAM on the memory channels. For instance, each DDR4 [35] channel in Intel Purley [23] accommodates one DRAM module and one 3D Xpoint module. Large DRAM module capacities—currently up to 128GB [43, 98]—and high costs motivate migrating hybrid main memories. Large numbers of entries for translating original addresses to actual addresses in $M1$ and $M2$ motivate organizations that store the address-translation entries in $M1$ [26–29].

Management of flat, migrating hybrid memories has two major challenges. First, data are moved between $M1$ and $M2$ in blocks of a chosen granularity, and when a block is promoted, another block has to be demoted. It is important to perform only promotions that clearly benefit performance, such that the benefit of a promotion exceeds its overhead.
and the penalty of the respective demotion. This implies that, ideally, to maximize performance each migration decision should be based on an individual cost-benefit analysis for each pair of blocks.

Second, relative to M2, M1 is a limited shared resource, and co-running programs compete for it. If a program fails to occupy a share of M1 large enough for its needs, it will experience an excessive slowdown. Thus, for fair execution it is important to allocate M1 such that individual slowdowns of the co-running programs are minimized\(^1\). A major challenge of fair management is to dynamically estimate each program’s performance as if it was running alone while it actually runs together with the other programs.

Existing schemes [26–29] have two major limitations. First, they suffer from fairness issues due to ignoring individual program slowdowns: these schemes offer no provision to assess the slowdowns and to maintain fairness. Second, the schemes suffer from performance issues due to ignoring individual cost-benefit analysis [26–29] and due to using global thresholds on the number of served accesses\(^2\) to a block in M2 before promoting it [26–28]. Global thresholds degrade cost-benefit analysis to a one-size-fits-all heuristic, which compromises performance.

This chapter proposes ProFess: a Probabilistic hybrid main memory management Framework for high performance and fairness. Its first key component is a Slowdown Estimation Mechanism (SEM) that monitors individual program slowdowns to enable high fairness. The second key component is a probabilistic Migration Decision Mechanism (MDM) that performs individual cost-benefit analysis for each pair of blocks to achieve high performance.

A novelty of the proposed SEM is that: 1) a small fraction of hybrid memory is dedicated for exclusive use per core—thereby removing competition for M1—for monitoring each core’s stand-alone behavior (the numbers of served accesses and migrations), and 2) the rest of hybrid memory is used for monitoring the behavior under competition for M1. Next, I propose two factors that proxy slowdown by the observed behaviors and thus indicate which program suffers the most from the competition. A novelty of the proposed MDM is that it statistically predicts an expected number of accesses to each data block, thereby enabling individual cost-benefit analysis and avoiding global thresholds. To achieve high fairness, ProFess guides MDM using estimates of the slowdown factors produced by SEM. The proposed mechanisms are practical and require little hardware.

This chapter addresses the major limitations of the existing schemes [26–29] by making the following contributions. First, it proposes a new approach to dynamic estimation of individual program slowdowns, based on monitoring program behavior

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\(^1\)Unfairness is defined by the maximum slowdown, like in MISE [99], among many other works.

\(^2\)Unless stated otherwise, the word “access” is a synonym to “memory request” in this chapter.
5.1. BACKGROUND AND MOTIVATION

in the proposed dedicated and shared regions of hybrid memory. Second, it proposes a conceptually new, probabilistic approach to making migration decisions, based on statistic predictions of the numbers of accesses to each block. Lastly, the chapter combines the two contributions into a framework. I show that for the multiprogrammed workloads evaluated, ProFess improves fairness by 15% on average and up to 29% compared to the best-performing state-of-the-art [27]. At the same time, ProFess outperforms it by 12% on average and up to 29%.

The rest of the chapter is organized as follows. Section 5.1 provides background information and motivational data, Section 5.2 describes ProFess, Section 5.3 presents the experimental setup, and Section 5.4 the results. Lastly, Section 5.5 discusses the related work, and Section 5.6 summarizes the chapter.

5.1 Background and Motivation

5.1.1 Memory Technologies

SCM technologies such as PCM [8] and 3D Xpoint [14] scale better than DRAM, promising higher bit densities and lower costs per bit. However, they are multiple times slower than DRAM, and thus cannot replace it completely without significant performance losses in high-performance computing systems. On the other hand, combining DRAM and SCM enables large-capacity, cost-effective main memories that still have high performance [15]. This chapter considers an SCM technology similar to expected 3D Xpoint by being eight times denser but one order of magnitude slower than DRAM.

5.1.2 Large-Capacity, Flat, Migrating Memory Managed by Hardware

This chapter considers hybrid main memory with one DRAM module and one 3D Xpoint module per channel, like in Intel Purley [23]. Each module comprises a large number of memory devices [43, 98], where each device can be 3D stacked [35], resulting in large module capacities. This chapter assumes that M1 and M2 modules have the same number of memory devices, and so, according to the assumed SCM density, M2 modules are eight times denser than M1 modules. Since the capacity of M1 can be hundreds of gigabytes and represents a significant fraction of the total capacity, I organize this hybrid memory as flat and migrating.

3It is possible to improve multiprogram performance and fairness at the same time, since the former is measured as system throughput (weighted speedup [61]).

4Even NAND Flash, although two orders of magnitude slower than DRAM for random reads, can be successfully employed for main memory extension [5, 7, 16].
Table 5.1: Flat Migrating Organizations

<table>
<thead>
<tr>
<th></th>
<th>M1:M2 Capacity Ratio</th>
<th>M1-M2 Addr. Mapping</th>
<th>Block Size</th>
<th>Swap Type</th>
</tr>
</thead>
<tbody>
<tr>
<td>CAMEO [26]</td>
<td>1:3</td>
<td>Direct-mapped</td>
<td>64B</td>
<td>Fast</td>
</tr>
<tr>
<td>PoM [27]</td>
<td>Configurable (1:4, 1:8)</td>
<td>Direct-mapped</td>
<td>2KB</td>
<td>Fast</td>
</tr>
<tr>
<td>SILC-FM [28]</td>
<td>Configurable (1:4)</td>
<td>Set-associative</td>
<td>64B-2KB</td>
<td>Slow</td>
</tr>
<tr>
<td>MemPod [29]</td>
<td>Configurable (1:8)</td>
<td>Fully-associative</td>
<td>2KB</td>
<td>Fast</td>
</tr>
</tbody>
</table>

Capacity ratio in parentheses = ratio used for main evaluation in respective work. Swap type is according to definition in PoM [27].

Similarly to flat, migrating memories where M1 is large on-chip DRAM [26–29], this hybrid memory has to be managed by hardware, transparently to the OS (to maintain responsiveness and to avoid high OS overheads that diminish the benefit of data promotions). Each request arriving at the MC requires an address translation from its original physical address (originally allocated by the OS) to the actual one (changed after a migration), and the MC manages the respective address-translation entries.

Because of large system capacity, the size of such translation entries totals dozens of megabytes, and so they have to be stored in M1 [26–29]. To minimize the size of each translation entry and to simplify their own addressing in M1, possible M1-M2 address mappings can be restricted such that only specific addresses in M2 can map to a given address in M1 [26, 27]. This way, only a few bits of the original address have to be translated, and the remaining bits, common to the possible actual addresses, are used to uniquely address the respective translation entry in M1.

5.1.3 Baseline Organization

Table 5.1 summarizes the existing flat migrating organizations. CAMEO [26] is optimized for memories where M1 is 1/4-th of the total capacity, one of three fixed physical addresses in M2 can map to a single fixed physical address in M1 (forming swap groups of four blocks), data are migrated at a 64-B block granularity, and the type of swaps (promotions that result in demotions) is fast (more than two blocks can be remapped within a swap group). Unlike CAMEO, PoM [27] can be configured to support M1:M2 capacity ratios other than just 1:3, which makes it practical in my study, where M1 is 1/9-th of the total capacity. SILC-FM [28] relaxes the M1-M2 address mapping, implementing set-associativity where an M2 block from one swap group can be swapped with an M1 block in another swap group. In addition, SILC-FM enables sub-block interleaving [28], making the swap-block size variable at 64-B granularity. However, this relaxation comes at a cost of swaps being slow (the original mapping in a swap group has to be restored before
5.1. BACKGROUND AND MOTIVATION

Figure 5.1: Baseline flat migrating organization of large-capacity hybrid memory (figure not to scale)

Each swap. MemPod [29] further relaxes the M1-M2 address mapping by making it fully-associative, at the cost of a dramatic increase of the storage overhead of address translations. For instance, in hybrid memory with 128-GB M1, 1-TB M2, and 2-KB swap blocks, MemPod would need 30 bits per block, which is a 7.5x increase compared to PoM [27], that would need only $\lceil \log_2 9 \rceil = 4$ bits per block (to address one of nine locations in a swap group).

In this chapter, I choose the PoM organization [27] as a baseline. I prefer it to the SILC-FM [28] and MemPod [29] organizations, because I want to focus on the quality of migration decisions, motivated as follows. For each pair of blocks considered for a swap, a migration algorithm has to decide which block to award M1. By excluding the M1-M2 address-mapping associativity of SILC-FM and MemPod, I restrict the number of such pairs, and thus emphasize the effect of each migration decision. Fundamentally, M1-M2 address-mapping relaxations are orthogonal to migration algorithms. In addition, by using a single organization for comparing different algorithms, I make the comparison fair.

Figure 5.1 shows a baseline system where each channel has one M1 module and one M2 module (only one channel is shown, though the system has multiple such channels). Data are migrated at a 2-KB granularity [27]. To support migrations, the MC employs two 2-KB Swap Buffers, SB1 and SB2. All memory locations are organized into swap groups of eight fixed physical locations in M2 and one fixed physical location in M1 [27], requiring only four bits of each original address to be translated. Address-translations are stored in M1 in a Swap-group Table (ST). Recently accessed ST entries are stored on-chip in a Swap-group Table Cache (STC).
5.1.4 The Fairness Problem

Compared to M2, M1 is a limited resource, and co-running programs compete for it. A program that fails to get enough M1 for its needs may experience an excessive slowdown, given by

$$sdn = \frac{IPC_{SP}}{IPC_{MP}},$$

(5.1)

where $IPC_{SP}$ is the program’s IPC when it runs alone (uncontended IPC) and $IPC_{MP}$ is that when it runs within the workload (IPC under contention). For fair execution it is important to swap data such that the maximum slowdown across the co-running programs is minimized.

However, the existing schemes [26–29] strive to maximize system performance disregarding the performance of individual programs in the workload. This inevitably leads to excessive slowdowns for some programs. Figure 5.2 shows such slowdowns in three four-program workloads under the PoM management [27] (the experimental setup is described in Section 5.3). For instance, in workload $w_{09}$ the slowdown of soplex is 3.7, but that of lbm and GemsFDTD is just about 2.2. Likewise, zeusmp in workload $w_{16}$ and leslie3d in $w_{19}$ experience excessive slowdowns. The other existing schemes [26, 28, 29] disregard individual program slowdowns, too, and so they suffer from the same fairness problem.

5.1.5 The Performance Problem

For high performance it is important that the benefit of each promotion exceeds the overhead of the swap. This implies that a cost-benefit analysis has to be performed individually for each pair of data blocks considered for a swap.

However, the existing migration algorithms [26–29], summarized in Table 5.2, do not perform individual cost-benefit analysis, which compromises performance. In addition, a
Table 5.2: Migration Algorithms

<table>
<thead>
<tr>
<th>Algorithm</th>
<th>Cost-Benefit Analysis</th>
<th>Migration Condition</th>
</tr>
</thead>
<tbody>
<tr>
<td>CAMEO [26]</td>
<td>No</td>
<td>Global threshold of 1 access</td>
</tr>
<tr>
<td>PoM [27]</td>
<td>Yes, global</td>
<td>Global adaptive threshold (1, 6, 18, or 48 accesses) or prohibit migrations</td>
</tr>
<tr>
<td>SILC-FM [28]</td>
<td>No</td>
<td>Global threshold of 1 access; locked in M1 if aging access counter &gt; 50 accesses</td>
</tr>
<tr>
<td>MemPod [29]</td>
<td>No</td>
<td>Majority Element Algorithm (MEA) [100], up to 64 migrations every 50µs</td>
</tr>
</tbody>
</table>

Lack of cost-benefit analysis makes migration algorithms less adaptive. For instance, in Section 5.4.1, I experimentally find that the recently published MemPod algorithm [29], based on the Majority Element Algorithm (MEA) [100], underperforms compared to the PoM algorithm [27] when employed in the system considered in this chapter. Both algorithms are originally proposed for hybrid memories where M1 is large on-chip DRAM and M2 is off-chip DRAM. However, this chapter considers a system that employs different technologies (M1 is off-chip DRAM and M2 is off-chip SCM), and PoM adapts to them better than MemPod, thanks to its global cost-benefit analysis, that takes into account memory-technology characteristics.

The problem with global thresholds is that they simplify cost-benefit analysis to a one-size-fits-all heuristic. For instance, the CAMEO algorithm [26] is optimized for 64-B blocks and promotes them after a first access, i.e., it employs a global threshold of 1, thus presuming that all swaps are justified after one access. Consider a pattern where both blocks are accessed repeatedly, one after another. CAMEO would swap blocks after each access, although a higher performance would be achieved without any swaps.

The PoM algorithm [27] is more adaptive, since it chooses one of four global thresholds (Table 5.2) based on their respective global benefit, estimated on a per-epoch basis. If none of the thresholds yields a positive benefit estimate, swaps get globally prohibited for the next epoch. Though, the major limitation of PoM is conceptually the same as that of CAMEO: it degrades individual cost-benefit analysis to a global, one-size-fits-all heuristic. Consider a global threshold of 48, a block in M1 that is not accessed, and a block in M2 that is accessed 49 times. PoM would promote the latter block after 48 accesses. Clearly, higher performance would be achieved by promoting that block after the first access.

The SILC-FM algorithm [28] uses global thresholds, does not perform cost-benefit analysis, and thus suffers from the same performance problem. Although the MemPod algorithm [29] does not use global thresholds, it suffers from a lack of cost-benefit analysis, as I discuss above.
5.2 ProFess

This section presents ProFess: a Probabilistic hybrid main memory management Framework for high performance and fairness, comprising: 1) a Slowdown Estimation Mechanism (SEM), to monitor individual program slowdowns, and 2) a probabilistic Migration Decision Mechanism (MDM), to address the performance problem of Section 5.1.5. Within ProFess, SEM guides MDM towards high fairness, thereby addressing the fairness problem of Section 5.1.4. Next, Section 5.2.1 presents the intuition and a practical implementation of SEM, Section 5.2.2 presents those of MDM, and Section 5.2.3 presents the integration of SEM and MDM within ProFess.

5.2.1 Slowdown Estimation Mechanism

Fair management throughout the execution of a multiprogrammed workload requires dynamic estimation of each program’s slowdown, given by (5.1) in Section 5.1.4. The dynamic estimation of the stand-alone performance ($IPC_{SP}$ in (5.1)) of each co-running program—i.e., the dynamic estimation of each program’s performance as if it was running alone when it actually runs together with the other programs in the workload—is a major challenge and an open issue in hybrid memories.

To this end, I propose SEM, a Slowdown Estimation Mechanism based on the following key insight. The swap groups can be further grouped into regions such that: i) one region per core is private (only data of that core can be mapped to the region), and ii) the rest of the regions are shared among the cores. Then, assuming one program per core, each program’s behavior—the number of served requests and swaps—in its private region is unaffected by the competition for M1 with the other programs. Thus, this behavior can be assumed uncontended, and therefore be used to indirectly represent, or proxy, the program’s stand-alone performance. Likewise, the program’s behavior in the shared regions, where the programs compete for M1, can be used to proxy the program’s performance under contention. The ratio of the two proxies, like in (5.1), can then proxy the program’s slowdown caused by the competition for M1 with the other programs (not to be confused with the actual slowdown estimated by (5.1)).

Since I propose to define a program’s behavior by: 1) the number of served requests and 2) the number of swaps, I propose to proxy the program’s slowdown by two separate Slowdown Factors, $SF_A$ and $SF_B$, where $SF_A$ indicates the competition for M1 in terms of served requests, and $SF_B$ indicates that in terms of swaps. Although the slowdown factors cannot precisely estimate the actual slowdown, they can act as indicators of how much the program suffers from competition for M1. Thus, the relative values of the slowdown factors of two programs can then indicate which of the two programs suffers
the most from the competition for M1. Consequently, this indicator can be used to guide migration decisions, such that the program that suffers the most obtains more M1. The rest of this section details SEM.

### Private and Shared Regions

I propose to divide hybrid main memory into regions along the swap groups in an interleaved manner, as shown in Figure 5.3 for 128 regions (from left to right: Region 0, 1, \ldots, 127, 0, 1, \ldots). I use 4-KB OS pages and 2-KB swap blocks, thus each page maps to two consecutive swap groups, and the two swap groups must map to the same region. For instance, in Figure 5.3 swap groups S0, S1, S256, S257, and so on map to Region 0, and swap groups S2, S3, S258, S259 and so on map to Region 1. The purpose of such interleaving is to reduce the non-uniformity of access distribution across the regions.

Next, I propose to dedicate one region per core to form private regions. The total number of regions should be large compared to the number of cores, so that the fraction of private regions is small. The OS has to keep track of free M1 and M2 physical page frames in the private and shared regions and to allocate frames of the private regions to their respective cores only. The OS should try to allocate frames in M1 first. Note that swaps are still transparent to the OS.

### The Slowdown Proxy

I propose to use each program’s behavior in the respective private region to proxy its stand-alone performance and its behavior in the shared regions to proxy its performance under contention. The following discussion is per core, and so I do not show the core ID.

To monitor a program’s behavior, I propose SEM counters described in Table 5.3. Using the counters, I propose to periodically compute two Slowdown Factors, \(SF_A\) and \(SF_B\),
CHAPTER 5. HYBRID MEMORY HARDWARE-BASED MANAGEMENT

Table 5.3: Per-Core SEM Counters

<table>
<thead>
<tr>
<th>Counter</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>num_Req_M1_P</td>
<td>Requests served from M1 of the private region</td>
</tr>
<tr>
<td>num_Req_Total_P</td>
<td>Requests served from M1 and M2 of the private region</td>
</tr>
<tr>
<td>num_Req_M1_S</td>
<td>Requests served from M1 of the shared regions</td>
</tr>
<tr>
<td>num_Req_Total_S</td>
<td>Requests served from M1 and M2 of the shared regions</td>
</tr>
<tr>
<td>num_Swap_Self</td>
<td>Swaps where both blocks belong to the program</td>
</tr>
<tr>
<td>num_Swap_Total</td>
<td>Swaps where at least one block belongs to the program, regardless which program triggers the swap</td>
</tr>
</tbody>
</table>

respectively given by

\[
SF_A = \frac{\left( \frac{\text{num}_\text{Req}_\text{M1}_P}{\text{num}_\text{Req}_\text{Total}_P} \right)}{\left( \frac{\text{num}_\text{Req}_\text{M1}_S}{\text{num}_\text{Req}_\text{Total}_S} \right)} \tag{5.2}
\]

and

\[
SF_B = \frac{1}{\left( \frac{\text{num}_\text{Swap}_\text{Self}}{\text{num}_\text{Swap}_\text{Total}} \right)} \tag{5.3}
\]

\[SF_A\] proxies slowdown by comparing the fraction of requests served from M1 of the private region (uncontended behavior; in the numerator), and that of the shared regions (behavior under contention; in the denominator). The intuition is that due to the competition for M1, the fraction of requests served from M1 of the shared regions would decrease, compared to that in the private region, increasing the value of \(SF_A\) and thus proxying a greater slowdown.

\[SF_B\] indicates contention in terms of swaps in the shared regions, based on the intuition that the smaller the fraction of swaps where both blocks belong to the program, the higher the contention. In the private region, the fraction is always 1 (hence the numerator in (5.3)), and I do not count swaps there.

Note the similarity of each of (5.2) and (5.3) to (5.1), where the numerator represents the uncontended performance and the denominator represents the performance under contention. However, \(SF_A\) and \(SF_B\) cannot precisely estimate the actual slowdown of (5.1). I design them to proxy, each in its own way, the slowdown caused by the competition for M1 among co-running programs. In general, slowdown can be caused by different factors, but this chapter specifically tackles the competition for M1, since it is the major performance factor in hybrid memories (due to the large speed gap between M1 and M2). Thus, the limitation of the proposed \(SF_A\) and \(SF_B\) is that they would not be informative for programs whose actual slowdowns are primarily caused by other factors than the competition for M1. However, since this chapter addresses hybrid main memory management, such cases are outside of its scope.
Instead of estimating actual slowdowns, I propose to use $SF_A$ and $SF_B$ as indicators of which program suffers from the competition for M1 more than the other co-running programs. For that program, the competition can be reduced by allocating more M1 to it, at the cost of the other programs, by forcing respective swaps. In Section 5.2.3, I identify three cases that depend on the relative values of $SF_A$ and $SF_B$ of two programs participating in a swap, and propose a strategy to force migration decisions that would reduce the competition for M1 for the program that suffers the most from it.

I propose to monitor slowdowns periodically, independently for each core, by resetting the SEM counters (Table 5.3) at the beginning of a sampling period and computing the two slowdown factors at the end of the period. Since the private regions are very small, the counters of requests served from the private region are a source of noise in (5.2). (Since I do not count swaps in the private regions, I exclude swaps from this discussion.) For reliable estimates, sampling error should be small, requiring an appropriate choice of a sampling-period duration, denoted by $M_{samp}$ and measured in served requests. Ideally, $M_{samp}$ should be such that when a program runs alone, the mean $SF_A$ estimate across all sampling periods during execution is 1 with zero variance. The next section explains how to appropriately choose $M_{samp}$.

### Sampling Accuracy

Let us consider a simplified analytic model. Let $N$ denote the number of regions and $M$ the total number of memory accesses. For independent accesses, the probability of each access going to a region is $1/N$ for all regions. The distribution of the number of accesses per region after $M$ accesses is Multinomial (the problem is identical to rolling an $N$-sided die $M$ times), and the standard deviation is given by

$$\sigma = \sqrt{M \cdot \frac{1}{N} \left(1 - \frac{1}{N}\right)} = \sqrt{\frac{M(N-1)}{N}}. \quad (5.4)$$

For instance, for $N = 128$ regions and $M = 2^{17}$ accesses, the standard deviation is about 32 accesses per region, i.e., about $32/(M/N) = 32/1024 \approx 3\%$. Reducing $M$ to $2^{13}$ would yield a much larger standard deviation of 8 accesses per region, i.e., $8/(M/N) = 8/64 = 12.5\%$. Note that this model assumes uniform access distribution across the regions and is thus idealized, yielding the lowest possible standard deviation per $M_{samp}$. In a real system, the standard deviation would be greater due to non-uniformity of the access distribution.

Table 5.4 shows experimental estimates of sampling accuracy across all sampling periods throughout execution for $M_{samp}$ of 64K, 128K, and 256K served requests for selected single-threaded programs running alone. The setup is described in Section 5.3.
The programs from Section 5.3 not shown in Table 5.4 provide no additional insights. Columns 1-3 show the mean of $\bar{\sigma}_{num_{req}}$, which is the standard deviation of the number of requests per region during $M_{samp}$. For instance, increasing $M_{samp}$ from 64K to 256K accesses reduces the mean from 36% to 18% for bwaves and from 15% to 10% for omnetpp. Columns 4-6 and 7-9 show the standard deviation of raw ($\bar{\sigma}_{raw_{SF}}$) and averaged ($\bar{\sigma}_{avg_{SF}}$) $SF_A$ estimates, respectively. The raw estimates use the counter values in (5.2) as-is, while the averaged estimates use the counter values after simple exponential smoothing with a constant of 0.125. The means of the raw and averaged $SF_A$ estimates are about 1, and I do not show them for brevity. Table 5.4 shows that such averaging significantly reduces the standard deviation. For instance, GemsFDTD at 64K has $\bar{\sigma}_{raw_{SF}}$ of 20% and $\bar{\sigma}_{avg_{SF}}$ of just 4.7%; while at 128K has $\bar{\sigma}_{raw_{SF}}$ of 13% and $\bar{\sigma}_{avg_{SF}}$ of just 3.3%.

In general, non-uniformity of access distribution depends on the access pattern and allocation of physical page frames. I propose to choose $M_{samp}$ that gives small standard deviation according to (5.4) and to apply simple exponential smoothing to the SEM counters (Table 5.3). To avoid zeros, I increment by one each counter before adding it to the respective average.

Next, Section 5.2.2 presents the proposed probabilistic migration decision mechanism, that maximizes performance regardless of individual program slowdowns. Then, Section 5.2.3 explains how to use the estimated $SF_A$ and $SF_B$ for forcing migration decisions, such that the program that suffers the most from the competition for M1 obtains more M1.

---

**avg_val = (1 − $\alpha$) * avg_val_prev + $\alpha$ * val**, where avg_val is the new average value, $\alpha$ is the smoothing constant, avg_val_prev is the previous average value, and val is the new value to be averaged.
5.2.2 Migration Decision Mechanism

I propose a new approach to hybrid memory management: a probabilistic Migration Decision Mechanism (MDM). The proposed MDM makes migration decisions based on individual cost-benefit analysis for each pair of blocks in M1 and M2 considered for a swap. The cost is the overhead of the swap, estimated using the number of memory requests required to swap the blocks and the characteristics of M1 and M2. The benefit is estimated by statistically predicting the number of remaining accesses to the block in M2 and that to the block in M1, and then subtracting the latter from the former. A swap is performed only if the benefit is greater than the cost. To enable predictions, MDM keeps an accurate access counter per block and accumulates statistics about the numbers of accesses. Then, the predicted number of remaining accesses to a block is a probabilistically computed expected number of accesses to the block minus its current access count. To make this approach practical, MDM maintains accurate access counters only for actively accessed blocks. The following discussion presents two insights, on which MDM is based.

The first and key insight is that it is possible to statistically predict expected numbers of accesses to each block of each program separately. Blocks of each program can be distinguished by an attribute with a small number of values, such that statistics are collected per program per attribute value. Then, expected numbers of accesses can be predicted per program per attribute value.

The second insight is that the Swap-group Table Cache (STC in Figure 5.1) can function as a temporal filter to identify periods when blocks are actively accessed: while a block’s ST entry is resident in the STC, the block is likely being accessed. Then, a block’s temporal access pattern can be represented by the numbers of accesses to the block counted during its ST-entry residency in the STC.

Combining the two insights, I propose to define a block attribute as a quantized number of accesses to the block counted during the last residency of its ST entry in the STC. Based on a block’s attribute value, it is possible to predict an expected number of accesses to the block next time its ST entry gets cached in the STC.

In addition, by using the STC as a temporal filter, it is possible to limit the number of ST entries for which accurate state—such as one access counter per block—has to be maintained. Specifically, the number of such ST entries can be limited only to ST entries resident in the STC. This way, it is possible to keep accurate state inexpensively, which alleviates the stringent restrictions on the ST size, posed by the requirement to store it in M1.

\footnote{There is uncertainty since the ST entry might be resident in the STC because of accesses to other blocks in the same swap group.}
Thus, the conceptual difference of MDM from the existing schemes [26–29] is that it makes migration decisions based on predicted numbers of remaining accesses to each block. This way, in the proposed MDM, the probability of a promotion that clearly benefits performance is the highest at a first access to a block in M2. In other words, the probability is the highest when the block’s number of already served accesses is the smallest and, respectively, the number of remaining accesses is the greatest. Such timely and accurate promotions are less likely under the existing schemes, since they either consider promotions beneficial based on solely the number of already served accesses [27, 29] or promote all blocks after the first access [26, 28], regardless of the benefit, suffering from the performance problem of Section 5.1.5. As a result, compared to the existing schemes [26–29], the benefit of migrations performed by MDM is likely to be greater, improving overall performance. The rest of this section details MDM.

**ST Entry and STC Organization**

I propose to use one access counter per block (swap-group location) for ST entries resident in the STC. A swap group comprises nine physical locations, and its ST entry contains address-translation bits for each of them, as illustrated in Figure 5.4. The access counters belong to the STC and get reset to 0 at ST-entry insertion into the STC. The ST entry itself does not store the counter values, but rather their quantized values, that get updated at ST-entry eviction from the STC. Table 5.5 shows the Quantized Access-Counter (QAC)
values and the respective ranges used for quantization. ST entries are initialized with the default QAC value of 0. If a block’s access count is 0 at ST-entry eviction, the MC does not update the block’s QAC value.

**Prediction of Expected Number of Accesses**

Each block in a swap group is identified by its program ID (core ID) and QAC value. The following discussion is per core, and so I do not show the core ID.

Let us denote by \( q_I \) the QAC value at insertion of the swap group’s ST entry into the STC, by \( q_E \) that at eviction, by \( \text{num}_{q_I} \) the number of \( q_I \) values, and by \( \text{num}_{q_E} \) the number of valid \( q_E \) values. According to Table 5.5, \( \text{num}_{q_I} = 4 \). Since QAC values are updated only for blocks with non-zero access counts, \( q_E = 0 \) is invalid. Thus, \( \text{num}_{q_E} = \text{num}_{q_I} - 1 = 3 \).

Next, let us denote by \( \text{avg}_{cnt}(q_E) \) an average access count per \( q_E \), by \( P(q_E \mid q_I) \) the probability of \( q_I \) transitioning to \( q_E \), and a set of MDM counters as shown in Table 5.6. Then, for a block with \( q_I \) I propose to estimate an expected number of accesses \( \text{exp}_{cnt}(q_I) \) by

\[
\text{exp}_{cnt}(q_I) = \sum_{q_E=1}^{\text{num}_{q_E}} \text{avg}_{cnt}(q_E) \cdot P(q_E \mid q_I),
\]

(5.5)

where

\[
\text{avg}_{cnt}(q_E) = \frac{\text{accum}_{cnt}(q_E)}{\text{num}_{q\_sum I}(q_E)},
\]

(5.6)

and

\[
P(q_E \mid q_I) = \frac{\text{num}_{q(q_I, q_E)} + 1}{\text{num}_{q\_sum E}(q_I) + \text{num}_{q_E}}.
\]

(5.7)
Table 5.6 describes the counters in (5.6) and (5.7). In (5.7), the constants of 1 in the numerator and \( q_{E} = 3 \) in the denominator implement Laplace smoothing.

The MC updates the MDM counters at each ST-entry eviction for each block with a non-zero access count. However, the MC updates \( \text{avg}_{cnt}(q_{E}) \) and \( P(q_{E} | q_{I}) \) periodically, in phases, where an observation phase (no updates) is followed by an estimation phase (updates at equal intervals). Section 5.3 discusses the periodicity of phases and updates. Note that the updates are not on the critical path.

Per core the MC needs \( q_{E} \times 2 = 6 \) counters to compute \( \text{avg}_{cnt}(q_{E}) \) and \( q_{I} \times q_{E} + q_{I} = 4 \times 3 + 4 = 16 \) counters to compute \( P(q_{E} | q_{I}) \), totaling 22 counters. Updates of \( \text{avg}_{cnt}(q_{E}) \) and \( P(q_{E} | q_{I}) \) trigger updates of \( \text{exp}_{cnt}(q_{I}) \), and the MC registers each value between updates. Thus, per core the MC needs \( q_{E} + q_{I} \times q_{E} + q_{I} = 3 + 4 \times 3 + 4 = 16 \) registers.

### Migration Decisions

Upon an access to a block the MC increments its access counter in the STC. If the block is in M1, no migration is needed. If the block is in M2, the MC assesses the benefit of promoting the block by performing a cost-benefit analysis (not on the critical path), as follows. First, the MC estimates the number of remaining accesses to the block by

\[
\text{rem}_{cnt}M_{2} = \text{exp}_{cnt}(q_{I}) - \text{curr}_{cnt},
\]  

(5.8)

where \( \text{exp}_{cnt}(q_{I}) \) is an expected number of accesses to the block precomputed according to (5.5) given the block’s \( q_{I} \) (the QAC value at insertion of its ST entry into the STC), and \( \text{curr}_{cnt} \) is the block’s current access-counter value. Then, the top-level condition is

\[
\text{rem}_{cnt}M_{2} \geq \min_{benefit},
\]

where \( \min_{benefit} \) is the least number of remaining accesses that justifies a promotion (\( \min_{benefit} \) depends on memory-technology characteristics; Section 5.3.1 discusses how to compute it). If the condition is false, there is no benefit to promote the block. Otherwise, the MC schedules a promotion if: a) M1 is vacant (not an expected case); or b) M1 is occupied, but has not been accessed (the respective access counter is 0), and some other block in M2 of the swap group has been accessed (which hints the MC that the block in M1 is not going to be accessed soon); or c) M1 is occupied, the respective access counter is not zero, and c.i) \( \text{rem}_{cnt}M_{1} \leq 0 \); or c.ii) \( \text{rem}_{cnt}M_{1} > 0 \) and

\[
\text{rem}_{cnt}M_{2} - \text{rem}_{cnt}M_{1} \geq \min_{benefit},
\]

where \( \text{rem}_{cnt}M_{1} \) is the number of remaining accesses to the block in M1 (predicted using (5.8) just like for the block in M2). If the condition is false, the swap has no benefit.
Table 5.7: Migration Decisions Guided by SEM

<table>
<thead>
<tr>
<th>Case</th>
<th>Decision</th>
<th>Table 5.7 Conditions</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Consider M1 vacant and use MDM</td>
<td>( SF_A(c_{M1}) &lt; SF_A(c_{M2}) ) and ( SF_B(c_{M1}) &lt; SF_B(c_{M2}) )</td>
</tr>
<tr>
<td>2</td>
<td>Do not swap</td>
<td>( SF_A(c_{M1}) &gt; SF_A(c_{M2}) ) and ( SF_B(c_{M1}) &gt; SF_B(c_{M2}) )</td>
</tr>
<tr>
<td>3</td>
<td>Do not swap</td>
<td>( SF_A(c_{M1}) &lt; SF_A(c_{M2}) ) and ( SF_B(c_{M1}) &gt; SF_B(c_{M2}) ) and ( SF_A(c_{M1}) \cdot SF_B(c_{M1}) &gt; SF_A(c_{M2}) \cdot SF_B(c_{M2}) )</td>
</tr>
</tbody>
</table>

Default (all other cases): use MDM

Since MDM makes migration decisions based on a number of remaining accesses to each block, the probability of a promotion that clearly benefits performance is the highest at a first access to a block in M2 (an access that increments the block’s access counter from 0 to 1), i.e., when the number of remaining accesses to the block is the greatest. Thus, the key net difference of MDM from the existing schemes [26–29] is that it predicts remaining accesses and thereby enables individual cost-benefit analysis for each pair of blocks.

5.2.3 Integration of SEM and MDM

MDM strives to maximize system performance ignoring slowdowns of individual programs, which may lead to low fairness. Within ProFess, I propose to steer MDM towards high fairness by using SEM as follows.

Upon an access to a block in M2, the core ID of the accessing program is known; let us denote it \( c_{M2} \). Let us denote \( c_{M1} \) the core ID of the program whose block is resident in the M1 location of the same swap group (the MC permanently stores \( c_{M1} \) in the ST entry and updates it upon migration).

If \( c_{M1} \) equals \( c_{M2} \), the MC just uses MDM (Section 5.2.2) to decide whether to swap the blocks. Otherwise, I propose to guide decisions according to Table 5.7, where \( SF_A(c_{M1}) \) and \( SF_A(c_{M2}) \) are precomputed by (5.2) for \( c_{M1} \) and \( c_{M2} \), respectively, and \( SF_B(c_{M1}) \) and \( SF_B(c_{M2}) \) are precomputed by (5.3).

Case 1 in Table 5.7 indicates that \( c_{M2} \) suffers from competition for M1 more than \( c_{M1} \) (both slowdown factors support that). I propose an aggressive help strategy that forces swaps as if the core that needs help was running alone. Thus, in Case 1 the
MC ignores the remaining accesses to the block of \(c_{M1}\) and uses MDM as if M1 is vacant (Section 5.2.2).

Case 2 in Table 5.7 represents the opposite case, where \(c_{M1}\) suffers from the competition for M1 more than \(c_{M2}\). Thus, according to my aggressive help strategy, the MC protects the block of \(c_{M1}\) from being swapped out by the block of \(c_{M2}\).

Case 3 in Table 5.7 is special: its first condition indicates that \(c_{M2}\) suffers from the competition for M1 more than \(c_{M1}\) according to \(SF_A\), while its second condition indicates the opposite according to \(SF_B\). I find that to attain high fairness in such cases, it is important to avoid disproportionately large \(SF_B(c_{M1})\) by protecting the block of \(c_{M1}\) from being swapped out, as long as the product of \(SF_A\) and \(SF_B\) indicates that \(c_{M1}\) suffers from the competition for M1 more than \(c_{M2}\). In other words, the third condition of Case 3 can be rewritten as \(SF_B(c_{M1}) / SF_B(c_{M2}) > SF_A(c_{M2}) / SF_A(c_{M1})\), requiring that \(SF_B(c_{M1})\) must be greater than \(SF_B(c_{M2})\) to a greater degree than \(SF_A(c_{M2})\) is greater than \(SF_A(c_{M1})\).

To exclude cases where the slowdown factors being compared are too similar, I propose to use a small threshold in each condition in Table 5.7. For instance, the first condition of Case 1 becomes \(SF_A(c_{M1}) \cdot 1.03 < SF_A(c_{M2})\), using a threshold of 3% (1/32, to simplify hardware). Since the third condition of Case 3 compares products of slowdown factors, I propose to use a twice larger threshold there (i.e., 1/16 ≈ 6%). If none of the three cases in Table 5.7 is true, the MC just uses MDM as per Section 5.2.2. Recall that migration decisions are not on the critical path.

5.3 Experimental Setup

5.3.1 System Configuration

I use a Pin-based [101] cycle-accurate x86 simulator [102] with a detailed main memory simulator [103], which I modify to support hybrid memory. Table 5.8 summarizes the system configuration. For multi-program evaluation, I simulate a quad-core system with two memory channels, each of which has one M1 rank and one M2 rank. For simulation, I scale the total capacity of M1 down to 256MB, and the capacity of M2 is \(8 \times 256MB = 2GB\), equivalent to eight times more rows per bank. For single-program evaluation I simulate a single-core system with one memory channel, and I respectively scale down the capacities of the L3 cache, the STC, M1, and M2 (the total main-memory capacity in the single-core system is 64MB M1 and \(8 \times 64MB = 512MB\) M2). I change the number of sets when I change a cache size, and use CACTI [104] to obtain the cache latencies.
5.3. EXPERIMENTAL SETUP

Table 5.8: System Configuration

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Num. cores</td>
<td>4</td>
</tr>
<tr>
<td>Core frequency</td>
<td>3.2GHz</td>
</tr>
<tr>
<td>Core width</td>
<td>4</td>
</tr>
<tr>
<td>ROB size</td>
<td>256</td>
</tr>
<tr>
<td>Cache line size</td>
<td>64B</td>
</tr>
<tr>
<td>Split L1 cache</td>
<td>32-KB, 4-way, 2-cycle</td>
</tr>
<tr>
<td>Private L2 cache</td>
<td>256-KB, 8-way, 8-cycle</td>
</tr>
<tr>
<td>Shared L3 cache</td>
<td>8-MB, 16-way, 20-cycle</td>
</tr>
<tr>
<td>OS page size</td>
<td>4KB</td>
</tr>
<tr>
<td>Swap block size</td>
<td>2KB</td>
</tr>
<tr>
<td>ST entry size</td>
<td>8B</td>
</tr>
<tr>
<td>STC</td>
<td>64-KB, 8-way, 2-cycle</td>
</tr>
<tr>
<td>Num. memory channels</td>
<td>2</td>
</tr>
<tr>
<td>Channel frequency</td>
<td>0.8GHz (1.6GHz DDR)</td>
</tr>
<tr>
<td>Channel width</td>
<td>64b</td>
</tr>
<tr>
<td>M1 / M2 ranks per channel</td>
<td>1 / 1</td>
</tr>
<tr>
<td>Banks per rank</td>
<td>16</td>
</tr>
<tr>
<td>Rows per M1 / M2 bank</td>
<td>1K / 8K</td>
</tr>
<tr>
<td>Columns per device</td>
<td>1K</td>
</tr>
<tr>
<td>Device width</td>
<td>4b</td>
</tr>
<tr>
<td>M1 / M2 row-buffer size</td>
<td>8KB / 8KB</td>
</tr>
<tr>
<td>$t_{RCD,M1}$ / $t_{RCD,M2}$</td>
<td>13.75ns / 137.50ns</td>
</tr>
<tr>
<td>$t_{WR,M1}$ / $t_{WR,M2}$</td>
<td>15ns / 275ns</td>
</tr>
<tr>
<td>$C_L$, $t_{RP}$</td>
<td>13.75ns</td>
</tr>
</tbody>
</table>

The row-to-column delay of M2, $t_{RCD,M2}$, is ten times that of M1. SCMs typically have highly asymmetric latencies [8, 105], thus I assume a write-recovery latency $t_{WR,M2} = 2 \times t_{RCD,M2}$. The other timings of M1 and M2 are assumed identical, except that I appropriately adjust $t_{RAS}$ and $t_{RC}$ of M2 and that M2 has no refresh.

The MC employs the open-page policy and FRFCFS-Cap [106], limiting the number of consecutive row-buffer hits to four. I modify the scheduler to not cap row-buffer hits during swaps. Note that I accurately model swaps by issuing the read and write requests required to migrate data and by blocking the respective channel during a swap.

I implement random virtual-to-physical OS page mapping, where the OS maps pages first to M1 and then to M2 (after M1 is full). For ProFess I implement the OS support to distinguish private and shared regions.

I use 8-B ST entries, which implies that an ST-entry writeback to M1 would require a data mask, that is not supported in contemporary x4 memory devices [42] used in large-capacity modules. Thus, I implement a read-modify-write at the burst granularity for ST writebacks.
Each read request to the ST in M1 returns a burst of eight ST entries. Like the authors of PoM [27], I prefetch from each burst an ST entry corresponding to the second half of the OS page. For instance, upon a miss in the STC caused by an access to Swap Group 0, a read burst from M1 returns ST entries for Swap Groups 0 to 7. Due to spatial locality within the OS page, the second half of the page will likely be accessed, too. Thus, I prefetch the ST entry for Swap Group 1 together with the requested ST entry for Swap Group 0.

PoM

I configure PoM using its default parameter values: 32 regions of which four evaluate global thresholds of 1, 6, 18, and 48 accesses every 10K L3 misses [27]. However, due to the characteristics of M1 and M2, for best performance I count each write request as eight accesses, and adjust the value of PoM’s parameter $K$ using the following method [27].

One migration first reads a 2-KB block from M1 into swap buffer SB1 (Figure 5.1) and a 2-KB block from M2 into swap buffer SB2. Then it writes the blocks to M2 and M1, respectively. The read latencies ($t_{RP} + t_{RCD} + CL + 32 \times 4 \times 1.25ns$) partially overlap ($t_{RCD,M2}$ overlaps with $t_{RCD,M1}$, $CL$, and the majority of the 32 read bursts from M1). The write latency to M1 overlaps with $t_{WR,M2}$ ($32 \times 4 \times 1.25ns + t_{WR,M1} < t_{WR,M2}$), given that the 32 write bursts to M2 are issued before those to M1. Hence, a total analytic swap latency is 796.25ns. I observe that the actual swap latency during my experiments is about 820ns on average, which is within 3% of this analytic estimate. The difference in 64-B read latencies of M2 and M1 is 123.75ns, which gives $K = \lceil 796.25/123.75 \rceil = 7$. Like the authors of PoM, I choose a slightly larger value, giving us $K = 8$. During execution the above latencies vary, but I observe that static $K = 8$ works well.

MemPod

I find that in this system MemPod performs best using the default 50-$\mu$s MEA intervals [29], counting each write request as one access, and using 128 MEA counters instead of the default 64.

Profess

Each Profess ST entry stores $4 \times 9 = 36$ address-translation bits, $2 \times 9 = 18$ QAC bits, and two program ID bits to keep track of the program whose block resides in the M1 location of the swap group, totaling 7B. I reserve another byte for future use (e.g., to store a wider program ID). The $\text{min\_benefit}$ value (Section 5.2.2) has the same meaning as PoM’s parameter $K$, and I use the adjusted $\text{min\_benefit} = K = 8$. Like for PoM, I count each write request as eight accesses.
SEM employs 128 regions (such that four private regions are just $4/128 \approx 3\%$ of the total capacity) and a sampling-period duration ($M_{samp}$) of 128K served requests (across the regions, per core). MDM uses 6-bit saturating STC access counters (Figure 5.4). The MDM observation and estimation phases are measured in updates of the MDM counters (Table 5.6), and the duration of each phase is 1K updates per core. The counters are reset at the beginning of each observation phase. During each estimation phase, the MC recomputes $exp_{cnt}(q_I)$ using (5.5) every 100 updates per core. I choose such periodicity to obtain timely and reliable statistics.

### 5.3.2 Workloads

I use SPEC CPU2006 programs [73] (Table 5.9) to compose diverse multiprogrammed workloads (Table 5.10). The programs have various access patterns; for instance, mcf,
omnetpp, and libquantum use irregular pointer-based data structures, and soplæx has mixed regular and irregular accesses [107]. I use 500M-instruction simulation points [75] with the reference input per program. Table 5.9 shows the respective L3 MPKI and footprints.

In each workload, I repeat programs that complete faster than the slowest one, ensuring competition for M1 throughout execution. The total simulated execution time depends on the workload, ranging for the baseline from about 3B cycles (w15) to about 9B cycles (w09) and averaging about 6.5B cycles across all workloads. Long simulations with multiple repetitions produce diverse overlaps of execution phases.

5.3.3 Figures of Merit

I estimate weighted speedup, fairness [61], and memory-system energy efficiency. Weighted speedup is given by \( \sum_i \left( sdn_i^{-1} \right) \), where \( sdn \) is given by (5.1) for each program \( i \) in the workload, and fairness is given by \( \max_i (sdn_i) \). Memory-system energy efficiency is estimated by the number of served requests per second per watt, using power reported by the simulator [103]. Energy efficiency is more appropriate than execution energy, because the same workload might complete different amounts of work under different schemes (due to repeating programs that complete faster than the slowest one).

5.4 Experimental Results

This section first presents performance results for the proposed MDM in single-program experiments (Section 5.4.1), followed by a sensitivity analysis (Section 5.4.2). Sections 5.4.3 and 5.4.4, respectively, present results for MDM and ProFess (MDM + SEM) in multi-program experiments.

5.4.1 Single-Program Performance of MDM

Figure 5.5 shows the performance of MDM normalized to that of PoM for the programs from Table 5.9 in the single-core system. The results across the programs are summarized by a box plot [62], where the box shows the first and third quartiles, the whiskers show the data range, the individual “+” markers denote outliers, the red line denotes the median, and the red dot denotes the geometric mean.

I use the PoM migration algorithm as the baseline, since I find that the recently published MemPod migration algorithm [29] underperforms by 6% on average compared to PoM in this system, outperforming it only for lbm (by 25%) and zeusmp (by 4%) for the best MemPod configuration I could find. As I discuss in Section 5.1.5, PoM adapts
5.4. EXPERIMENTAL RESULTS

better than MemPod to the characteristics of M1 and M2. For brevity, I do not discuss MemPod further.

Figure 5.5 shows that MDM outperforms PoM by 14% on average and up to 38% (lbm). I omit showing libquantum since its footprint is just 32MB (Table 5.9) and fits entirely in M1, resulting in identical performance of MDM and PoM. However, I find that in an appropriately scaled system—with 4-MB M1 and 32-MB M2—MDM outperforms PoM for libquantum by 30%. The significant performance improvements confirm that MDM makes better migration decisions than PoM thanks to its individual cost-benefit analysis based on predicted numbers of accesses. In addition, I find that MDM reduces the average read-request latency by 18%.

Figure 5.6 shows the fractions of accesses served from M1 by MDM normalized to those served by PoM. Higher fractions in Figure 5.6 correspond to higher performance in
Figure 5.5 for all programs except mcf and omnetpp. To explain this, let us consider the programs’ STC hit rates under MDM (Figure 5.7).

Figure 5.7 shows that mcf has an STC hit rate of about 85%, which confirms that it has irregular accesses. Swaps of such blocks would hurt performance. I find that MDM identifies such blocks better than PoM and performs fewer swaps. This explains why MDM serves fewer accesses from M1 in Figure 5.6 but improves performance in Figure 5.5.

Next, Figure 5.7 shows that omnetpp has an STC hit rate of just 70%, reflecting its very irregular accesses. However, Figure 5.6 shows that MDM serves slightly more (by about 2.5%) accesses from M1. I find that the low STC hit rate reduces the accuracy of the MDM statistics, that misleads MDM, and it performs more swaps than PoM, which is unnecessary for omnetpp. This explains the insignificantly lower (by about 1.5%) performance of MDM for omnetpp in Figure 5.5.

Overall, performance improvements depend on multiple factors such as the amount of access irregularity, the ratio of a program’s footprint to the total M1 capacity, and the amount of noise in the MDM statistics. The next section presents a sensitivity analysis of MDM to selected factors.

5.4.2 Sensitivity Analysis of MDM

Sensitivity to STC Size

MDM relies on the STC as a temporal filter for collecting statistics about data blocks. Premature ST-entry evictions from the STC due to conflicts or a lack of evictions due to no conflicts both add noise to the statistics, potentially hurting the accuracy of cost-benefit analysis. For instance, premature evictions would reduce \( \text{avg}\_cnt(q_E) \) and the probabilities of \( q_I \) transitioning to \( q_E > q_I \), ultimately reducing expected numbers of accesses \( \text{exp}\_cnt(q_I) \) (Section 5.2.2). A lack of evictions would reduce the number of MDM counters’ updates (Table 5.6), may lead to relatively large negative numbers of estimated remaining accesses, and thus mislead MDM.

Figure 5.8 shows IPCs of MDM with 16-KB and 64-KB STCs normalized to the 32-KB STC (the default STC size in the single-core system). Figure 5.8 shows that the programs are generally insensitive to STC size with a few exceptions.

First, Figure 5.8 shows that mcf loses about 8% IPC when the STC is reduced to 16KB. Figure 5.9 shows the respective STC hit rates, where mcf suffers the greatest drop: from 85% down to 75%. The low STC hit rate increases the number of premature ST-entry evictions, adding noise to the MDM statistics and thus making it more difficult for MDM to make promotions that benefit performance. Similarly to mcf, omnetpp in Figure 5.8 loses some performance when the STC size is reduced. Like mcf, omnetpp
5.4. EXPERIMENTAL RESULTS

Figure 5.8: Performance sensitivity to STC size (normalized to 32KB)

Figure 5.9: Sensitivity of STC hit rates to STC size

suffers a significant (about 8%) STC hit-rate drop in Figure 5.9, which adds noise to its MDM statistics. However, with the reasonably sized STC of 32KB, MDM performs well.

Next, Figure 5.8 shows that a larger STC does not necessarily improve performance. For instance, omnetpp and soplex lose about 2% IPC when the STC size is increased to 64KB. The larger STC increases the STC hit rates in Figure 5.9, which reduces the number of ST-entry evictions, misleading MDM for omnetpp and soplex. For instance, I find that by forcing MDM counters’ updates every 10M processor cycles after an ST-entry insertion into the 64-KB STC, I would increase the IPC of omnetpp by 1% and that of soplex by 3%. However, with the default STC size of 32KB, MDM performs well.

Sensitivity to M2 Write Latency

Doubling $t_{WR,M2}$ increases the performance improvement of MDM compared to PoM, making it 18% on average and up to 61% (lbm). I find that MDM significantly reduces the fraction of writes to M2 in programs where this fraction is above 1%, or it significantly reduces the fraction of swaps (among the total number of served requests). For the same reason, halving $t_{WR,M2}$ (making it equal $t_{RCD,M2}$) reduces the performance improvement of MDM compared to PoM, making it 12% on average and up to 27% (lbm). For brevity, I do not show these plots.

5.4.3 Multi-Program Evaluation of MDM

Figure 5.10 shows the maximum slowdown of MDM normalized to that of PoM for the multiprogrammed workloads (Table 5.10) in the scaled system with 256MB M1 and
2GB M2. Figure 5.10 shows that MDM reduces the maximum slowdown—improves fairness—by 6% on average and up to 19% (workload \(w_{12}\)). This is solely because MDM speeds the programs in each workload. Figure 5.11 shows the respective system performance, where MDM outperforms PoM by 7% on average and up to 16% \((w_{12})\). In addition, I find that MDM reduces the average read-request latency by 15%.

Since performance is estimated as weighted speedup, it is possible to improve both performance and fairness. For instance, for \(w_{19}\) MDM improves fairness by 11% (Figure 5.10), at the same time improving performance by 12% (Figure 5.11). However, for workloads \(w_{04}, w_{05}, w_{10}, w_{15}\), and \(w_{18}\) MDM is less fair than PoM. This is not unexpected since MDM ignores individual program slowdowns, just like PoM does.

Figure 5.12 shows that MDM improves memory-system energy efficiency compared to PoM by 7% on average and up to 26% \((w_{18})\). The energy efficiency for \(w_{04}\) is lower.
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5.4.4 Multi-Program Evaluation of ProFess

Figures 5.13, 5.14, and 5.15 show respectively fairness, performance, and energy efficiency of ProFess normalized to PoM. Figure 5.13 shows that ProFess improves fairness compared to PoM by 15% on average and up to 29% ($w_{12}$), eliminating the fairness by 6%, which reflects its lower fairness in Figure 5.10 and no performance improvement in Figure 5.11. But for workloads like $w_3$ a significant energy-efficiency improvement corresponds to significant fairness and performance improvements.

Overall, MDM improves performance but still suffers from fairness issues for some workloads. The next section presents how ProFess addresses them by integrating MDM and SEM.
issues of MDM in Figure 5.10. Interestingly, for \( w_{17} \) ProFess does not find an opportunity to improve fairness (the max slowdown is exactly the same as that of PoM). At the same time, Figure 5.14 shows that ProFess outperforms PoM by 12% on average and up to 29% (\( w_{19} \)), and Figure 5.15 shows that it improves memory-system energy efficiency by 11% on average and up to 30% (\( w_{19} \)).

In addition, I find that ProFess reduces the average read-request latency by 9%, which is less than the average system-level performance improvement of 12%. This is so because ProFess significantly slows some cores (according to Section 5.2.3) to improve system fairness, and the increased read-request latencies of those cores increase the average latency.

Another interesting observation is that ProFess reduces the fraction of swaps (among the total number of served requests) by 24% on average and up to 54% (\( w_{19} \)). The proposed aggressive help policy (Section 5.2.3) protects blocks that satisfy respective conditions (Table 5.7) from being swapped out from M1, thereby significantly reducing the number of swaps.

Next, I observe that there is no single relationship between fairness, performance, and energy efficiency. For instance, for \( w_{04} \) ProFess improves all three metrics, but for \( w_{11} \) the 20% fairness improvement in Figure 5.13 and the 11% performance improvement in Figure 5.14 correspond to a 3% lower energy efficiency in Figure 5.15.

Figure 5.16 shows slowdowns for the same workloads as in Figure 5.2 for each of the schemes. Unlike Figures 5.10 and 5.13, that show only the max slowdown per workload, Figure 5.16 presents individual program slowdowns, where the max slowdown is the tallest bar in each workload.

Figure 5.16 shows that MDM can reduce the max slowdown solely by speeding programs (e.g., \texttt{soplex} in \( w_{09} \)). ProFess further improves fairness by aggressively helping programs with high slowdowns by penalizing programs with lower slowdowns (e.g., in \( w_{09} \) ProFess slows \texttt{lbm} and \texttt{GemsFDTD} to speed \texttt{mcf} and \texttt{soplex}). Workload \( w_{16} \) is
special, since ProFess finds no opportunity to improve fairness beyond that of MDM, achieved solely by maximizing system performance.

Overall, I observe that a lower max slowdown can correspond to higher performance, since in a workload there is no equivalence between one program’s performance increase and another program’s performance decrease. For instance, in \( w19 \) in Figure 5.16 ProFess increases the slowdown of \textit{milc} by only about 2\% compared to MDM, but at the same time reduces the slowdown of \textit{omnetpp} by 22\%.

5.5 Related Work

**Shared Resource Management** The tandem of a utility/fairness monitor guiding shared-resource management towards high performance/fairness has been extensively studied in the contexts of shared SRAM caches [71, 108–110] and conventional main memories [94]. In this chapter I study a flat, migrating hybrid memory organization, where the shared resource of interest—M1—is not a cache, and for practical reasons the address-translation entries (along with respective per-block metadata required for fair management) are stored in M1. Therefore, this chapter tackles the problem of fair and high-performance management of a different memory organization, under different assumptions than the prior work, which makes the techniques of the prior work not applicable.

**Slowdown Monitoring** Subramanian et al. [99, 111] use request service rates to proxy individual program slowdowns in multiprogrammed workloads. The authors propose to use the memory-request scheduler to prioritize a program for short periods of time to remove the memory-channel contention and thereby measure the program’s standalone request service rate, which is then compared to the service rate under contention (when none of the programs is prioritized). Unlike prior work, this chapter addresses fairness in hybrid memories and proposes to: 1) divide memory into private and shared regions and 2) proxy slowdown by two factors, computed using a) the fractions of requests served from M1 of the private and shared regions and b) the fraction of swaps where both blocks belong to the same program (among all swaps that move the program’s data) in the shared regions. By comparing the slowdown factors of two programs, I can identify the program that suffers the most from the competition for M1. The proposed SEM can be integrated with other migration algorithms instead of MDM. To the best of my knowledge, this is the first proposal of slowdown monitoring in hybrid memories.

**Migration Algorithms** Swap decisions have been conventionally based on the number of \textit{already served} accesses, simplifying individual cost-benefit analysis to a
heuristic [24, 26–29]. For instance, RaPP [24] uses a version of the Multi-Queue algorithm [112] that ranks blocks by frequency and recency of accesses. When a block with the highest rank reaches a global threshold of 32 accesses, RaPP promotes the block. Section 5.1.5 discusses the use of global thresholds by the CAMEO [26], PoM [27], and SILC-FM [28] algorithms. The MemPod algorithm [29], based on the majority element algorithm [100], tracks frequency and recency of accesses, does not use global thresholds, but suffers from a lack of cost-benefit analysis.

Unlike the prior work, I propose a conceptually new approach, where migration decisions are based on statistically predicted numbers of remaining accesses to each block. This eliminates global thresholds, enables individual cost-benefit analysis for each pair of blocks, and makes the probability of promotions that clearly benefit performance the highest at a first access to a block in M2, i.e., when the number of remaining accesses to the block is the greatest. The proposed MDM can be employed in flat, migrating hybrid memories with different M1-M2 address mappings. To the best of my knowledge, this is the first proposal of such probabilistic hybrid memory management.

5.6 Summary

Flat, migrating hybrid memory organizations provide a cost-effective solution for large-capacity main memories. Fair and at the same time high-performance management of such memories is an important challenge. This chapter presents ProFess, a probabilistic framework for hybrid memory management comprising: 1) a slowdown estimation mechanism, that dynamically monitors individual program slowdowns in multiprogrammed workloads via two proposed slowdown-proxy factors and 2) a probabilistic migration decision mechanism, that statistically predicts the number of expected accesses to each block and performs individual cost-benefit analysis for each pair of blocks considered for a swap. This chapter shows that ProFess improves system fairness by 15% on average and up to 29% compared to the state-of-the-art, while outperforming it by 12% on average and up to 29%.
The demand for larger local (per-socket) main memories continuously grows, driven by domains like high-performance computing, databases, and big data. Emerging SCM technologies revolutionize main-memory design by enabling hybrid main memories, that promise to, ideally, deliver the speed of DRAM combined with the density and cost-per-bit of SCM. The thesis at hand identifies three problems on the way to future main memories, both DRAM-only and hybrid, that are large-capacity, cost-effective, and practical.

First, despite that parallel memory protocols are key to realizing large off-chip memories, the maximum capacity addressable by such protocols is limited by: i) the number of existing address pins, and ii) the state-of-the-art addressing technique, that transfers an entire row address in one part. Transferring wider row addresses in multiple parts would hurt performance. This poses a problem of using the existing pins economically to address larger capacities of future memories in a cost-effective way and with minimum performance losses.

Second, SCM technologies introduce a number of tradeoffs into the main-memory design space, increasing its number of dimensions and size. System architects face new questions like: i) how to partition the main memory area between DRAM and SCM, ii) how to allocate the memory capacity among different programs, and iii) how to place
data of different programs within the allocated capacities. Detailed exploration of such
design spaces solely via simulation or prototyping is inefficient, making it possible that
the best design points are identified late. This poses a problem of exploring design
tradeoffs quickly and correctly, such that the most promising design points are timely
identified for subsequent detailed evaluation.

Third, in hybrid main memories, DRAM—compared to SCM—is the limited resource.
Naive DRAM allocation among co-running programs in multiprogrammed workloads
leads to unfairness and low system-level performance. If DRAM allocation ignores
individual program slowdowns, a program might fail to obtain enough DRAM for its
needs, and, as a result, would experience an excessive slowdown, reducing the system
fairness. Likewise, DRAM allocation that ignores individual cost-benefit analysis, for
each pair of data blocks competing for DRAM, would hurt the system performance.
Involving the OS into hybrid memory management would introduce long overheads,
reducing the benefits of hybrid memory. This poses a problem of hybrid main memory
management that is fair, high-performance, and at the same time practical in how it
monitors individual program slowdowns and implements individual cost-benefit analysis.

6.1 Thesis Contributions

To tackle the first problem stated in this thesis, Chapter 2 contributes adaptive row
addressing as a general approach to close the performance and energy-efficiency gaps
between parallel memory protocols that transfer row addresses in multiple CA-bus cycles
and an idealistic protocol that has many enough pins to transfer row addresses in one
CA-bus cycle. Adaptive row addressing combines three techniques, where the first one is
row-address caching, that exploits row-address locality by caching the most-significant
row-address bits, to reduce the number of cycles per row-address transfer. I propose
2-way row-address caches with a custom organization, and show that they perform nearly
as well as fully-associative row-address caches.

The second technique is the proposed row-address prefetching, that alleviates the
performance penalty of address-cache misses. Row-address prefetching is simple to
integrate with state-of-the-art memory schedulers, and I show that its benefit exceeds the
benefit of doubling the address-cache size.

The third technique is the proposed adaptive row-access priority policy, that eliminates
the negative effect of row-address caching on the request-service order produced by the
conventional first-ready policy [39, 40]. The adaptive row-access priority policy can
simply replace the first-ready policy in the state-of-the-art memory-request schedulers, and
I show that it cooperates with row-address prefetching to achieve the best performance.
6.1. **THESIS CONTRIBUTIONS**

Using the idealistic protocol and a high-speed, cost-effective protocol that is based on DDR4 [35] but transfers each row address in two CA-bus cycles, Chapter 2 shows that in large-capacity, low-latency main memories, the combined three techniques of adaptive row addressing robustly close the performance, energy-efficiency, and fairness gaps between the protocols.

To address the second problem stated in this thesis, Chapter 3 contributes Crystal, an analytic method for design-time resource partitioning of hybrid main memories. Crystal helps system architects to quickly identify the most promising combinations of SCM technologies and hybrid memory area partitionings between DRAM and SCM for subsequent detailed evaluation.

Chapter 3 shows how, for a practical partitioning goal and specific workloads, Crystal reveals that hybrid configurations employing an SCM with the speed and energy consumption of NAND Flash can offer more than 7x higher performance and energy efficiency than equal-area hybrid configurations employing a much faster and more energy-efficient SCM technology like PCM.

Next, Chapter 3 makes an observation that simple models and coarse parameter estimates are sufficient for design-time hybrid memory area partitioning. For a given workload and SCM technology, the best partitioning is robust to variations of system component characteristics, which makes Crystal applicable early in the design process, when accurate numbers are not yet available.

Finally, Chapter 3 shows that for the current state of DRAM, SCM, and disk technologies, execution time can be used for hybrid memory area partitioning, even if the actual target metric is execution energy. This is so because both metrics follow the same trend, and minimizing execution time minimizes execution energy. This further speeds partitioning, since the model for execution time is simpler than that for energy.

To further address the problem of quick and correct exploration of hybrid-memory design tradeoffs, Chapter 4 contributes Rock, a generalized framework for pruning the design space of hybrid main memory systems. Rock is the first framework to recognize and mutually consider such important design dimensions as: 1) the total hybrid-memory area, 2) area partitioning between DRAM and SCM, 3) allocation of the DRAM and SCM capacities among co-running programs, and 4) data placement within the allocated capacities. To facilitate design-space pruning, Chapter 4 systematizes the hybrid-memory design dimensions.

Rock helps system architects to quickly infer important design-space trends, that can be used for design-space pruning. For instance, Rock makes it easy to reveal insensitivity to a specific design dimension in the context of the other dimensions, significantly simplifying the design space. Chapter 4 demonstrates Rock by applying it to two design
spaces, formed by carefully selected example workloads and a scaled memory system, which Rock prunes down to just a few design points.

To address the third problem stated in this thesis, Chapter 5 contributes ProFess, a probabilistic framework for fair and high-performance hybrid memory management. The first key component of ProFess is the proposed hardware-based slowdown estimation mechanism, that implements a new approach to dynamic estimation of individual program slowdowns, based on monitoring program behavior—the numbers of served requests and swaps—in the proposed private and shared regions of hybrid memory.

The second key component of ProFess is the proposed hardware-based probabilistic migration decision mechanism, that implements a conceptually new approach to making migration decisions, based on statistic predictions of the numbers of accesses to each block, and performs individual cost-benefit analysis for each pair of blocks considered for a swap. ProFess combines the two proposed mechanisms into a framework, where the slowdown estimation mechanism steers the migration decision mechanism towards high fairness, according to the proposed help strategy.

Chapter 5 shows that, for the multiprogrammed workloads evaluated, ProFess improves fairness by 15% on average and up to 29% compared to the best-performing state-of-the-art [27]. At the same time, ProFess outperforms it by 12% on average and up to 29%. In addition, ProFess improves memory-system energy efficiency by 11% on average and up to 30%.

6.2 Future Work

The research presented in this thesis can be continued in several directions. First, to further increase the cost-effectiveness of parallel memory protocols in large-capacity memories, the number of address pins could be reduced (inspired by LPDDR4 [66], that employs a CA bus with only six pins). This would imply more than two cycles per row-address transfer and possibly more than one cycle per column-address transfer. The additional cycles on the CA bus would hurt performance of latency-sensitive programs and require longer data bursts to keep the theoretical peak data-bus utilization high, which is important for bandwidth-sensitive programs. The ideas of the proposed adaptive row addressing can be further investigated in the context of such parallel memory protocols.

Second, Crystal and Rock can be extended with models of hybrid main memories where address translations are stored in the DRAM partition, just like in the hybrid memory organizations considered in Chapter 5. In addition, restricted address mappings between the DRAM and SCM partitions can be accounted for. In general, Crystal and Rock can be extended to consider new design-space dimensions, created, for instance,
by dividing main memory into three partitions, each employing a different memory technology (for instance, DRAM, 3D Xpoint, and an even denser and less expensive technology like 3D NAND Flash).

Lastly, ProFess opens a promising direction in hybrid memory management, showing that practical hardware mechanisms like the proposed SEM and MDM can significantly improve system fairness, performance, and energy efficiency. The ideas of SEM can be further investigated by designing more accurate slowdown-proxy factors and respectively adjusting the proposed help strategy. The concept of probabilistic migration decisions, proposed in MDM, can be further investigated by identifying ways to improve the accuracy of statistics and the accuracy of individual cost-benefit analysis. In addition, an important future-work direction is to further investigate the tradeoff between the amount of state tracked per data block and the net benefit of the migration algorithm. Overall, further investigation of the ideas of Profess can lead to large-capacity, cost-effective main memories that have higher fairness, performance, and energy efficiency.
Bibliography


